



A FRESH LOOK AT T-CHANNEL SINGLE TOP PRODUCTION

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in collaboration with

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PRL 102 (2009) 182003 [arXiv:0903.0005 [hep-ph]]

JHEP 0910 (2009) 042 [arXiv:0907.3933 [hep-ph]]

Jozef Stefan Institute, Ljubljana, November 26, 2009

OUTLINE

- ✿ Introduction to single top production
- ✿ New insights on the t-channel:
 - ✿ Outline of a new NLO calculation in the four-flavor scheme
 - ✿ Results and comparison with the traditional five-flavor approach
- ✿ Conclusions

WHY STUDY TOP QUARKS?

- ✿ It's a recently discovered fundamental particle
(CDF and DØ collaborations)
 - ✿ Pair production in 1995
 - ✿ Observation of EW production in March this year
 - ✿ Direct measurement of $|V_{tb}|$
- ✿ It's heavy: $173.1 \pm 0.6(\text{stat}) \pm 1.1(\text{syst}) \text{ GeV}$
- ✿ It has a short lifetime $\sim 5 \cdot 10^{-25} \text{ s}$
 - ✿ Study of 'bare' quarks: spin correlations unperturbed by hadronization

TOP IS HEAVY

- ✱ Heavy top due to large Yukawa coupling

$$m_{\text{top}} = \lambda_{\text{top}} v / \sqrt{2}$$

- ✱ Numerically $\lambda_{\text{top}} \approx 0.99$

- ✱ Large coupling to the Higgs boson

- ✱ Large radiative corrections to the Higgs boson mass

- ✱
$$m_H^2 = (m_H^0)^2 + \frac{3\Lambda_{\text{UV}}^2}{8\pi^2 v^2} \left(-4m_t^2 + 2m_W^2 + m_Z^2 + m_H^2 \right)$$

- ✱ This fine tuning is known as the 'hierarchy problem'

POSSIBLE SOLUTIONS TO THE HIERARCHY PROBLEM

- ✿ Weakly coupled models at the TeV scale,
e.g. “Supersymmetry” or “Little Higgs”
- ✿ Strongly coupled models at the TeV scale,
e.g. “Topcolor assisted technicolor” or “top see-saw”
- ✿ New space-time structures,
e.g. “ADD” or “RS”
- ✿ Other interesting class of models relevant for top quark phenomenology: extended quark sector, i.e. extended CKM matrix

(T-CHANNEL) SINGLE TOP

SINGLE TOP PRODUCTION

- ✱ Contrary to top pair production, single tops are not produced via the strong force, but by the weak force
- ✱ There are three distinct* production mechanisms, named after the virtuality of the W boson
 - ✱ t channel
 - ✱ s channel
 - ✱ W associated single top production

* There are interferences between the three channels at (N)NLO, but they are color suppressed and do not hamper the separation in (most) phenomenological studies

T-CHANNEL SINGLE TOP

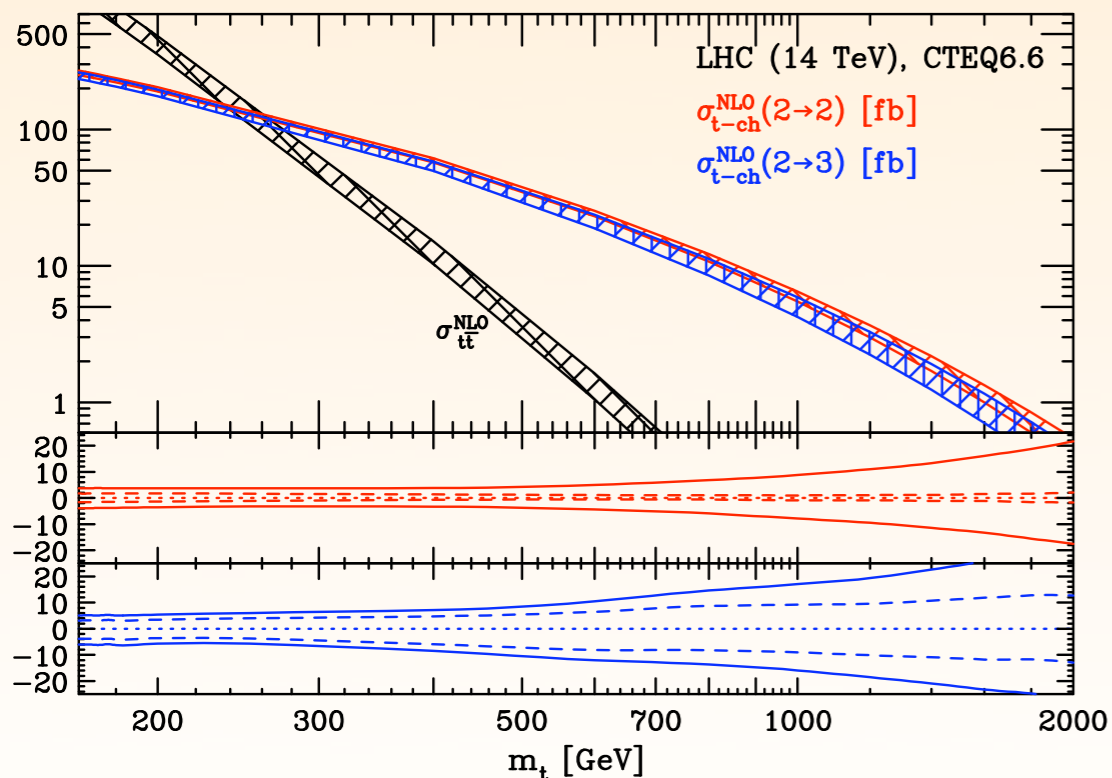
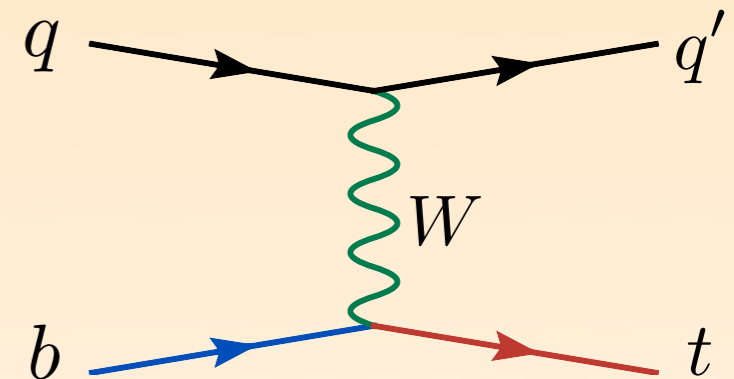
- ☀ Already thought of more than 20 years ago

Dicus & Willenbrock, PRD34, 155 (1986)

- ☀ Take advantage of (compared to pair production):

- ☀ t-channel enhancement over s-channel growth

- ☀ more available phase space



- ☀ Large cross section at LHC

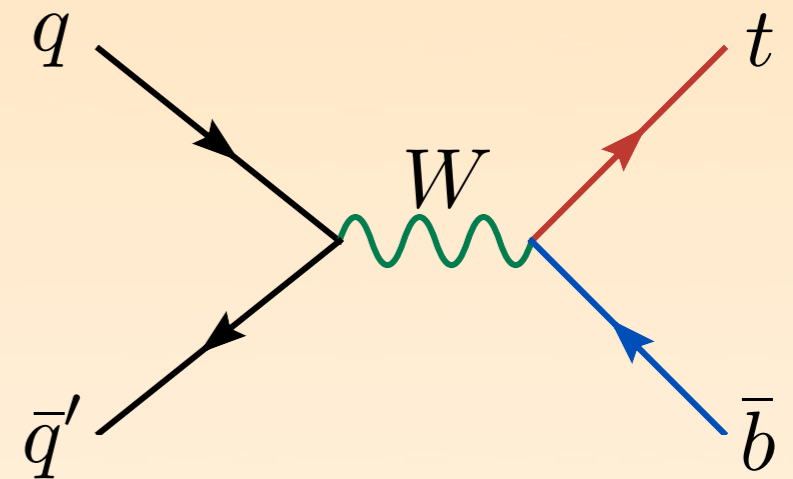
- ☀ For very heavy quarks single top dominates -- t' searches

- ☀ Sensitive to V_{tb} , FCNC, ...

- ☀ NLO corrections by

Bordes & Van Eijk (1995); Harris et al. (2002); Campbell et al. (2004); Q.-H. Cao et al. (2005); Frixione et al. (2006)

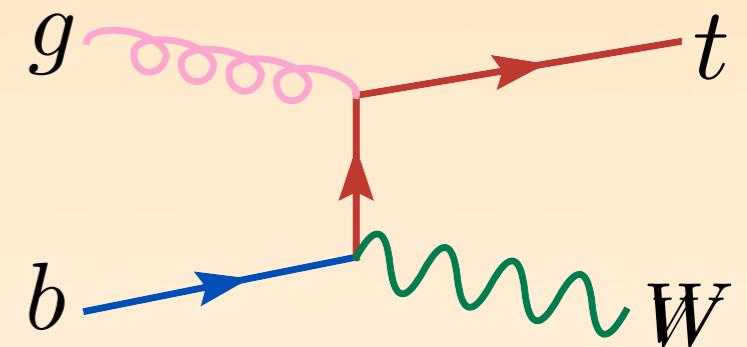
S-CHANNEL SINGLE TOP



- ✿ Just like Drell-Yan
- ✿ Falls off with increasing mass in a similar way to top pair production
- ✿ Sensitive to New Physics resonances
- ✿ At Tevatron scattering is more sensitive to quark valence structure: relative enhancement due to anti-proton

WT ASSOCIATED PRODUCTION

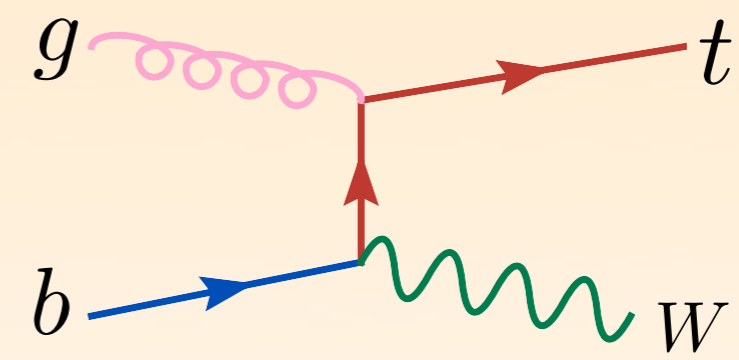
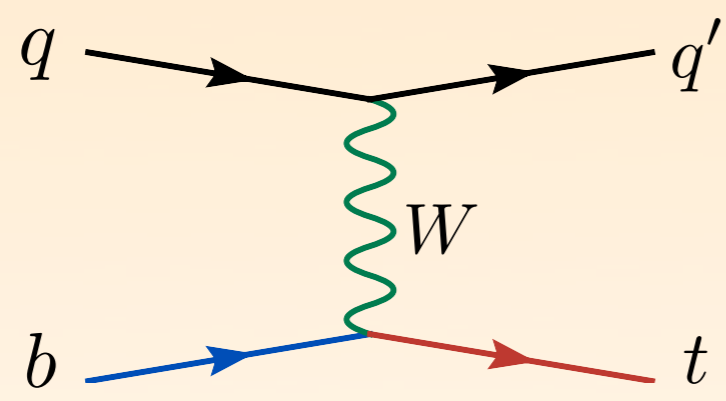
- ✱ Irrelevant for Tevatron, due to gluon luminosity and kinematics
Belyaev et al., PRD59, 075001 (1999); Tait, PRD61, 034001 (2000)



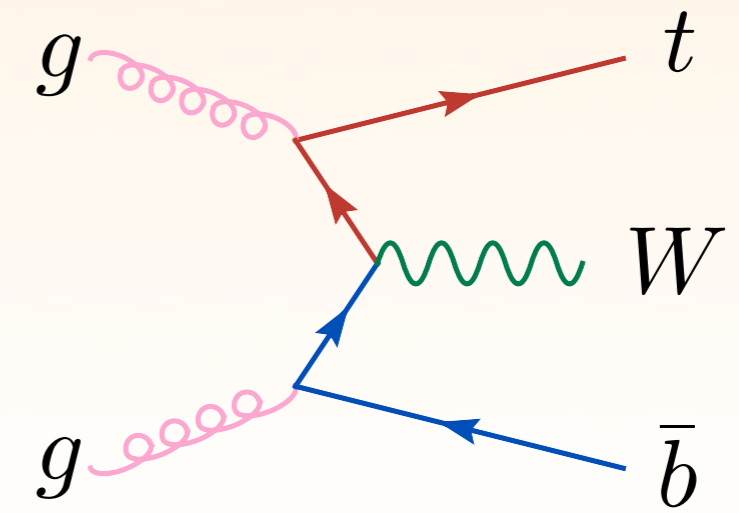
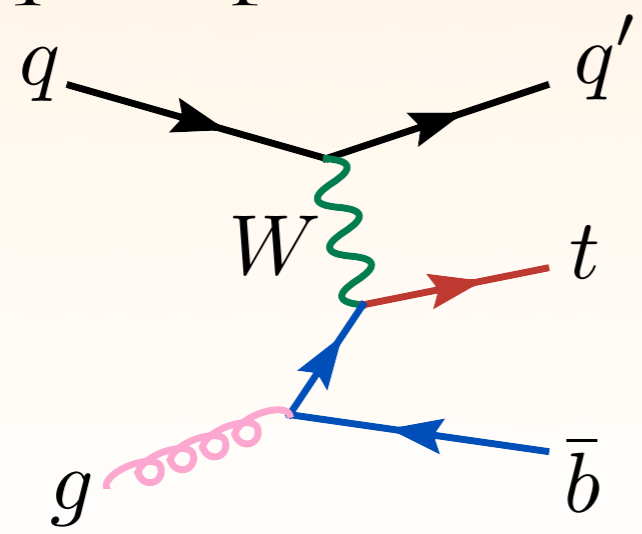
- ✱ Can play significant role at the LHC (not least as background - e.g. to $H \rightarrow WW^*$)
- ✱ Very similar top pair production with possible large interference effects between the two -- careful treatment at NLO
Campbell & Tramontano, NPB726, 109 (2005); Frixione et al. JHEP 0807:029 (2008)
- ✱ Different from s- and t-channel production due to (hard) strong coupling at LO

HEAVY INITIAL STATE QUARKS

- Both the t-channel as well as the Wt associated production have a (heavy) b quark in the initial state



- There is an equivalent description with a gluon splitting to b quark pairs



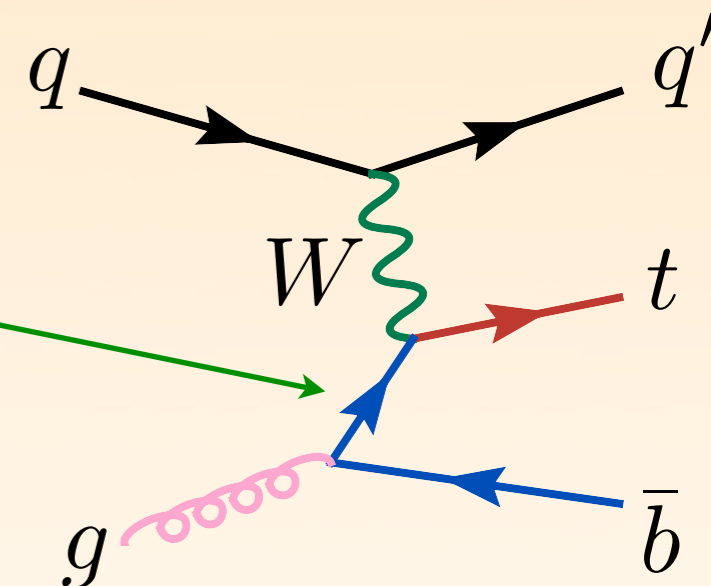
COLLINEAR LOGARITHMS

- Both t-channel and Wt production are enhanced by a collinear logarithm

- This results from integrating over a t-channel propagator

$$\frac{1}{t - m_b^2} \sim \frac{1}{p_T^2 + m_b^2}$$

$$t = (p_{\bar{b}} - p_g)^2, p_T^2 = p_{T,\bar{b}}^2$$

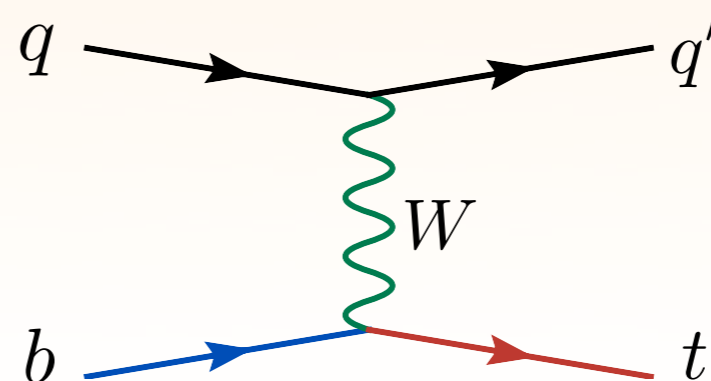


- Contribution to the cross section: $\int_0^{p_{T,\max}^2} \frac{dp_T^2}{p_T^2 + m_b^2} = \log\left(\frac{p_{T,\max}^2}{m_b^2}\right) + \dots$

- Coefficient of the logarithm is:



times



matrix elements with splitting removed

RESUMMATION INTO PDF

✱ Putting it together: $\frac{d\sigma(qg \rightarrow q't\bar{b})}{d \log p_{T,\max}^2} \sim \left(\frac{\alpha_s}{2\pi}\right) \left[\int \frac{dx}{x} P_{g \rightarrow q\bar{q}} f_g \right] \times \hat{\sigma}(qb \rightarrow q't)$

✱ But the first part resembles the evolution equation for a quark:

$$\frac{df_q}{d \log q^2} \sim \left(\frac{\alpha_s}{2\pi}\right) \int \frac{dx}{x} [P_{g \rightarrow q\bar{q}} f_g + P_{q \rightarrow qg} f_q]$$

✱ So when the logarithms really dominate, we can replace this description by $\sigma(qg \rightarrow q't\bar{b}) \approx \sigma(qb \rightarrow q't)$

✱ Scale of the bottom quark PDF should be related $p_{T,\max}$

✱ At all orders both description should agree; otherwise, differ by:

✱ evolution of logarithms in PDF: they are resummed

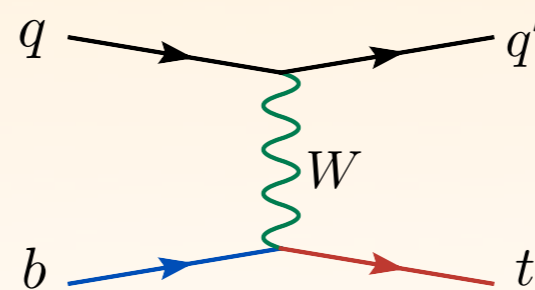
✱ ranges of integration (obscured here)

✱ approximation by large logarithm

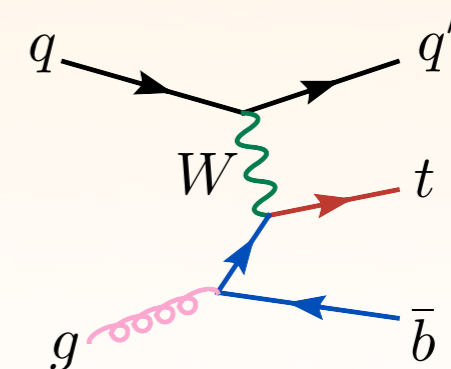
ACOT FORMALISM

- ✱ Sensible way to combine the two approaches was formally identified some time ago: ACOT formalism *Aivazis, Collins, Olness & Tung, PRD50, 3102 (1994)*
- ✱ Roughly: use the bottom PDF (“5 flavor scheme”, $2 \rightarrow 2$) when the “spectator b” is not important, otherwise keep it explicit (“4 flavor scheme”, $2 \rightarrow 3$)
- ✱ But what to do in the intermediate region?
 - ✱ Deciding factor -- simpler to calculate with one less external leg

- ✱ All higher order calculations so far have been performed in the $5F$ ($2 \rightarrow 2$) scheme



- ✱ Terms from $4F$ ($2 \rightarrow 3$) enter at NLO. Properties of spectator b are only LO

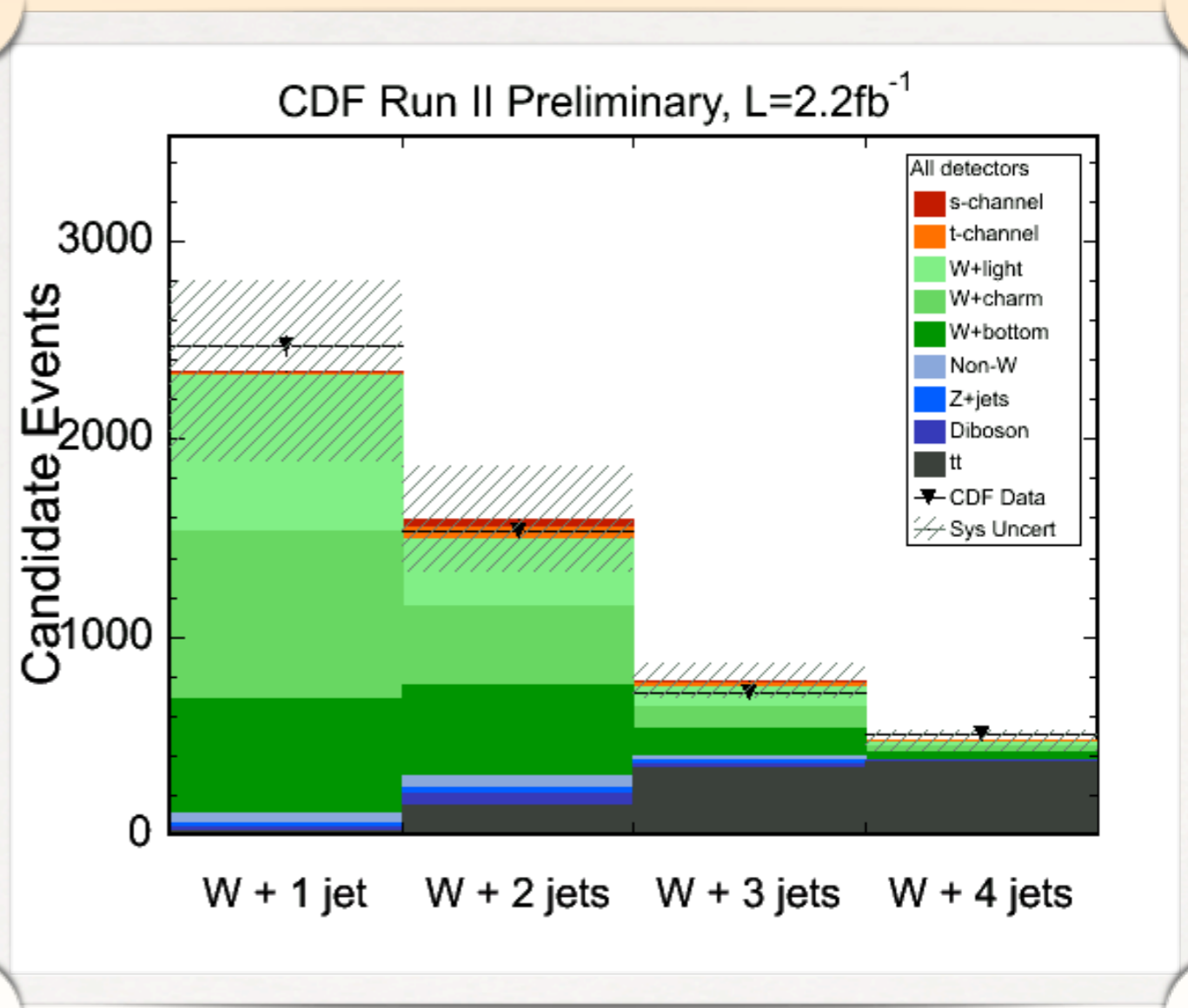


- ✱ All calculations presented so far set $m_b=0$ in final state for simplicity

BACKGROUNDS

- Large backgrounds from W +jets and top pair production -- much bigger than the original estimates

- A very challenging measurement indeed
- Detailed information about signal and backgrounds is required to extract a signal



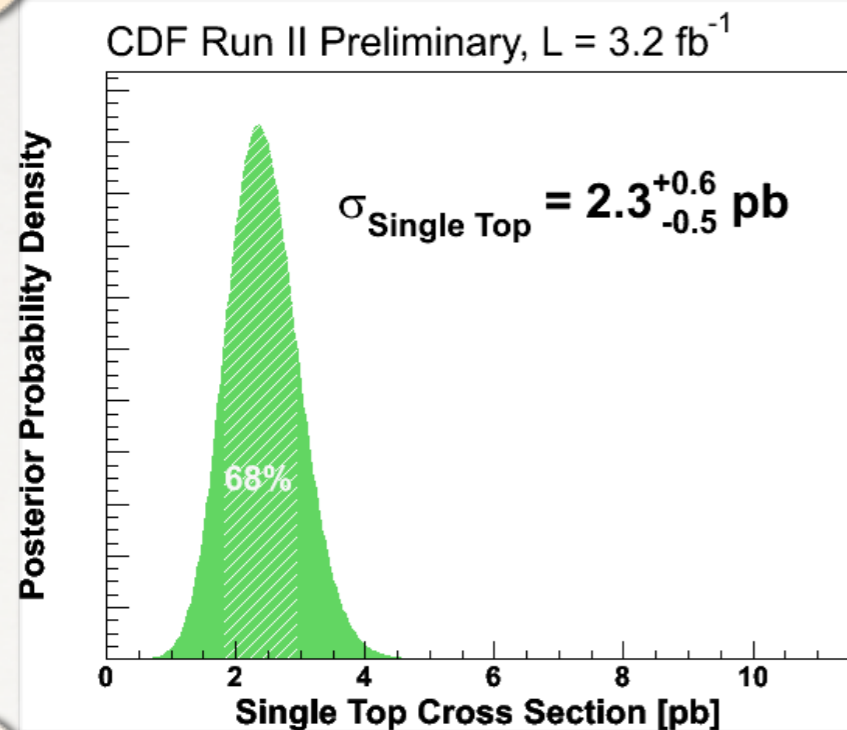
OBSERVATION! (MARCH 4, 2009)

☀ CDF

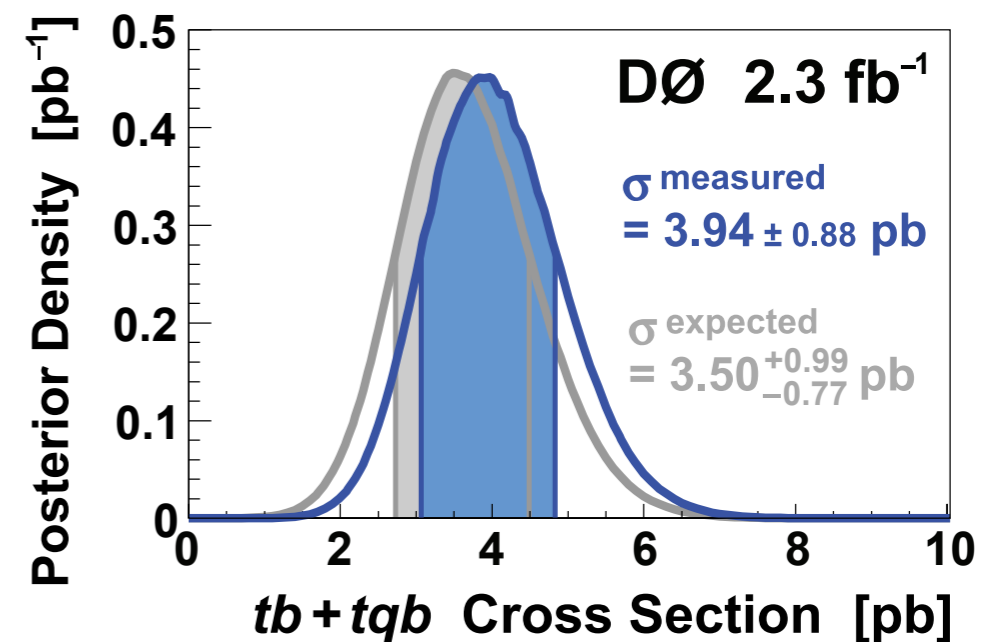
$m_t = 175 \text{ GeV}$

☀ DØ

$m_t = 170 \text{ GeV}$



arXiv: 0903.0885



arXiv: 0903.0850

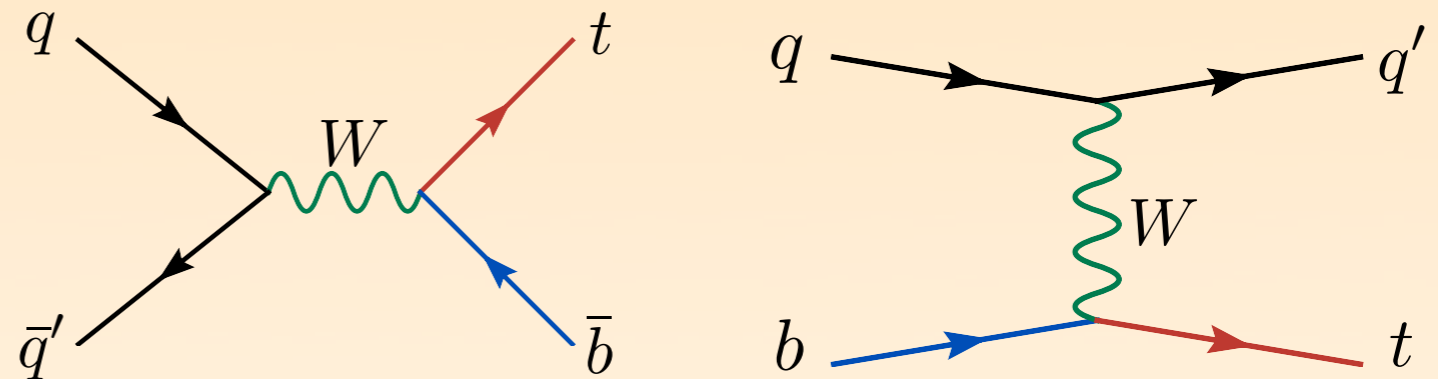
$$|V_{tb}| > 0.71 \text{ (95\% C.L.)}$$

$$|V_{tb}| > 0.78 \text{ (95\% C.L.)}$$

assuming $|V_{tb}| \gg |V_{ts}|, |V_{td}|$

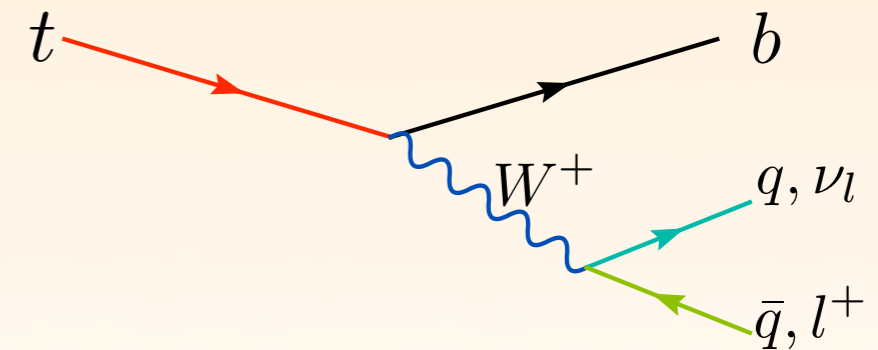
SIGNATURES OF S- AND T-CHANNEL EVENTS

- ✱ To release this constraint we need to have a closer look at s- and t-channel signatures



- ✱ s-channel events have in general one more b jet in the final state, roughly:

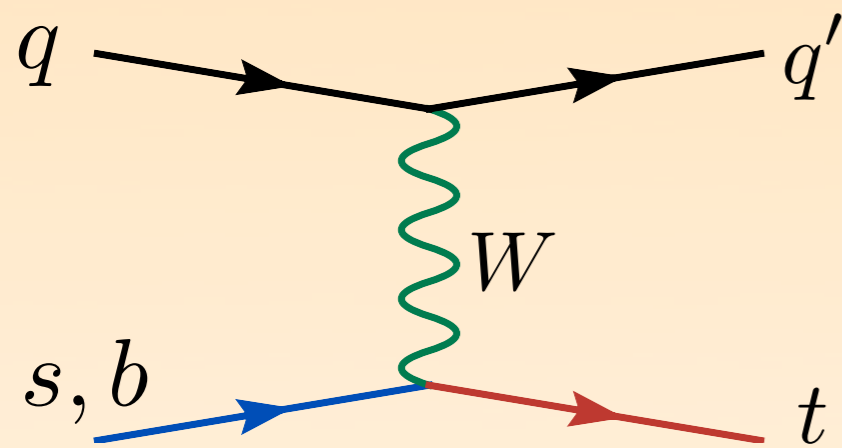
- ✱ 1 b-tag: t-channel event
- ✱ 2 b-tags: s-channel event



- ✱ In the CDF and DØ analyses it is assumed that these signatures do not change due to non-standard CKM. This is what is meant by:

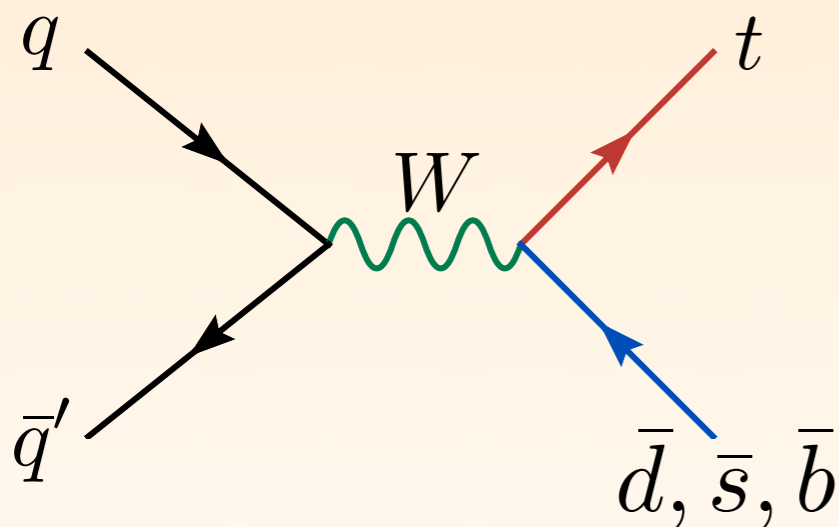
$$\text{assuming } |V_{tb}| \gg |V_{ts}|, |V_{td}|$$

MORE SUBPROCESSES



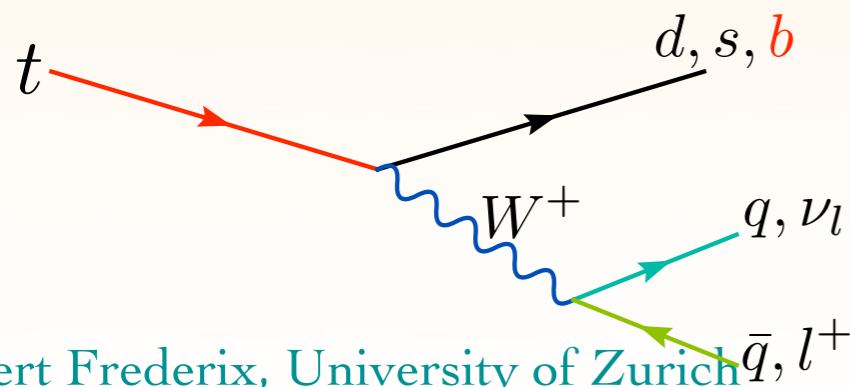
$$\sim |V_{td}|^2 \sigma_d^{\text{t-ch}} + |V_{ts}|^2 \sigma_s^{\text{t-ch}} + |V_{tb}|^2 \sigma_b^{\text{t-ch}}$$

Enhancement due to large d and s densities



$$\sim (|V_{td}|^2 + |V_{ts}|^2 + |V_{tb}|^2) \sigma^{\text{s-ch}}$$

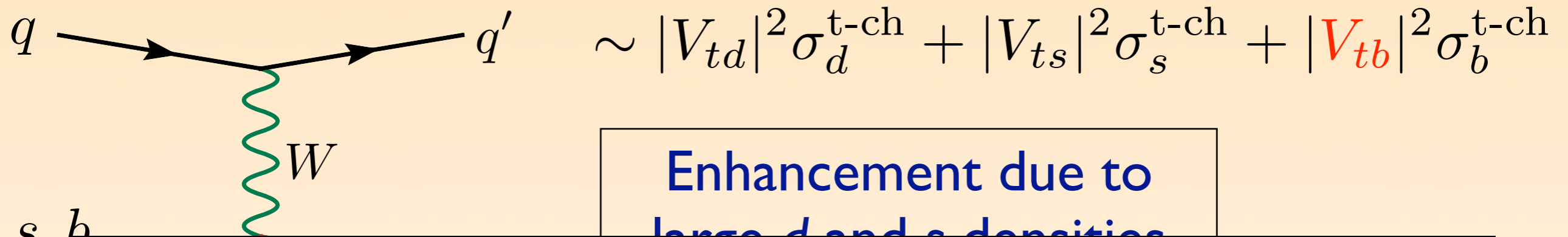
Signal becomes similar to t-channel (only 1 b -jet)



$$R = \frac{\Gamma(t \rightarrow Wb)}{\Gamma(t \rightarrow Wq(=d, s, b))} = \frac{|V_{tb}|^2}{|V_{td}|^2 + |V_{ts}|^2 + |V_{tb}|^2}$$

Exp: $R > 0.79$ @ 95% C.L.

MORE SUBPROCESSES

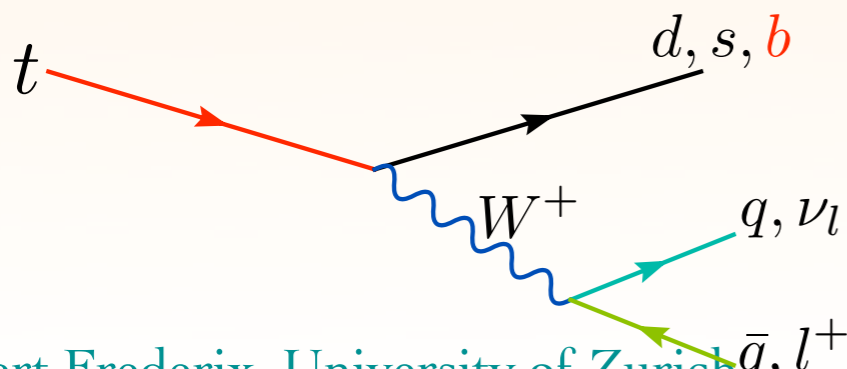
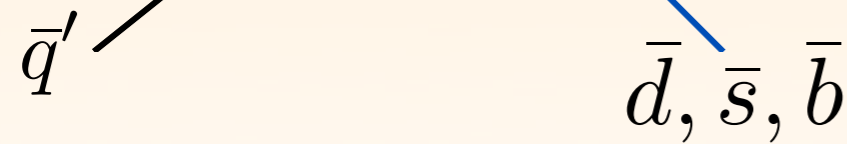


Enhancement due to large d and s densities

$$\sigma_{1b\text{-tag}} = R \left\{ \sum_{i=b,s,d} |V_{ti}|^2 \sigma_i^{\text{t-ch}} + 2(|V_{td}|^2 + |V_{ts}|^2) \sigma^{\text{s-ch}} \right\}$$

$$\sigma_{2b\text{-tag}} = R |V_{tb}|^2 \sigma^{\text{s-ch}}$$

t-channel (only 1 b-jet)



$$R = \frac{\Gamma(t \rightarrow Wb)}{\Gamma(t \rightarrow Wq(=d,s,b))} = \frac{|V_{tb}|^2}{|V_{td}|^2 + |V_{ts}|^2 + |V_{tb}|^2}$$

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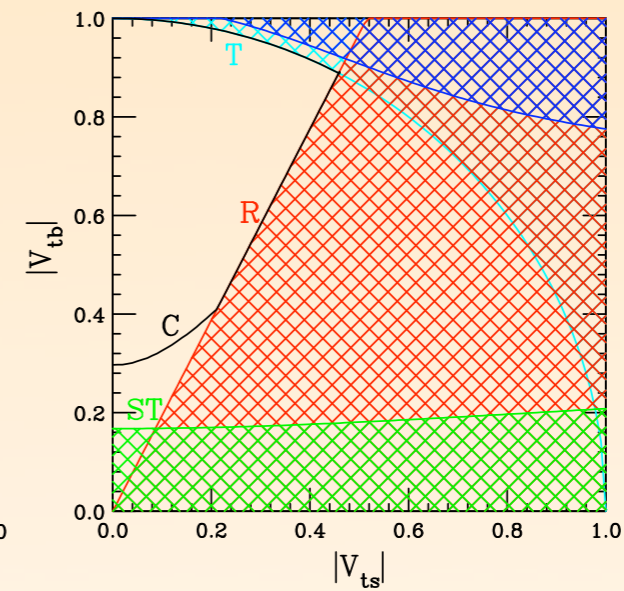
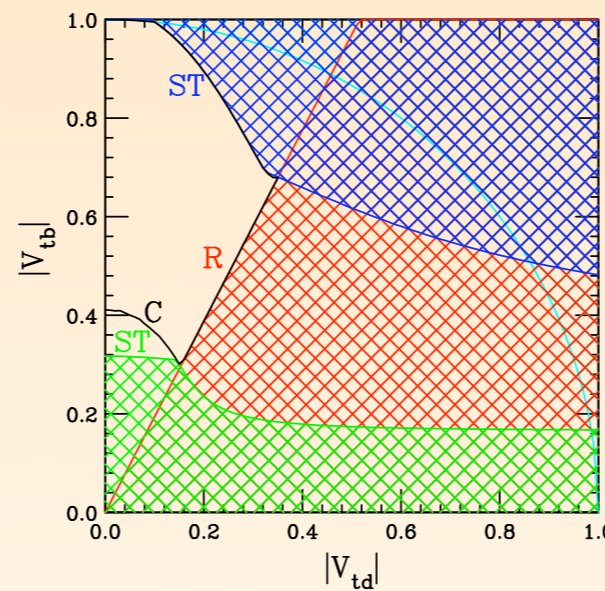
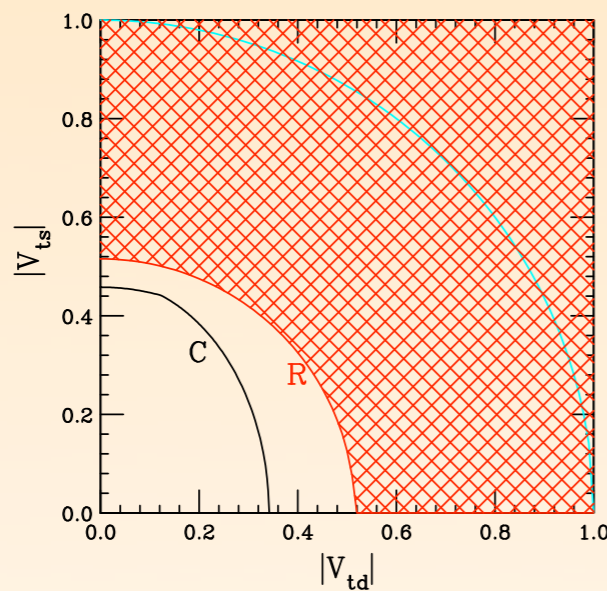
CONSTRAINTS ON 3RD ROW OF THE CKM MATRIX

$|V_{td}|$ vs $|V_{ts}|$

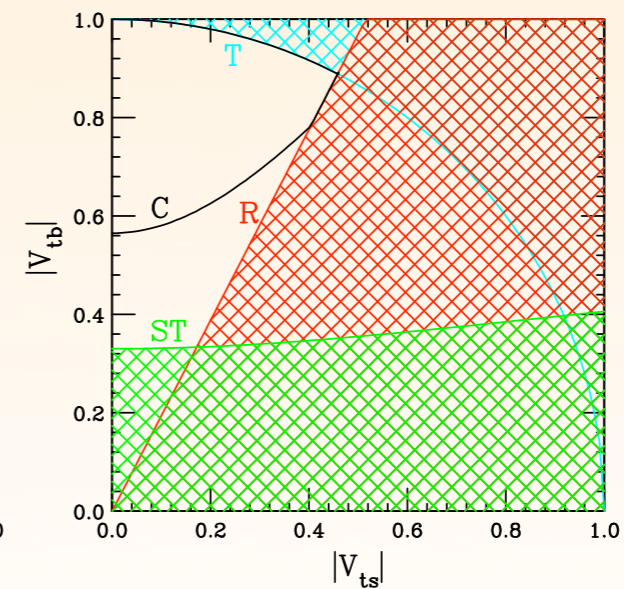
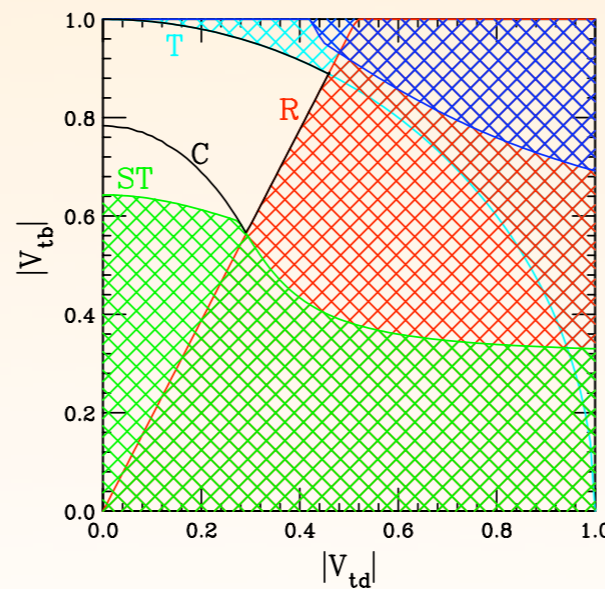
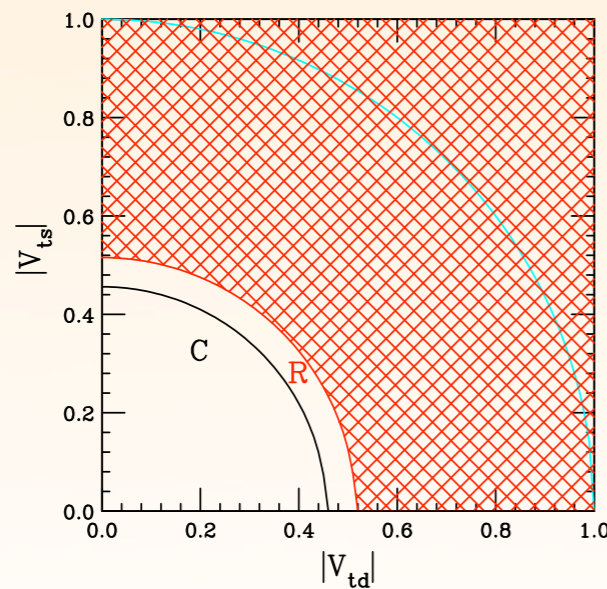
$|V_{td}|$ vs $|V_{tb}|$

$|V_{ts}|$ vs $|V_{tb}|$

CDF



DØ



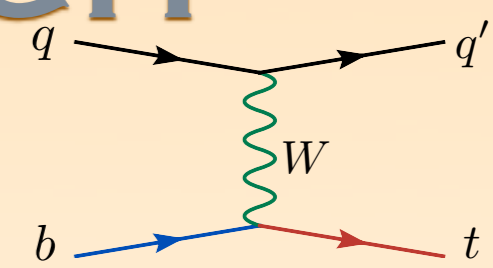
95% C.L.

Alwall et al., Eur. Phys. J. C49 791 (2007); RE, Top2008 Conf. Proc. (2008)

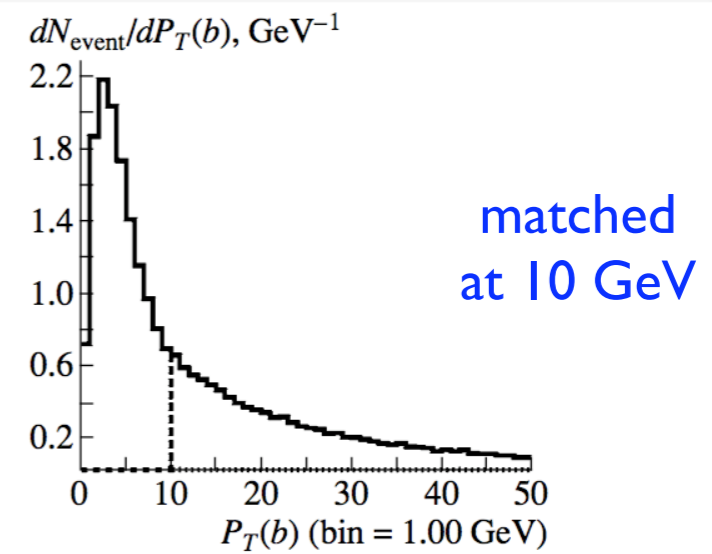
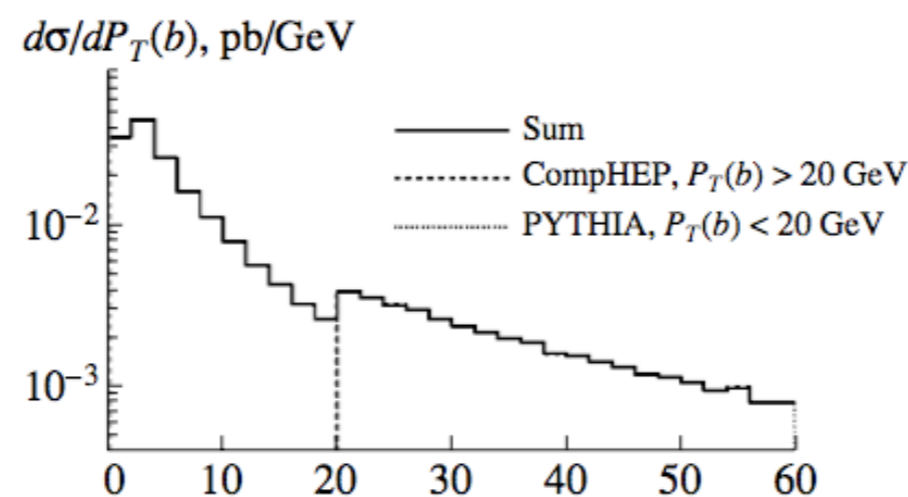
Warning: theory plots, proper experimental analysis needed!

NEED FOR MATCHING IN THE 5F (2 → 2) APPROACH

- At LO, no final state b quark
- At NLO, effects related to the spectator b only enter at this order and not well described by corresponding MC implementations
- “Effective NLO approximation”: separate regions according to $p_T(b)$ and use (N)LO 5F (2 → 2)+ shower below and LO 4F (2 → 3) above



*Boos et al.,
Phys. At.
Nucl. 69, 1317
(2006)*



- Ad hoc matching well motivated, but theoretically unappealing
- Done in a formally consistent way in MC@NLO



NEED FOR MATCHING IN THE 5F (2 \rightarrow 2) APPROACH

- ✱ All current single-top analyses are based on such a matching!
- ✱ The need for matching builds on three “prejudices”:
 - ✱ Effects of the resummation are important: use the 2 \rightarrow 2 calculation
 - ✱ The shower does the resummation of the heavy b quarks accurately
 - ✱ Matching (N)LO 2 \rightarrow 2 and LO 2 \rightarrow 3 for the b’s promotes the prediction of the spectrum of the b to NLO



NEED FOR MATCHING IN THE 5F ($2 \rightarrow 2$) APPROACH

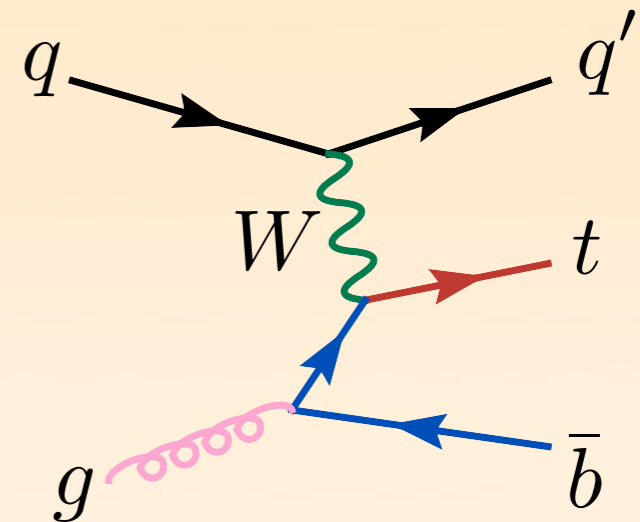
- ✱ All current single-top analyses are based on such a matching!
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 - ✱ Matching (N)LO $2 \rightarrow 2$ and LO $2 \rightarrow 3$ for the b’s promotes the prediction of the spectrum of the b to NLO

Question: truths or myths?

A FRESH APPROACH

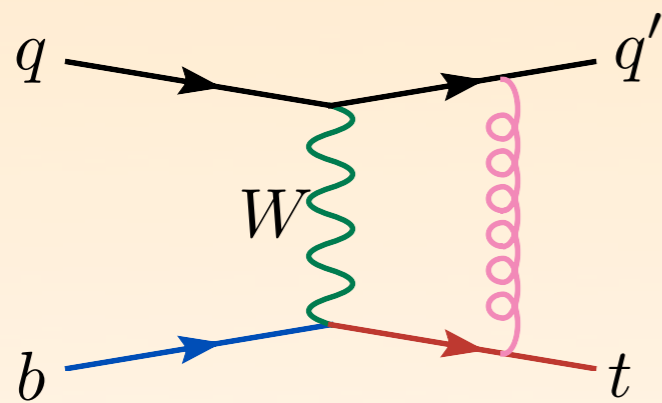
FOUR-FLAVOR SCHEME

- ✿ Use the 4-flavor ($2 \rightarrow 3$) process as the Born and calculate NLO
- ✿ Much harder calculation due to extra mass and extra parton
- ✿ Spectator b for the first time at NLO
- ✿ Compare to 5F ($2 \rightarrow 2$) to assess logarithms and applicability
- ✿ Starting point for future NLO+PS beginning at ($2 \rightarrow 3$)

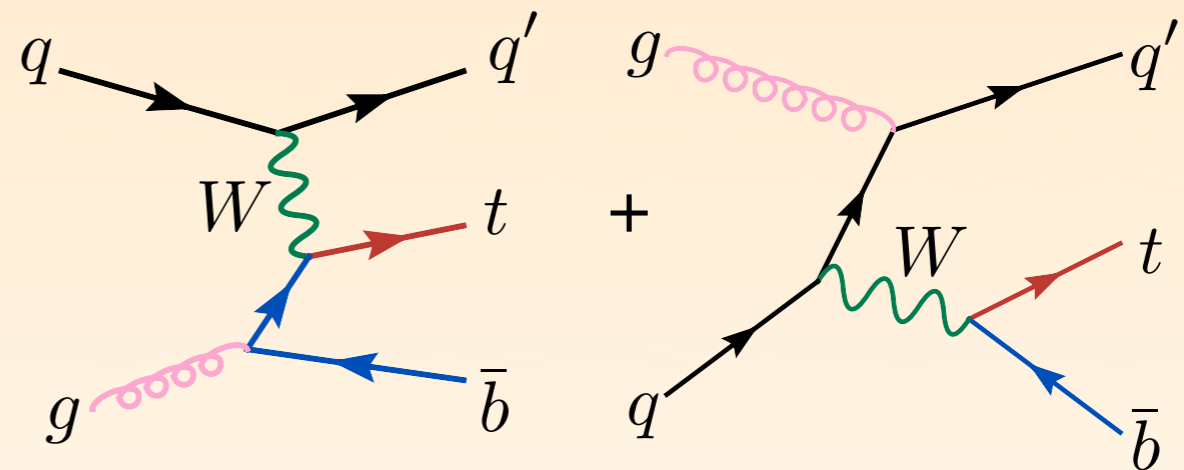


FACTORIZATION IN $2 \rightarrow 2$

✱ NLO 5F ($2 \rightarrow 2$) simplifies greatly due to color:



Vanishes: $\text{Tr}[t^a]=0$

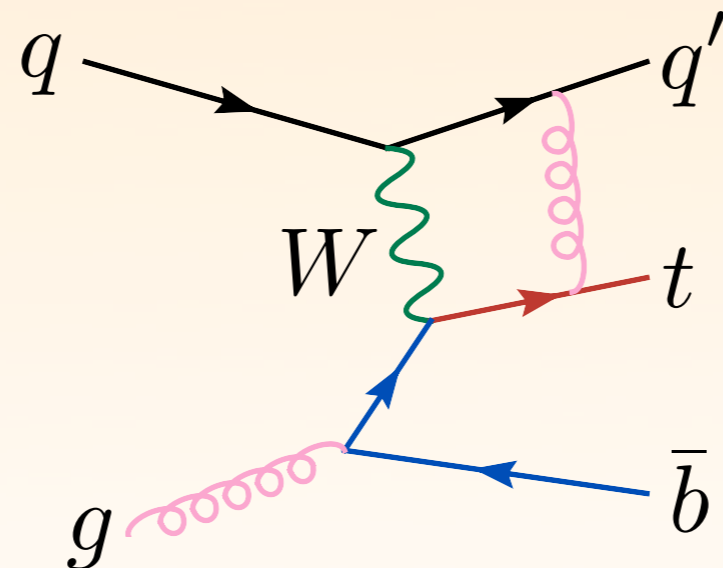


Interference between t and s channel vanishes: $\text{Tr}[t^a]=0$

- ✱ No corrections that mix light and heavy quark lines
- ✱ No mixing of t and s channel at NLO

FACTORIZATION IN $2 \rightarrow 3$

- ✱ The same arguments still mostly apply to the $2 \rightarrow 3$
- ✱ No mixing between light and heavy quark lines from the virtual corrections

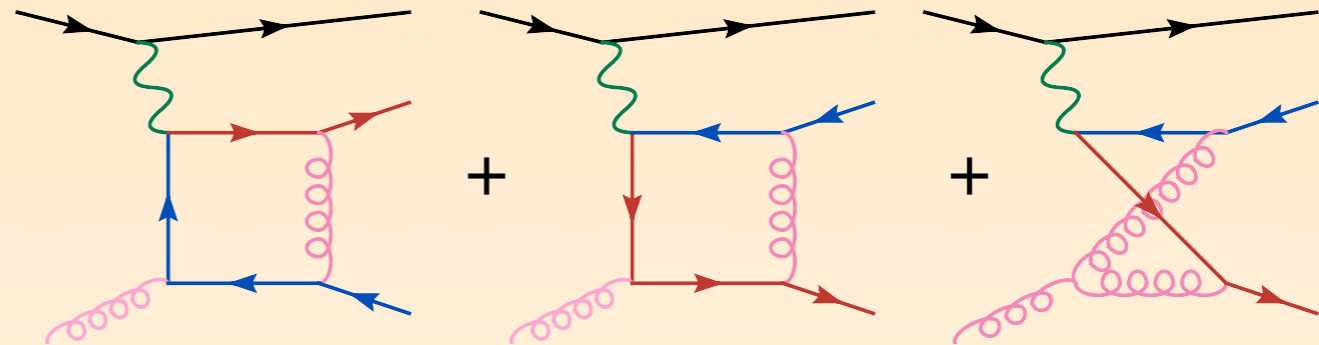


Vanishes: $\text{Tr}[t^a]=0$

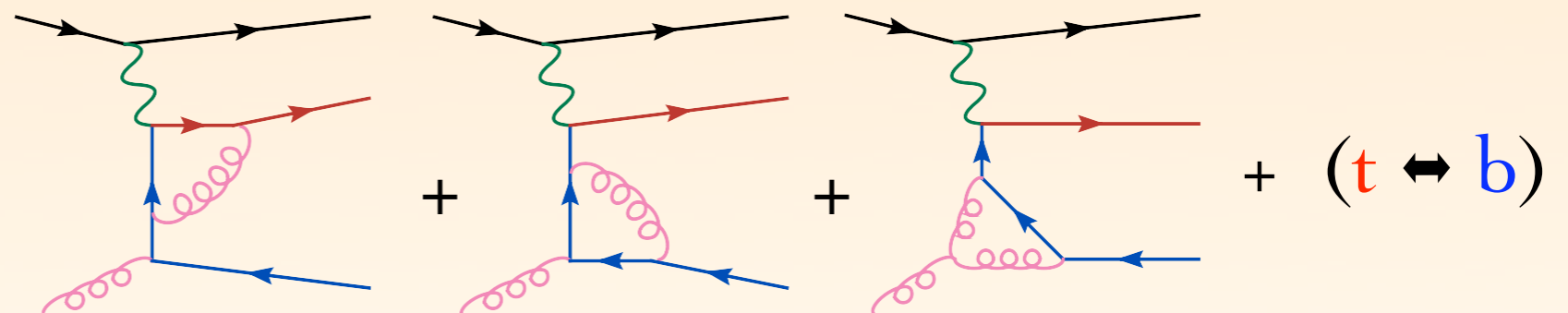
VIRTUAL CORRECTIONS

- ☀ Corrections to the light quark line (same as for $2 \rightarrow 2$)

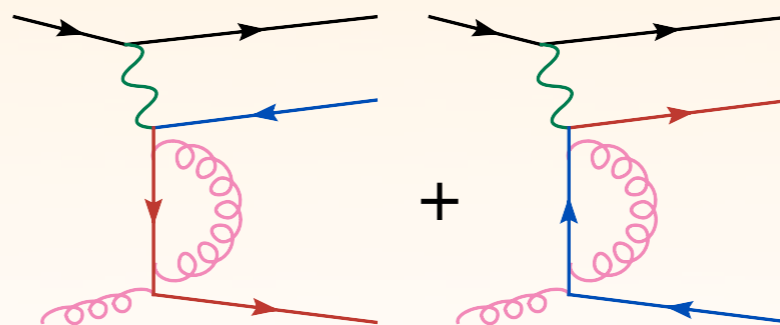
- ☀ Three boxes



- ☀ Six triangles



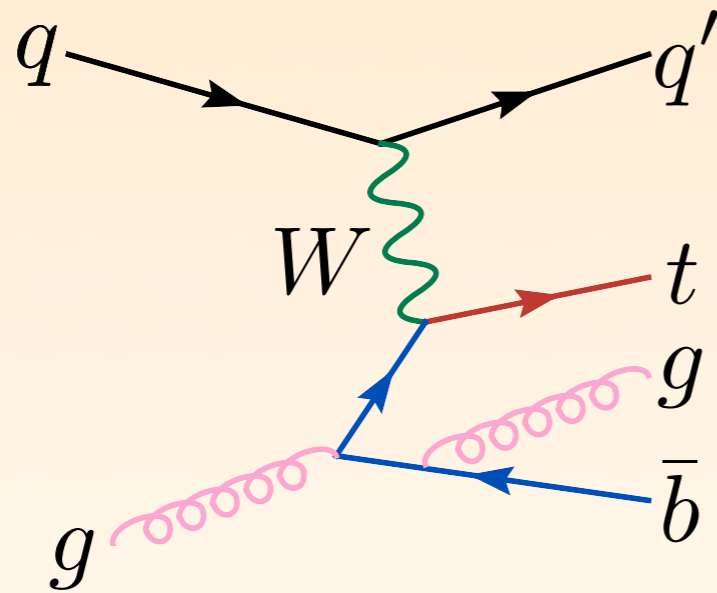
- ☀ Two bubbles



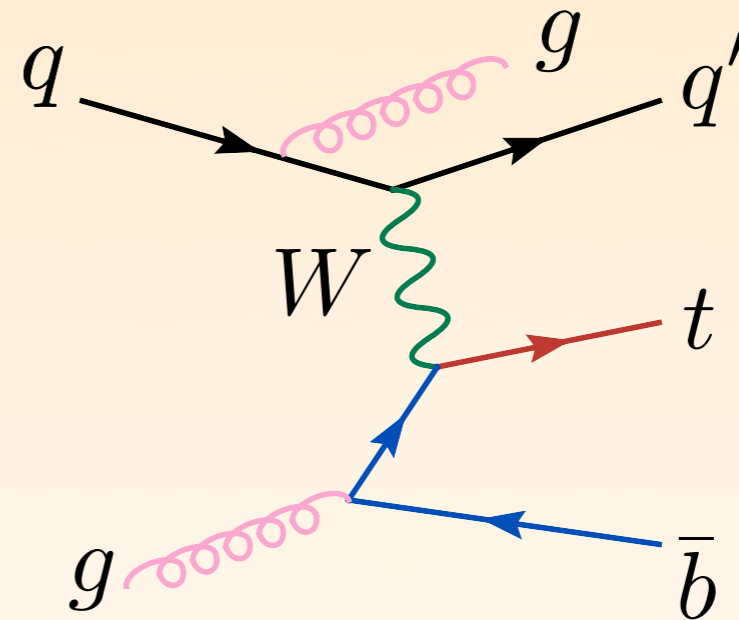
- ☀ Analytic computation of helicity amplitudes using standard techniques -- top spin is available

FACTORIZATION IN 2 \rightarrow 3: REAL EMISSION

- Most real corrections can also be uniquely assigned to the light or heavy quark line, e.g.



Correction to heavy line

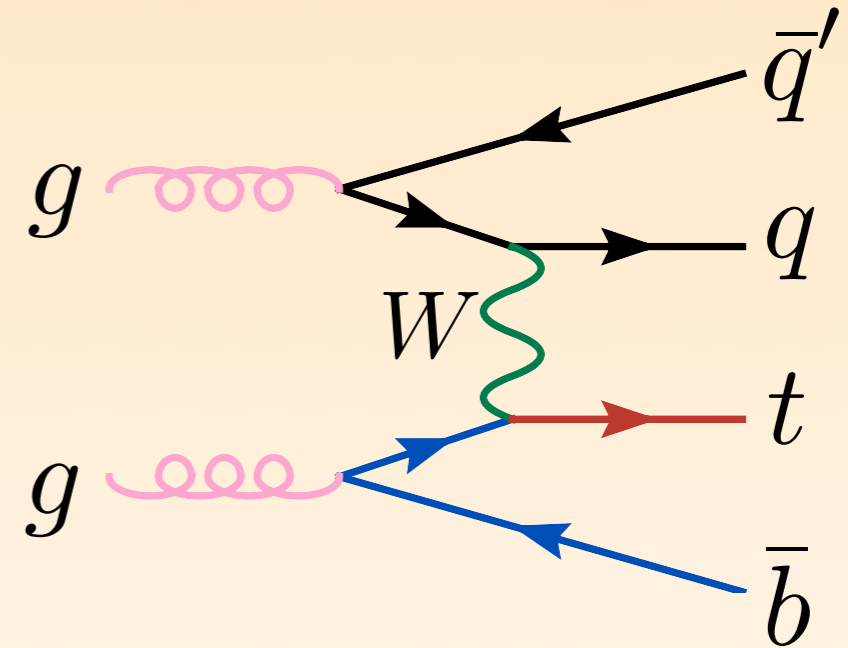


Correction to light line

Interference is zero due to color: $\text{Tr}[t^a]=0$

NEAR FACTORIZATION

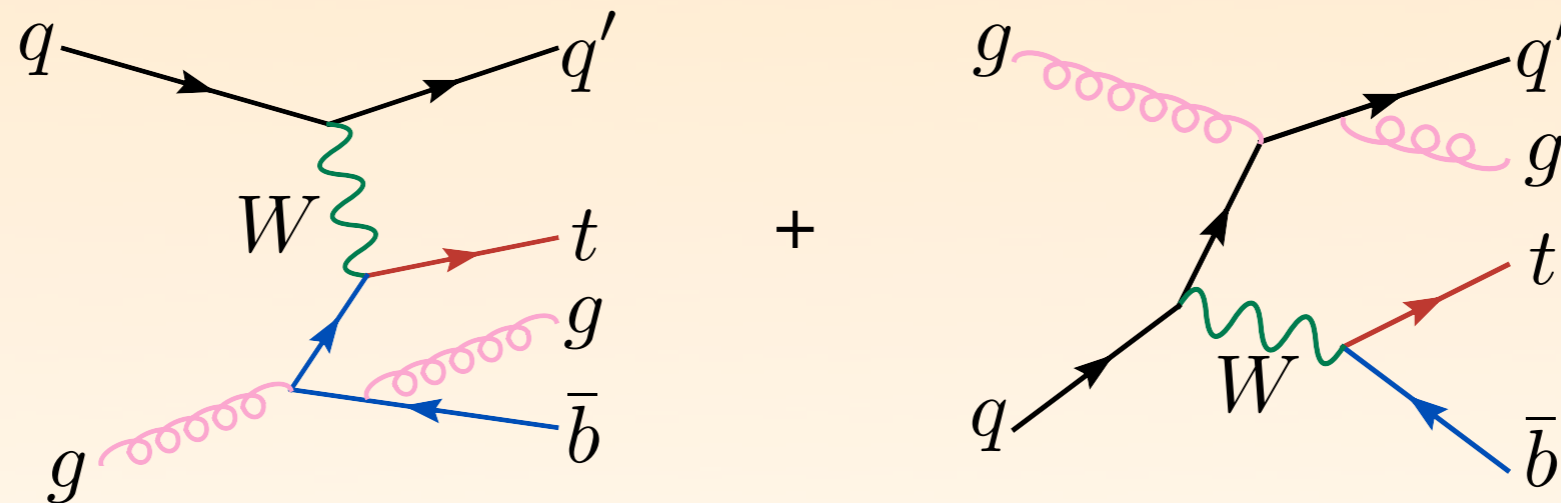
- ✿ Not all real emission pieces factorize so neatly, but non-factorizing pieces are always color-suppressed



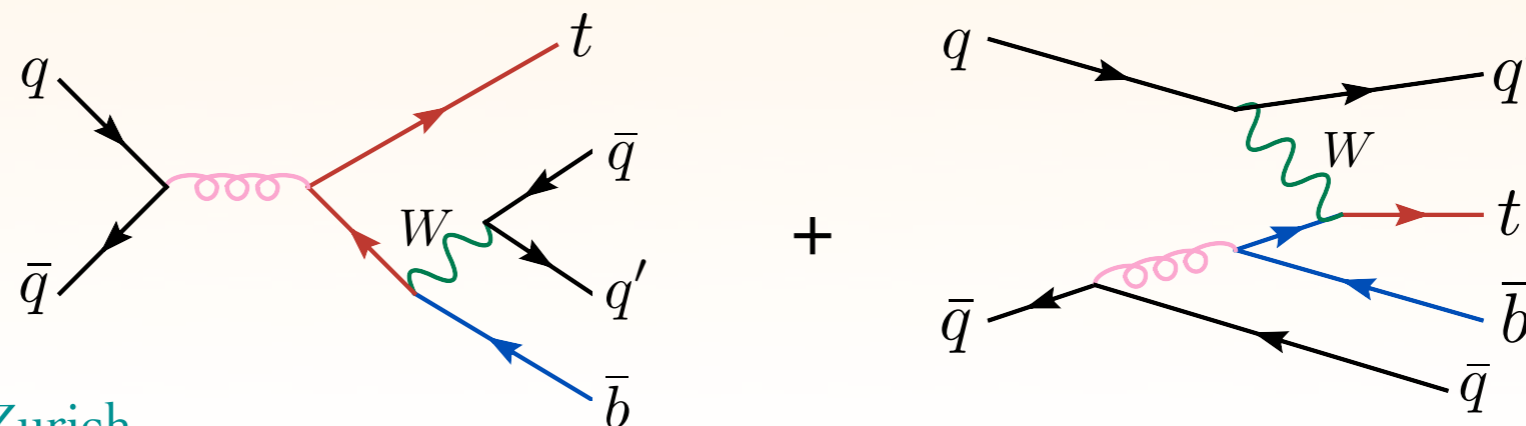
- ✿ Split the (sub-leading) terms equally
 - ✿ We can use different renormalization and factorization scales for heavy and light quark currents

INTERFERENCES

- ✱ s-channel and t-channel contributions mix at this order, although color-suppressed. We have checked that the interference is small ($<0.5\%$) and can be dropped



- ✱ There is also interference with top pair production, but this vanishes in the narrow width approximation and is not included



SUBTRACTION TERMS

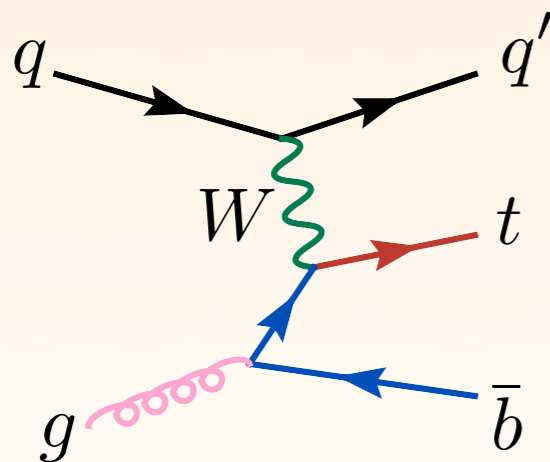
- ✱ Only the sum of real and virtual emissions is finite
- ✱ For implementation in MC program we need to subtract divergences in real and virtual emission separately

$$\sigma^{\text{NLO}} = \int_{m+1} \left[d^{(4)} \sigma^R - d^{(4)} \sigma^A \right] + \int_m \left[\int_{\text{loop}} d^{(d)} \sigma^V + \int_1 d^{(d)} \sigma^A \right]_{\epsilon=0}$$

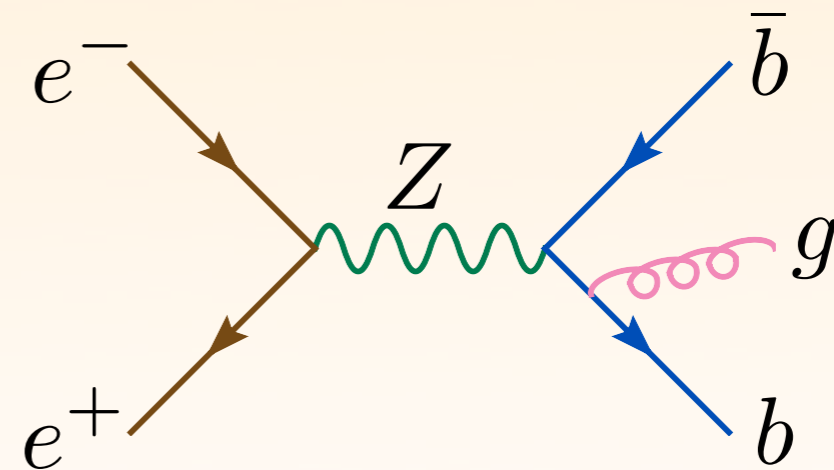
- ✱ We use the dipole subtraction method
Catani & Seymour (1997); Catani et al. (2002)
- ✱ Excellent agreement found with independent check
against MadDipole
RF, Gehrmann & Greiner (2008)

CHECKS OF THE CALCULATION

- Real emission including subtraction terms checked against MadGraph & MadDipole *RF, Gehrmann e³ Greiner (2008)*
- Gauge invariance, $CP + m_t \Leftrightarrow m_b$ symmetry
- Two different reduction schemes
- Most interesting check comes from crossing the whole calculation



Change couplings,
 $m_t \rightarrow m_b$, sign of
 boson virtuality



Nason e³ Oleari, NPB 521, 237 (1998)

- Excellent agreement found

SETUP

- ✿ Process implemented in the MCFM parton-level NLO code
- ✿ Use $m_t=172 \text{ GeV}$ and $m_b=4.7 \text{ GeV}$
- ✿ For the 5F ($2 \rightarrow 2$) scheme, use regular PDF
- ✿ For 4F ($2 \rightarrow 3$) calculation, PDF's need special treatment for consistency
 - ✿ the b quark should not enter the evolution of the strong coupling or the PDF: **MRST2004FF4**
 - ✿ could also use a 5F PDF and pass to the 4F scheme using transition rules by *Cacciari et al., JHEP05, 007 (1998)*
- ✿ We use second option: **CTEQ6.6 PDF** set for both

4 FLAVOR CALCULATION, 5 FLAVOR PDF

M. Cacciari, M. Greco, P. Nason, JHEP05, 007 (1998)

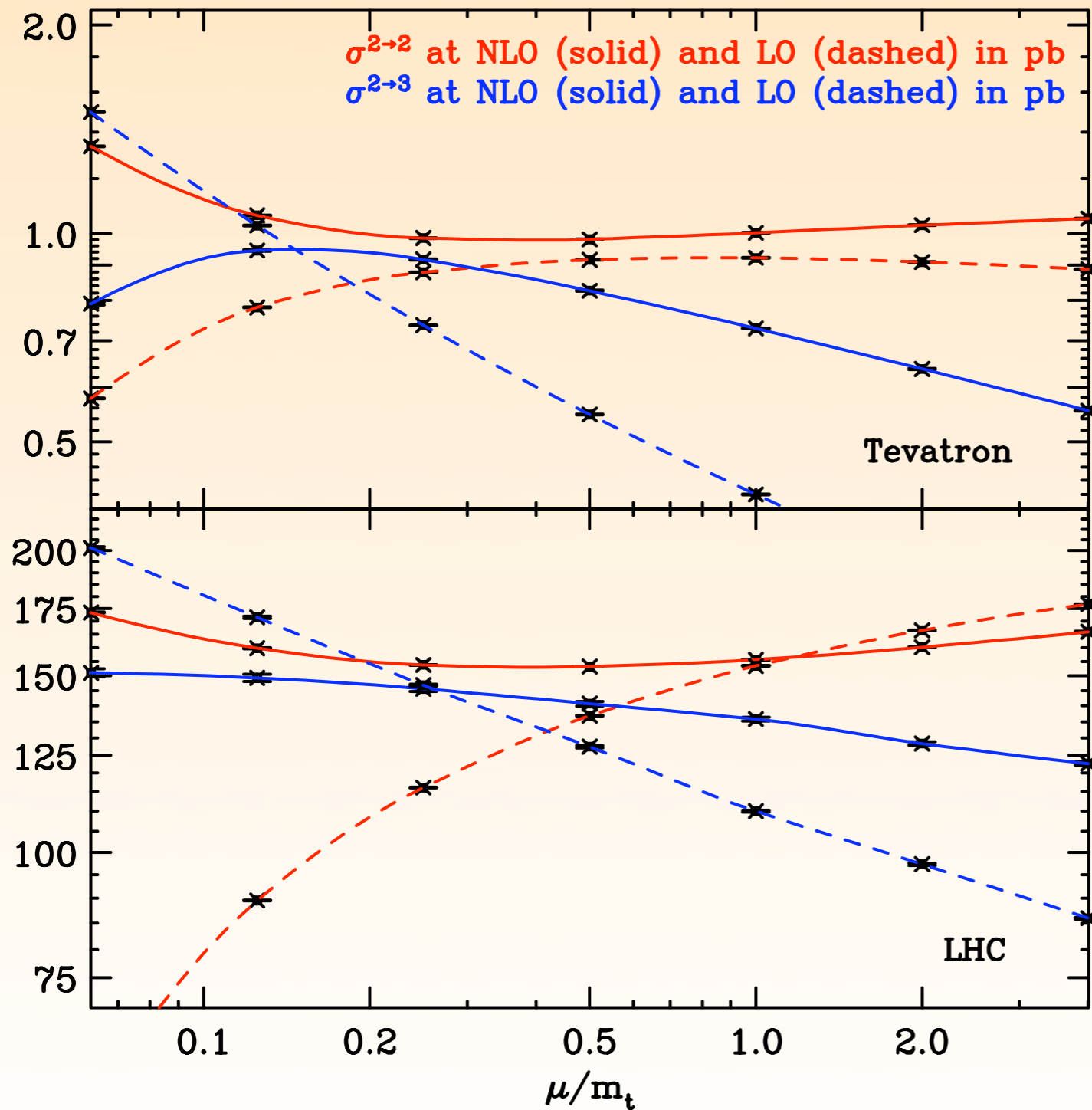
- ✱ To the calculation in the 4 flavor scheme add
 - ✱ For each initial state gluon include a term to compensate for the smaller gluon luminosity in a 5F PDF:

$$-\alpha_s \frac{T_F}{3\pi} \log \frac{m_b^2}{\mu_F^2} \mathcal{M}_{\text{Born}}$$

- ✱ For each QCD coupling in the Born compensate for the running of the coupling:

$$-\alpha_s \frac{T_F}{3\pi} \log \frac{\mu_R^2}{m_b^2} \mathcal{M}_{\text{Born}}$$

SCALE DEPENDENCE

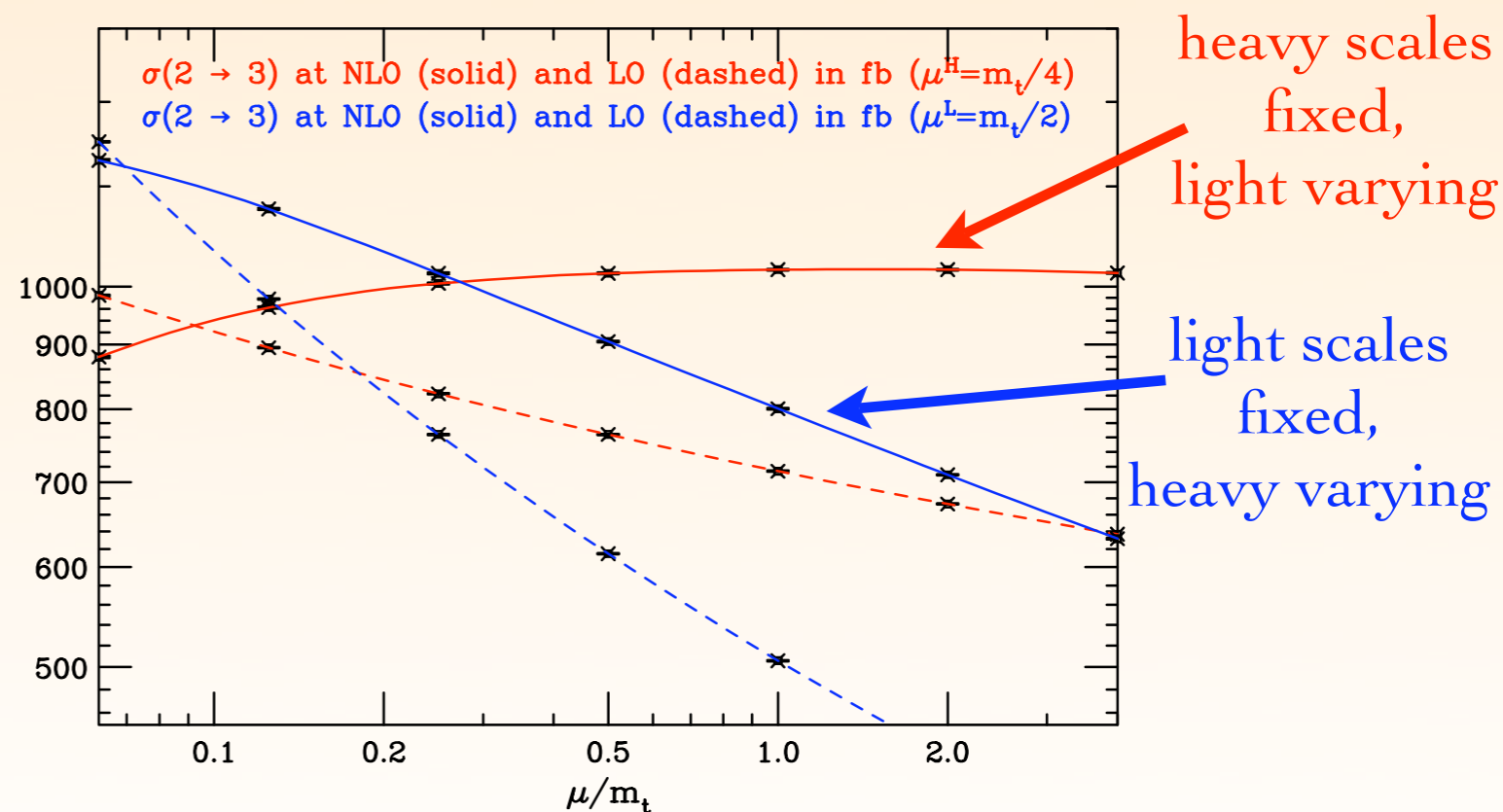


- Both schemes much improved from LO
- $5F (2 \rightarrow 2)$ only mildly sensitive to scales at NLO (use m_t in what follows)
- $4F (2 \rightarrow 3)$ expected to be worse, but isn't much
- Hardly a region of overlap between the two
- $4F (2 \rightarrow 3)$ prefers smaller scales than m_t , particularly at the Tevatron

SCALE DEPENDENCE 2 → 3

- Due to the near-factorization between the heavy and light quark lines we can vary the corresponding scales independently
- Expect smaller scale for heavy line due to $g \rightarrow b\bar{b}$ splitting

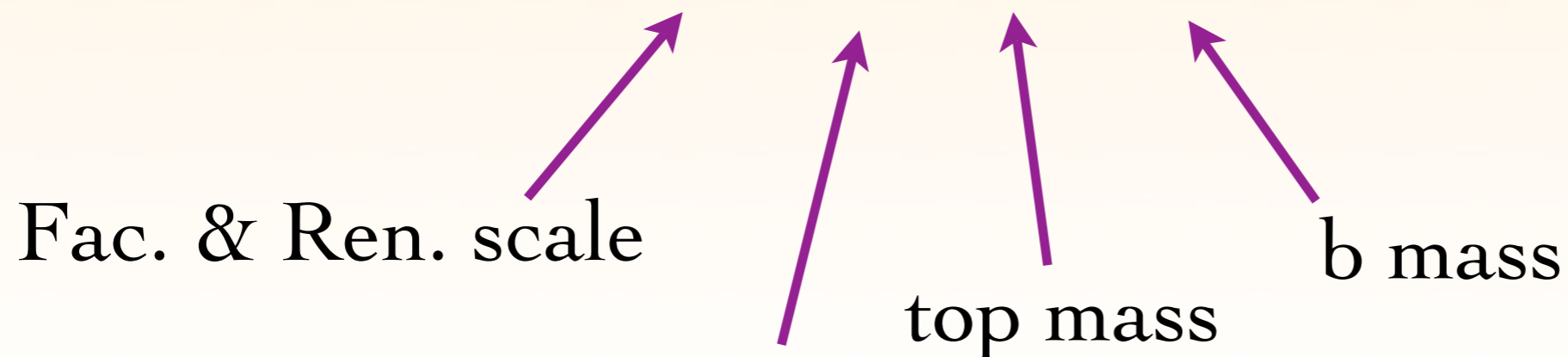
- Tevatron, LHC is similar
- Stronger dependence on heavy line, as expected
- Preference for scales smaller than m_t
- Choose central values:
 $\mu_L = m_t/2, \mu_H = m_t/4$

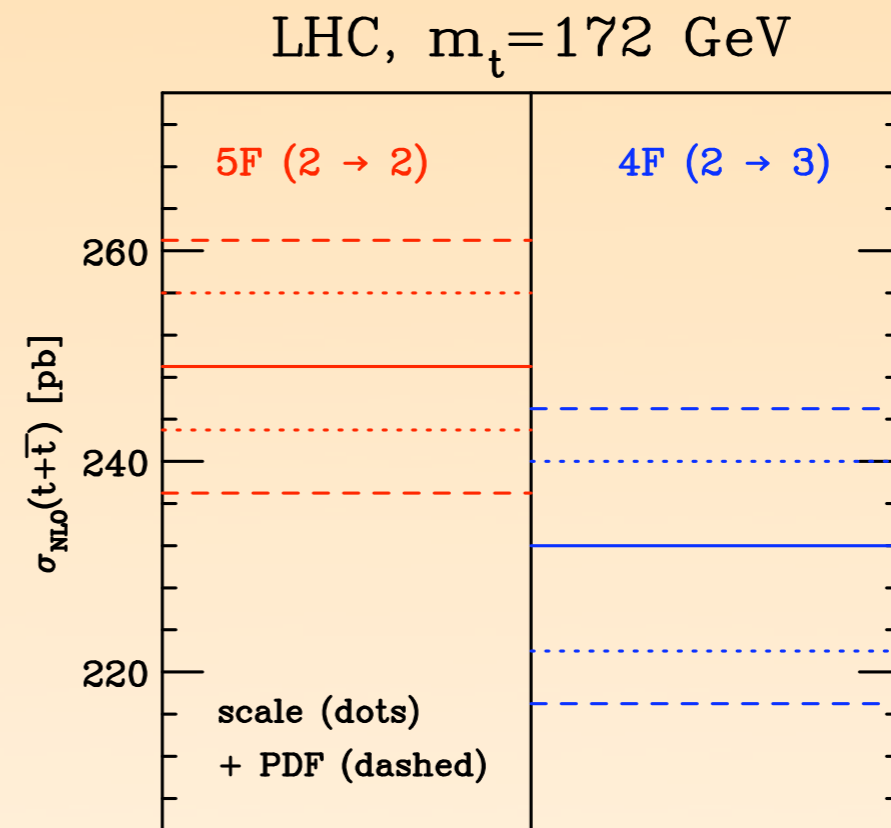
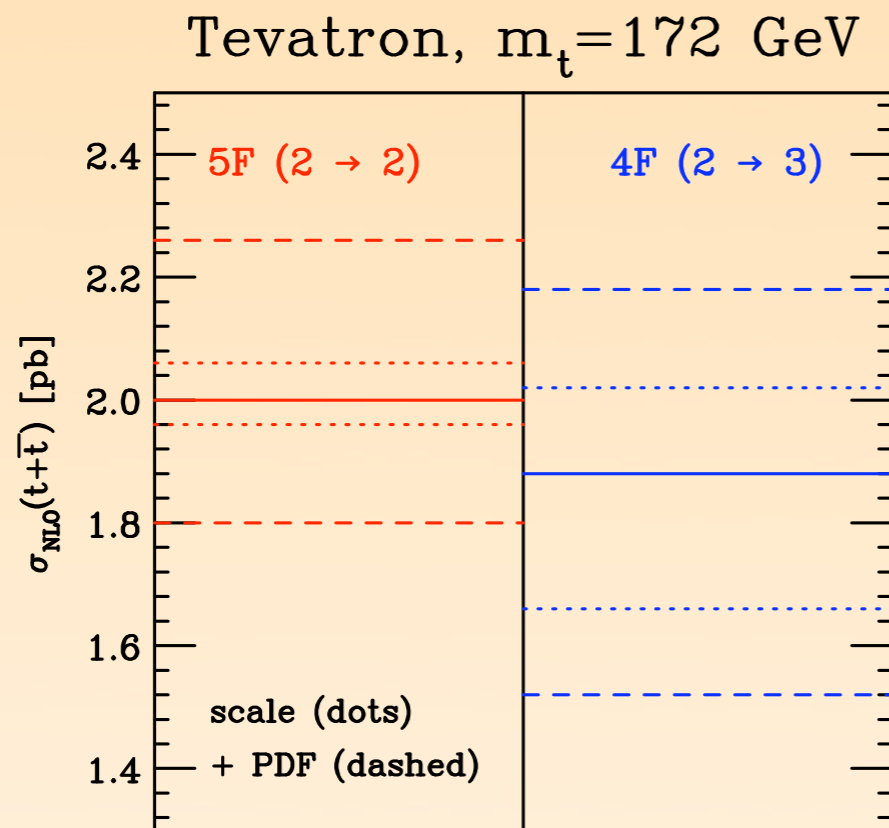


TOTAL RATES AND THEORY UNCERTAINTIES

- ✱ Estimate of the theory uncertainty:
 - ✱ independent variation of renormalization and factorization scales by a factor 2
 - ✱ 44 eigenvector CTEQ6.6 PDF's
 - ✱ Top mass: 172 ± 1.7 GeV
 - ✱ Bottom mass: 4.5 ± 0.2 GeV

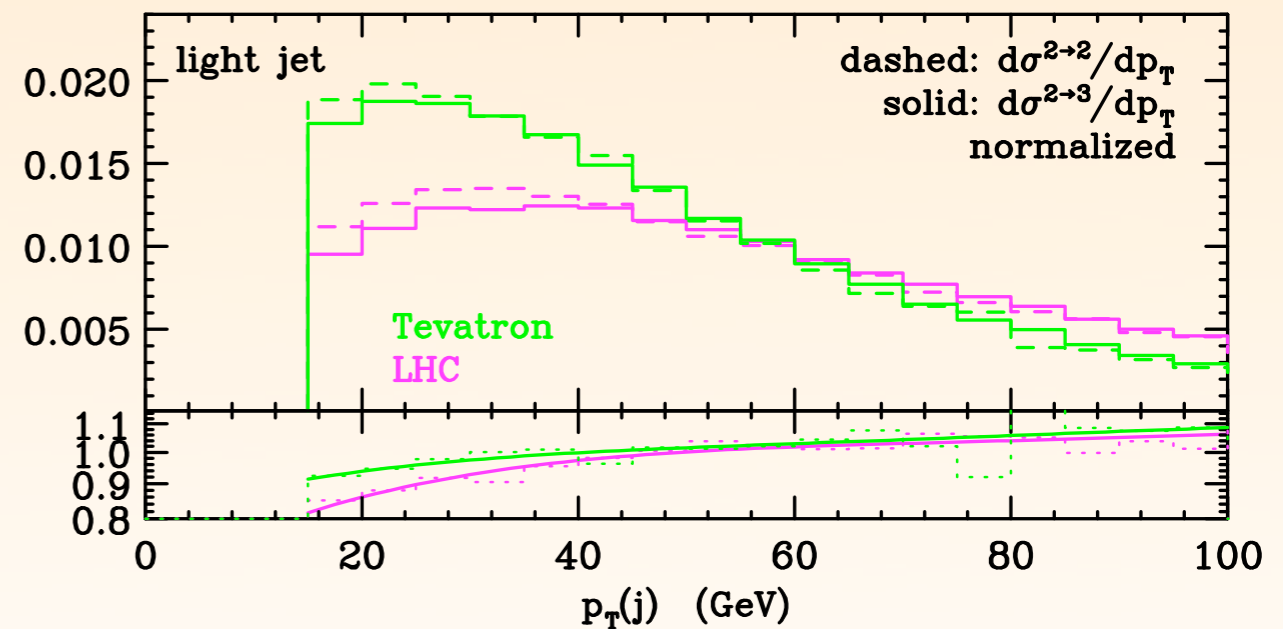
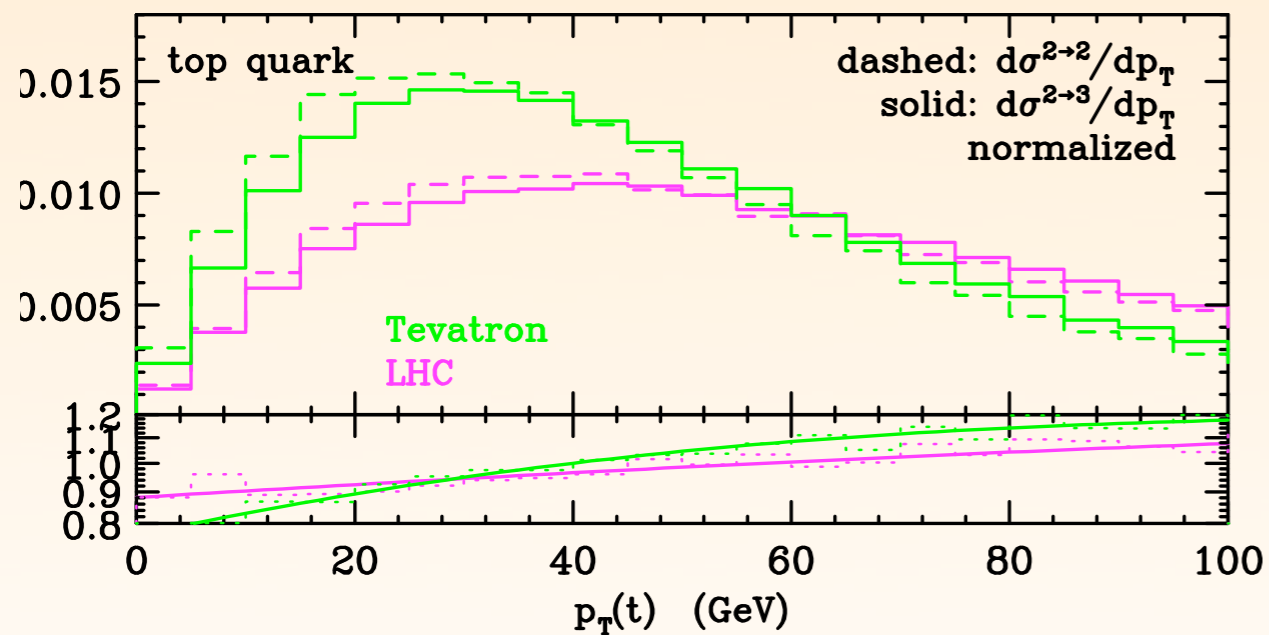
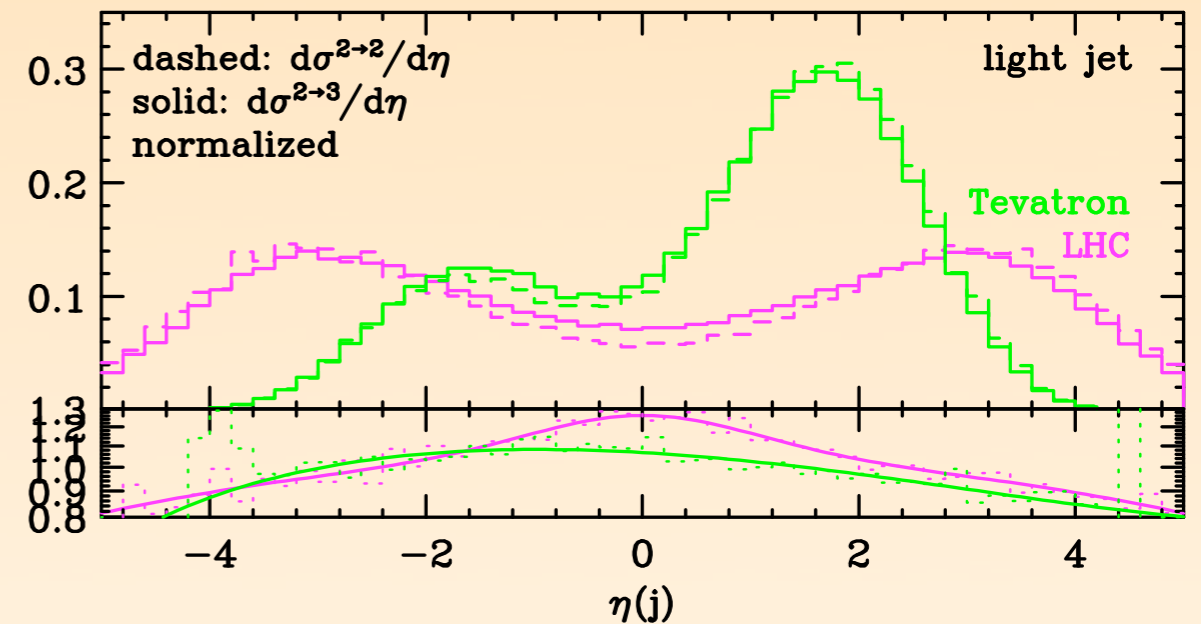
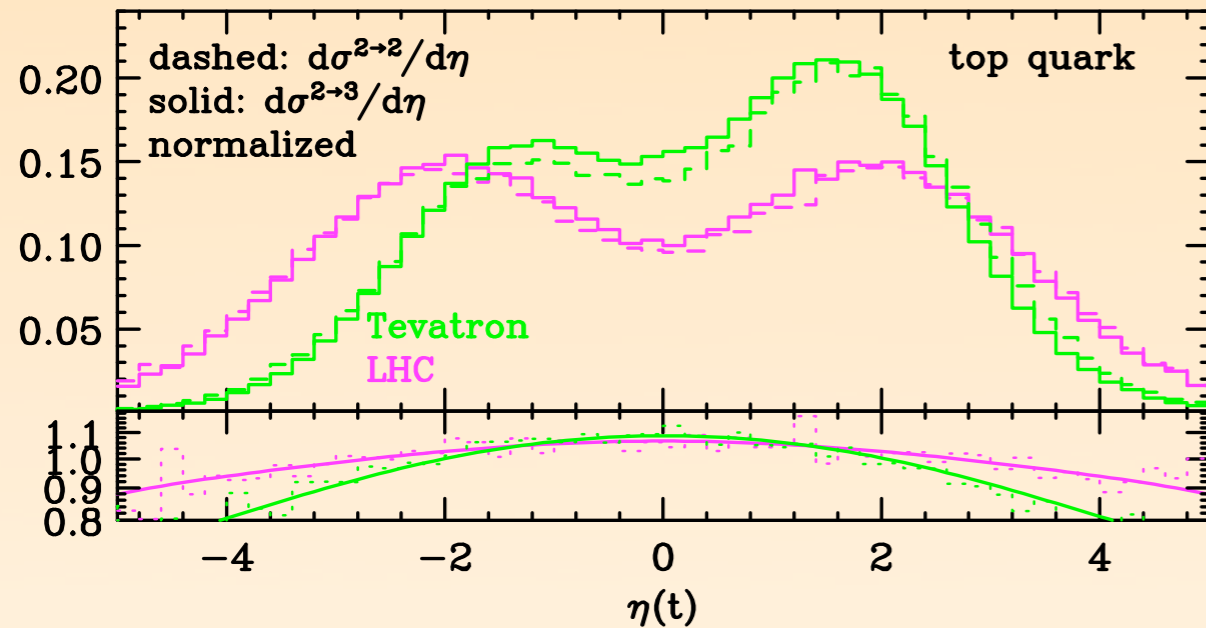
$\sigma_{t\text{-ch}}^{\text{NLO}}(t + \bar{t})$	$2 \rightarrow 2$ (pb)					$2 \rightarrow 3$ (pb)				
Tevatron Run II	1.96	+0.05 -0.01	+0.20 -0.16	+0.06 -0.06	+0.05 -0.05	1.87	+0.16 -0.21	+0.18 -0.15	+0.06 -0.06	+0.04 -0.04
LHC (10 TeV)	130	+2 -2	+3 -3	+2 -2	+2 -2	124	+4 -5	+2 -3	+2 -2	+2 -2
LHC (14 TeV)	244	+5 -4	+5 -6	+3 -3	+4 -4	234	+7 -9	+5 -5	+3 -3	+4 -4





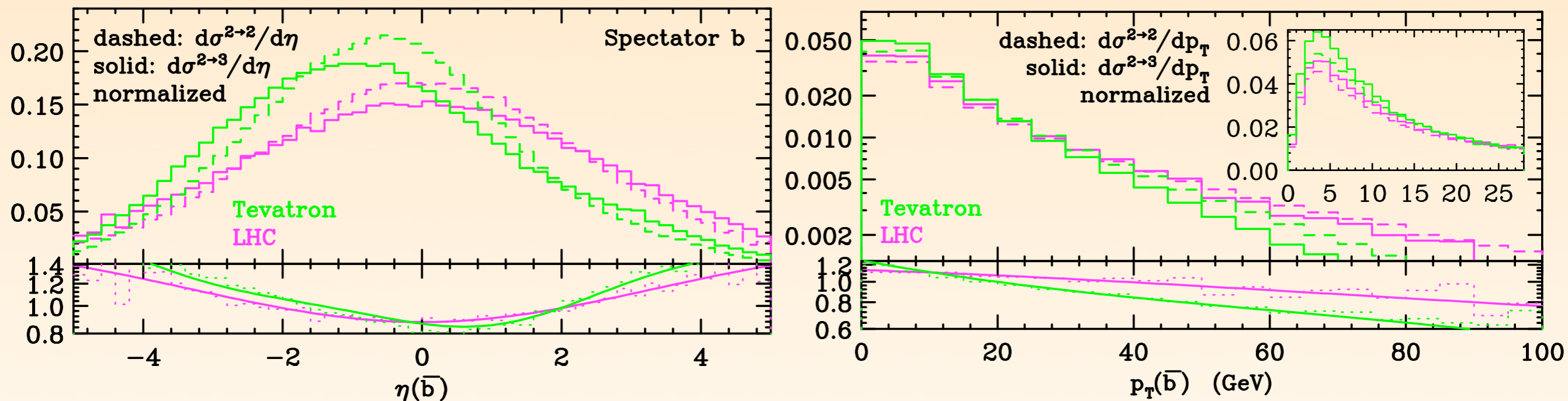
- ✱ Conservative combination of scale and PDF uncertainties
- ✱ PDF uncertainty dominant at Tevatron, but not at the LHC
- ✱ Consistent at the Tevatron: **logarithms not so important?**
- ✱ For the LHC, the minor difference could point to either
 - ✱ large logarithms being resummed
 - ✱ the need for a NNLO calculation in the 5F (2 → 2) scheme (for which the 4F (2 → 3) NLO already forms a part)

TOP QUARK DISTRIBUTIONS



- ✿ Jet defined by: $p_T > 15$ GeV, $\Delta R > 0.7$
- ✿ Some differences, but typically of the order of $\sim 10\%$ in the regions where the cross section is large

BOTTOM QUARK



- ✿ First NLO prediction for this observable
- ✿ More forward and softer in 4F ($2 \rightarrow 3$), particularly at the Tevatron
- ✿ Deviations up to $\sim 20\%$

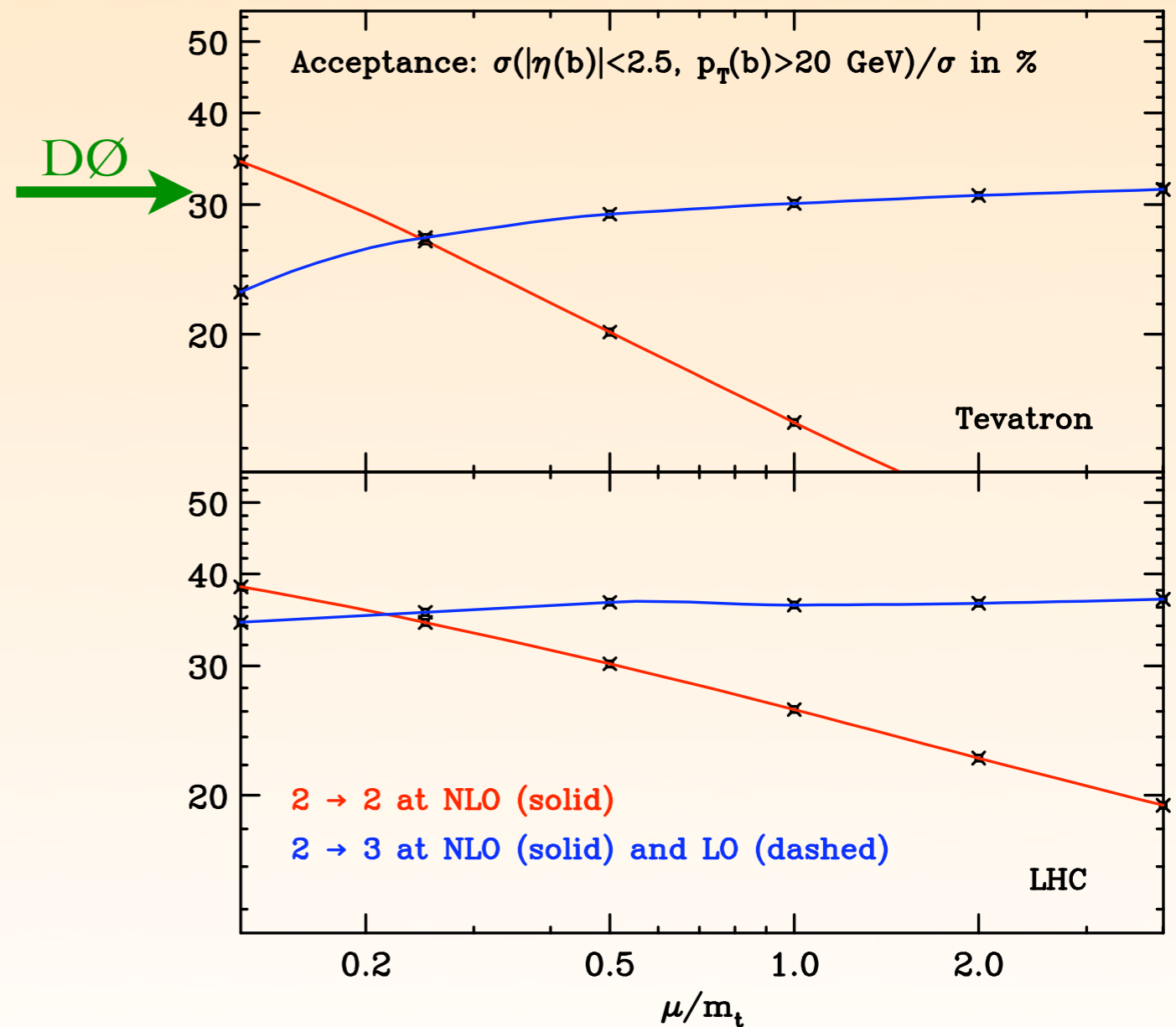
MORE BOTTOMS IN 4F

- ✱ Event though b quarks in the 4F ($2 \rightarrow 3$) scheme are more forward and softer, **we expect to see more b's than in the 5F ($2 \rightarrow 2$)**
- ✱ In 5F ($2 \rightarrow 2$) only a subset of real emission diagrams have a final state b quark
- ✱ Define “acceptance” as the ratio of events that have a central, hard b over inclusive cross section:

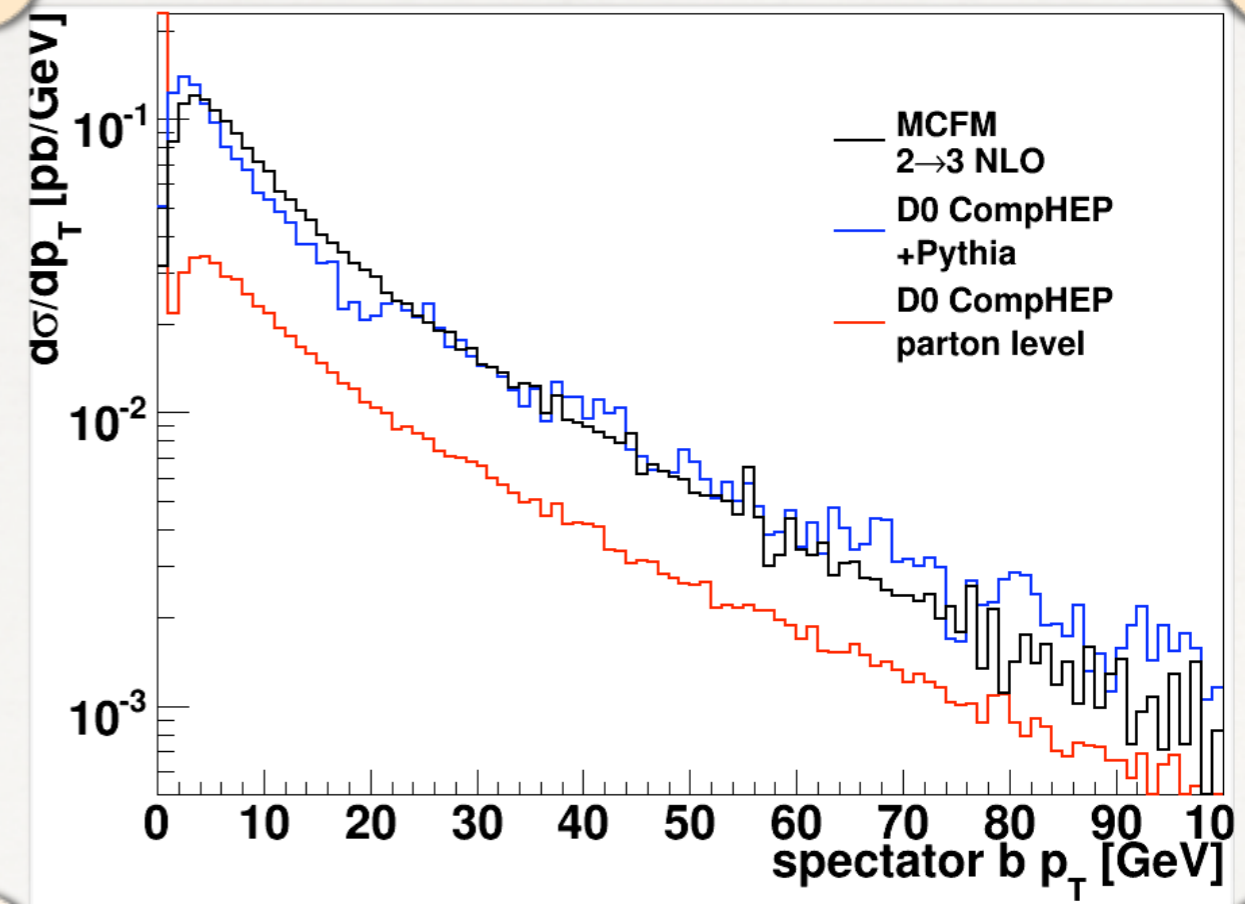
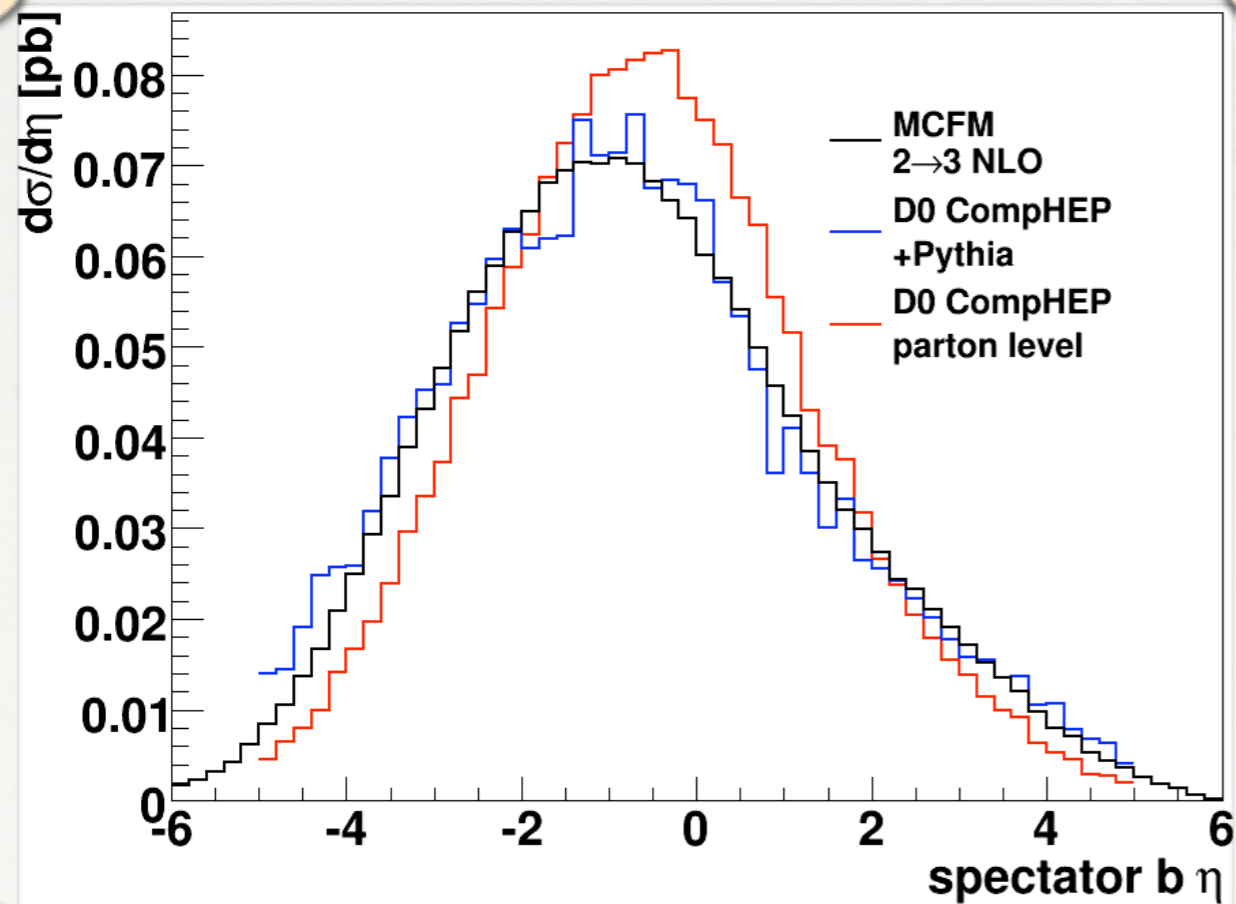
$$\frac{\sigma(|\eta(b)| < 2.5, p_T(b) > 20 \text{ GeV})}{\sigma_{\text{inclusive}}}$$

ACCEPTANCE

- Very large scale dependence for $5F$ ($2 \rightarrow 2$),
 \rightarrow effectively a LO quantity
- NLO $4F$ ($2 \rightarrow 3$) much stabler
 - $2 \rightarrow 3$ LO underestimates the uncertainty
- Striking difference at the Tevatron!



DØ

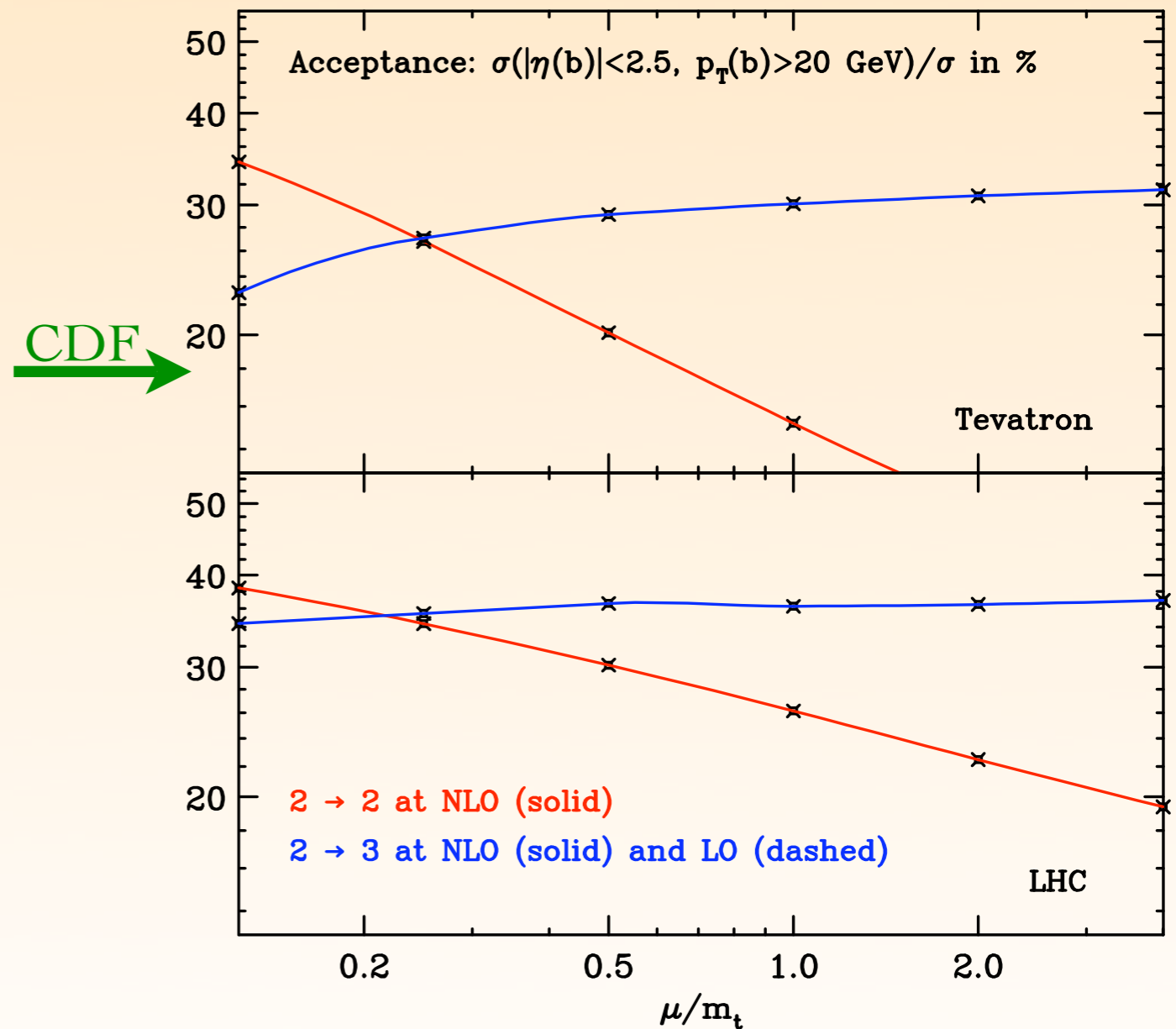


☀ Results look pretty good!

RF, Fabio Maltoni e Reinhard Schwienhorst

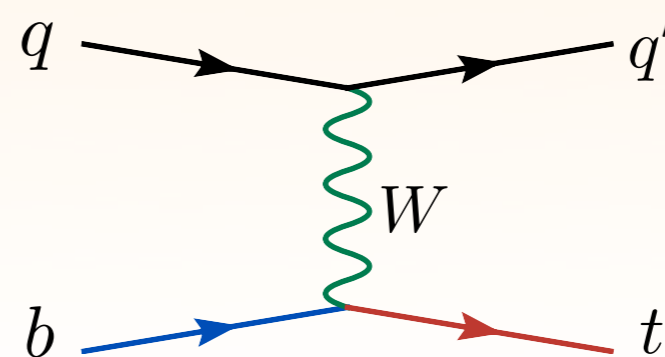
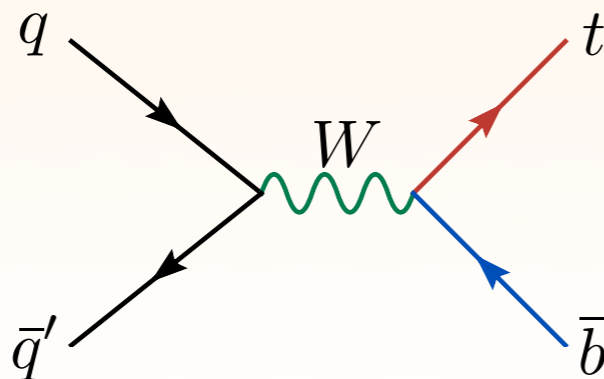
ACCEPTANCE

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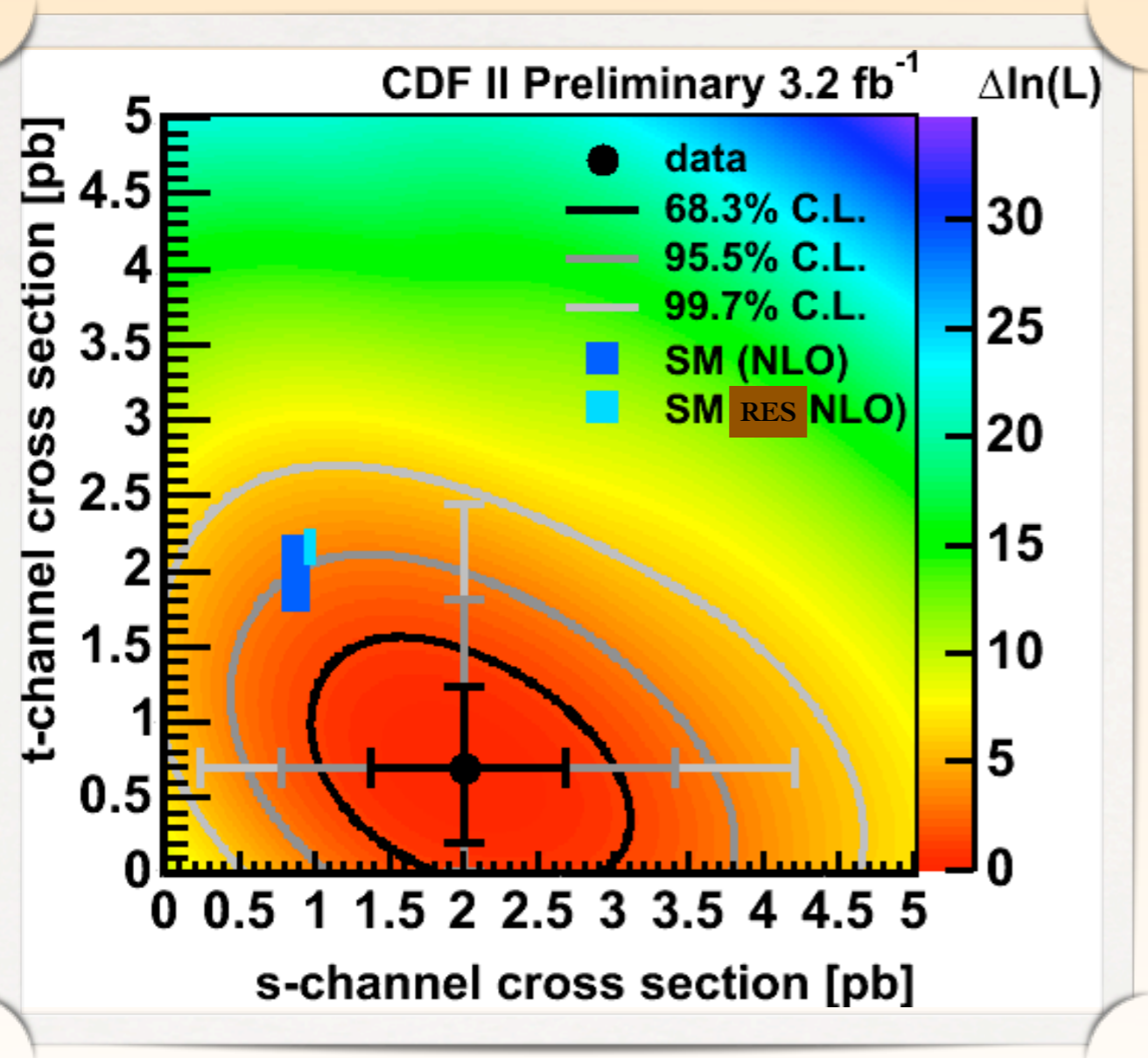


CONSEQUENCES FOR SINGLE TOP OBSERVATION?

- ✱ Difficult to say a priori...
- ✱ Naively:
 - ✱ No change in total cross section (s + t channel)
 - ✱ Measured t channel goes up, s channel goes down
 - ✱ More events that were considered s channel before are in fact t channel, because more t channel events have also a spectator b quark



S AND T CHANNEL SEPARATION AT CDF



CDF note 9716

- ☼ Could this explain (part of) this 2 sigma deviation?
- ☼ We are in contact with CDF and DØ single top groups to address these issues

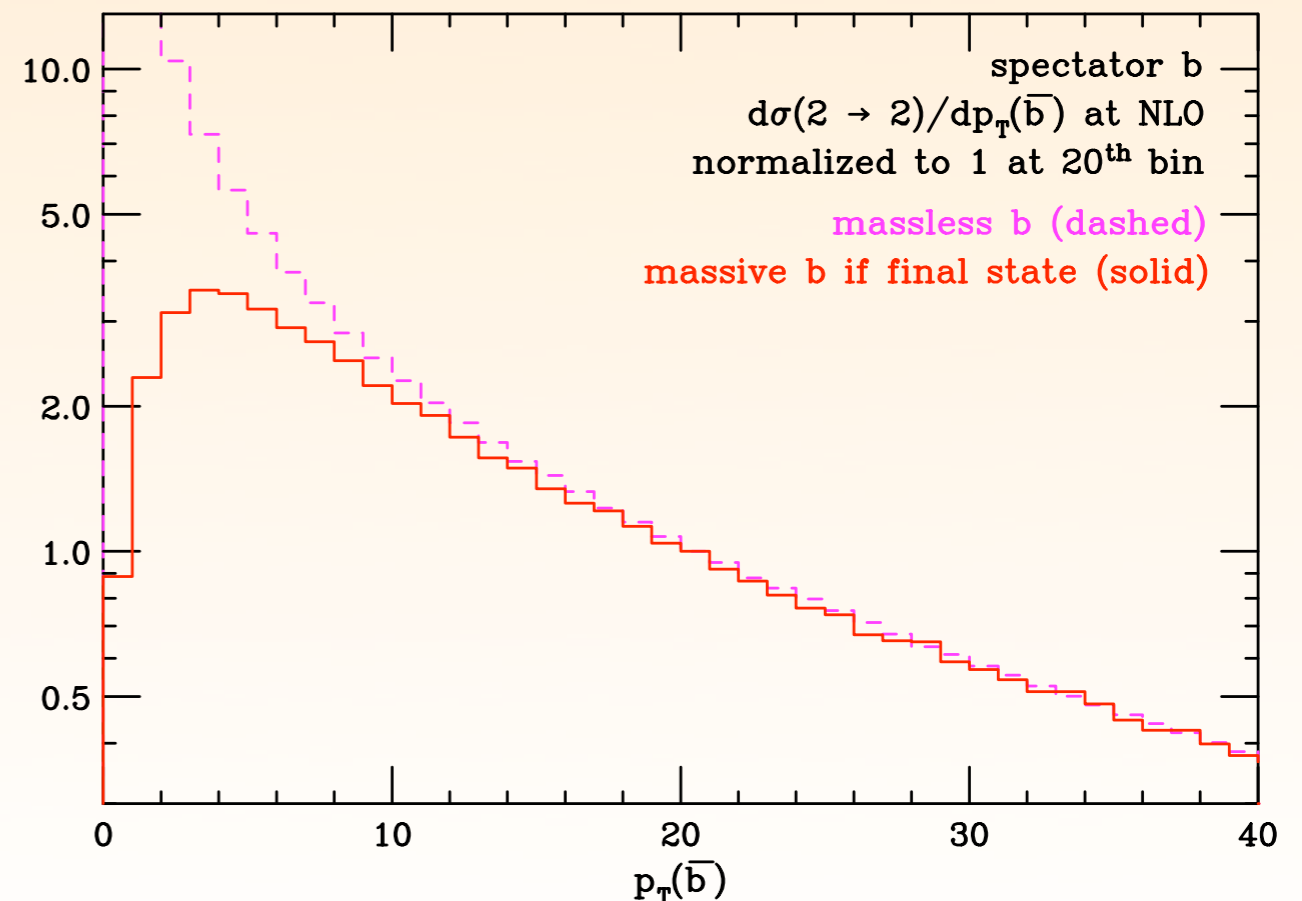
CONCLUSIONS

- ✿ Single top has just been observed with a significance larger than 5 S.D.
- ✿ Simple improvement possible for a more model-independent determination of $|V_{tb}|$, i.e. relaxing the constraint that $|V_{tb}| \gg |V_{ts}|, |V_{td}|$
- ✿ Comparison of NLO computations of t-channel single top (in the 4F and 5F schemes) allows for the exploration of theoretical assumptions and prejudice.
- ✿ The two calculations are in excellent agreement at the Tevatron, but marginal at the LHC.
- ✿ Spectator b distribution predicted at NLO throughout entire phase space
 - ✿ Probably a significant impact on discrimination of t- and s-channel events for CDF (DØ is probably in good shape)

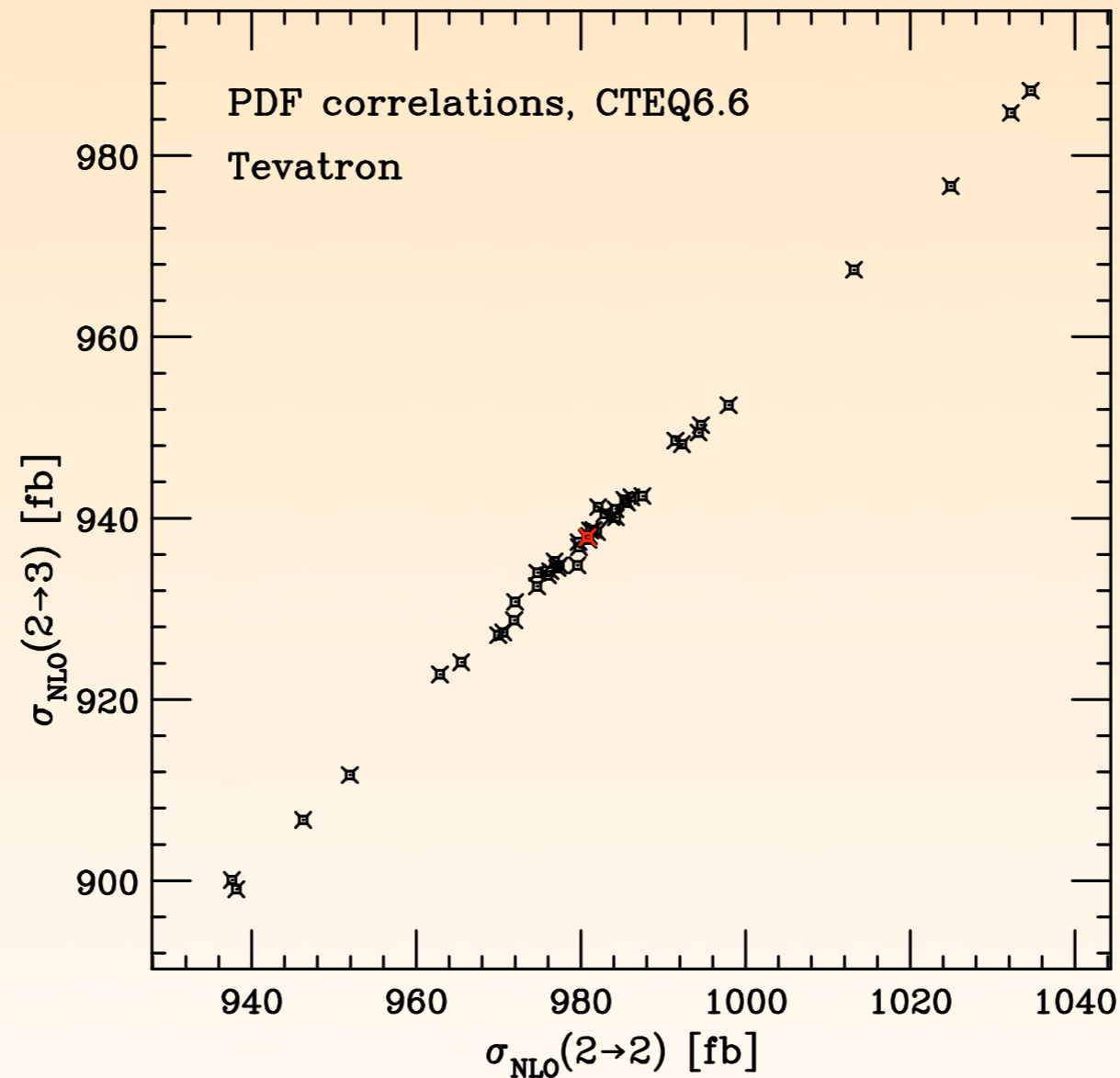
BACKUP SLIDES

SPECTATOR B QUARK MASS IN $2 \rightarrow 2$

- ✱ A non-zero b quark mass can be used in real emission diagrams
- ✱ Explicit logarithm cancelled using the ACOT formalism
- ✱ Negligible effect on total rate, distributions of top & light jet
- ✱ Significant effect on the b quark -- “diverges” for $m_b=0$ at zero p_T



PDF CORRELATION



✿ PDF correlation between $2 \rightarrow 2$ and $2 \rightarrow 3$ (almost) 100%

TEVATRON VS LHC

top pair (LO)	Cross section in pb (percentage from gg)	
	1.96 TeV	14 TeV
pp	1.08 (26.8%)	537 (86.7%)
ppbar	5.62 (5.07%)	554 (83.7%)

s-channel single top (t+tbar) (LO)	Cross section in pb	
	1.96 TeV	14 TeV
pp	0.578	8.29
ppbar	0.226	7.53