

MadGraph 5 – The All-New Matrix Element generator for Everything

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Fermilab Theory Seminar, March 31, 2011

The LHC is on track!



but where are we heading...?

What will be needed for the LHC?

NLO

Exp-TH
communication

*Very exotic
models*

Exotic models

Effective theories

DECAY CHAINS

MATRIX

*Advanced
analysis
techniques*

Multi-jet samples

ELEMENTS

**Cluster/Grid
computing**

Merging ME/PS

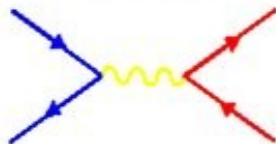
DECAY PACKAGES

Testing / robustness

User friendliness

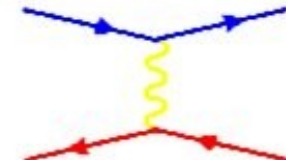
MadGraph/MadEvent 4

- One of the **most widely used** automatized matrix element generators
 - Specify any process using simple syntax
 - > 1500 registered users (+ CDF/D0/CMS/ATLAS/...)
- Originally written by Tim Stelzer in 1994
- Phase space integrator/event generator **MadEvent** by F. Maltoni and T. Stelzer in 2002
- MadGraph/MadEvent v. 4 in 2006



MadGraph Version 4

UCL UIUC Fermi
by the MG/ME Development team



[Generate Process](#)

[Register](#)

[Tools](#)

[My Database](#)

[Cluster Status](#)

[Downloads \(needs registration\)](#)

[Wiki/Docs](#)

[Admin](#)

Generate Code On-Line

To improve our web services we now request that you register. Registration is quick and free. You may register for a password by clicking [here](#)

Code can be generated either by:

I. Fill the form:

MadGraph Version :

[What is MadGraph 5?](#)

Model:

[Model descriptions](#)

Input Process:

[Examples/format](#)

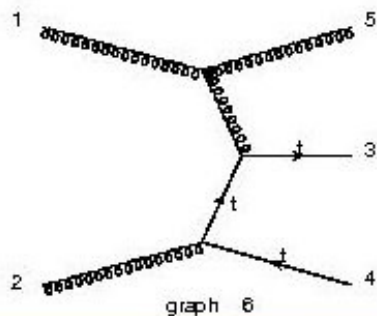
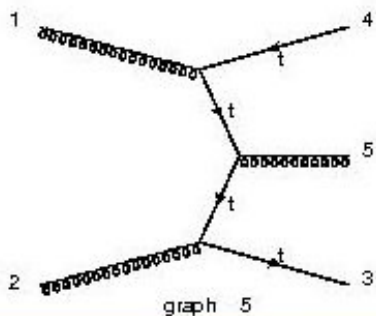
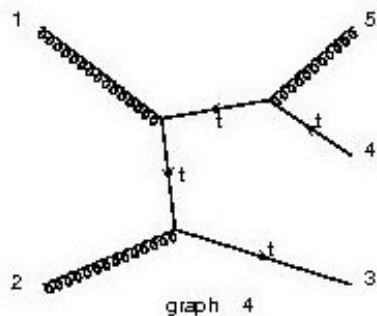
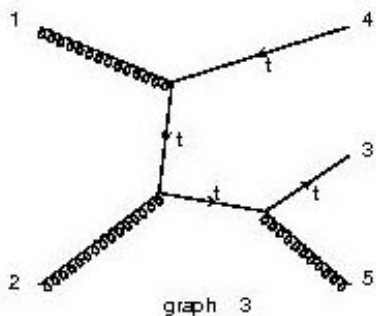
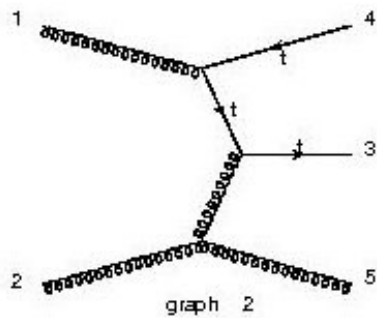
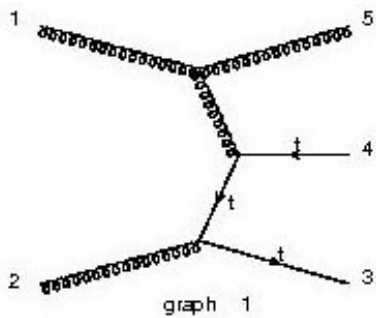
Max QCD Order:

Max QED Order:

p and j definitions:

Postscript Diagrams

Diagrams by MadGraph gg->tt+g



Results for $p p > t t \sim j$ in the sm

Available Results

Links	Events	Tag	Run	Collider	Cross section (pb)	Events			
results plots banner	Parton-level			p p 7000 x 7000 GeV	.60019E+03	10000	LHE rootfile		
	Hadron-level (Pythia)		fermi				run_01	STDHEP LHE rootfile (LHE)	Remove run
	Reco. Objects. (PGS)						LHCO rootfile	Remove Pythia	
							Remove PGS		

[Main Page](#)

Why new MadGraph?

- First version of core code from 1994
 - Never intended for the present variety of use cases and periferal tools
- Written in Fortran 77
 - Fixed array sizes
 - No recursion
 - Difficult to modularize, modify or extend (no OO, dynamic libraries,...)
- Becoming a roadblock for new developments

MadGraph 5

- Development started November 2009
 - First public full MG functionality version in May 2010
 - Release version 1.0.0 upcoming (including revamped MadEvent and much much more)
- Programming language: **Python**
 - (Very) high level, modern programming language
 - Easy to learn/write/maintain/extend/structure/...
- Modular program structure
 - Central collection of tools for any matrix element-based implementations
- New algorithms for every part of the code
 - Diagram generation, color, decay chains, ...

Speed benchmarks

Full MadEvent subprocess directory output, including diagram drawing

Computer: Sony Vaio TZ

Process	MADGRAPH 4	MADGRAPH 5	Subprocesses	Diagrams
$pp \rightarrow jjj$	29.0 s	54.4 s	34	307
$pp \rightarrow jjl^+l^-$	341 s	258 s	108	1216
$pp \rightarrow jjje^+e^-$	1151 s	654 s	141	9012
$u\bar{u} \rightarrow e^+e^-e^+e^-e^+e^-$	772 s	175 s	1	3474
$gg \rightarrow ggggg$	2788 s	1049 s	1	7245
$pp \rightarrow jj(W^+ \rightarrow l^+\nu_l)$	146 s	70 s	82	304
$pp \rightarrow t\bar{t} + \text{full decays}$	5640 s	22 s	27	45
$pp \rightarrow \tilde{q}/\tilde{g} \tilde{q}/\tilde{g}$	222 s	286 s	313	475
7 particle decay chain	383 s	5.2 s	1	6
$gg \rightarrow (\tilde{g} \rightarrow u\bar{u}\tilde{\chi}_1^0)(\tilde{g} \rightarrow u\bar{u}\tilde{\chi}_1^0)$	70 s	5.5 s	1	48
$pp \rightarrow (\tilde{g} \rightarrow jj\tilde{\chi}_1^0)(\tilde{g} \rightarrow jj\tilde{\chi}_1^0)$	$\gg 1$ year	551 s	144	11008

$$gg \rightarrow (\tilde{g} \rightarrow u(\bar{u}_l \rightarrow \bar{u}(\tilde{\chi}_2^0 \rightarrow Z\tilde{\chi}_1^0))) (\tilde{g} \rightarrow u\bar{d}\tilde{\chi}_1^-)$$

Speed of ME calculation

Computer: Sony Vaio TZ

Process	Amplitudes	Wavefunctions		Run time	
		MG 4	MG 5	MG 4	MG 5
$u\bar{u} \rightarrow e^+e^-$	2	6	6	$< 6\mu\text{s}$	$< 6\mu\text{s}$
$u\bar{u} \rightarrow e^+e^-e^+e^-$	48	62	32	0.22 ms	0.14 ms
$u\bar{u} \rightarrow e^+e^-e^+e^-e^+e^-$	3474	3194	301	46.5 ms	19.0 ms
$u\bar{u} \rightarrow d\bar{d}$	1	5	5	$< 4\mu\text{s}$	$< 4\mu\text{s}$
$u\bar{u} \rightarrow d\bar{d}g$	5	11	11	$27\mu\text{s}$	$27\mu\text{s}$
$u\bar{u} \rightarrow d\bar{d}gg$	38	47	29	0.42 ms	0.31 ms
$u\bar{u} \rightarrow d\bar{d}ggg$	393	355	122	10.8 ms	6.75 ms
$u\bar{u} \rightarrow u\bar{u}gg$	76	84	40	1.24 ms	0.80 ms
$u\bar{u} \rightarrow u\bar{u}ggg$	786	682	174	35.7 ms	17.2 ms
$u\bar{u} \rightarrow d\bar{d}d\bar{d}$	14	28	19	$84\mu\text{s}$	$83\mu\text{s}$
$u\bar{u} \rightarrow d\bar{d}d\bar{d}g$	132	178	65	1.88 ms	1.15 ms
$u\bar{u} \rightarrow d\bar{d}d\bar{d}gg$	1590	1782	286	141 ms	34.4 ms
$u\bar{u} \rightarrow d\bar{d}d\bar{d}d\bar{d}$	612	758	141	42.5 ms	6.6 ms

Speed of ME calculation

Computer: Sony Vaio TZ

Process	Amplitudes	Wavefunctions		Run time	
		MG 4	MG 5	MG 4	MG 5
$u\bar{u} \rightarrow e^+e^-$	1	1	1	< 6 μ s	< 6 μ s
$u\bar{u} \rightarrow e^+e^-e^+e^-$	48	62	52	0.22 ms	0.14 ms
$u\bar{u} \rightarrow e^+e^-e^+e^-e^+e^-$	3474	3194	301	46.5 ms	19.0 ms
$u\bar{u} \rightarrow d\bar{d}$	1	5	5	< 4 μ s	< 4 μ s
$u\bar{u} \rightarrow d\bar{d}g$	5	11	11	27 μ s	27 μ s
$u\bar{u} \rightarrow d\bar{d}gg$	38	47	29	0.42 ms	0.31 ms
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$u\bar{u} \rightarrow d\bar{d}d\bar{d}d\bar{d}$	612	758	141	42.5 ms	6.6 ms

Factor ~10 less function calls
 → factor ~2.5 speed improvement!

Test suite

Unit (= method) tests, Acceptance tests and Parallel tests

```
[alwall@alwall-laptop madgraph5] python tests/test_manager.py
```

```
...  
Test a complete decay chain process gp>jg,j>jjj,j>jjj ... ok  
Test a complete decay chain process pp>jj,j>jj with QED=2, QCD=2 ... ok  
Test the functions for checking equal decay chains ... ok  
Test the HelasMultiProcess with the processes uu~>uu~ ... ok  
Setting up and testing pp > nj based on multiparticle lists, ... ok  
Test decay chain with majorana particles e+e->n1n1 ... ok  
Test a multistage decay g g > d d~, d > g d, d~ > g d~, g > u u~ g ... ok  
Test error raising in HelasWavefunction __init__, get and set ... ok  
Test filters for wavefunction properties ... ok  
Test the color basis building for uu~ > aggg (3! elements) ... ok  
Test the color flow decomposition of various color strings ... ok  
Test the colorize function for uu~ > gg ... ok  
Test the colorize function for uu~ > ggg ... ok  
Test the Nc power restriction during color basis building ... ok  
Test index fixing for immutable color string ... ok
```

```
-----  
Ran 415 tests in 34.098s
```

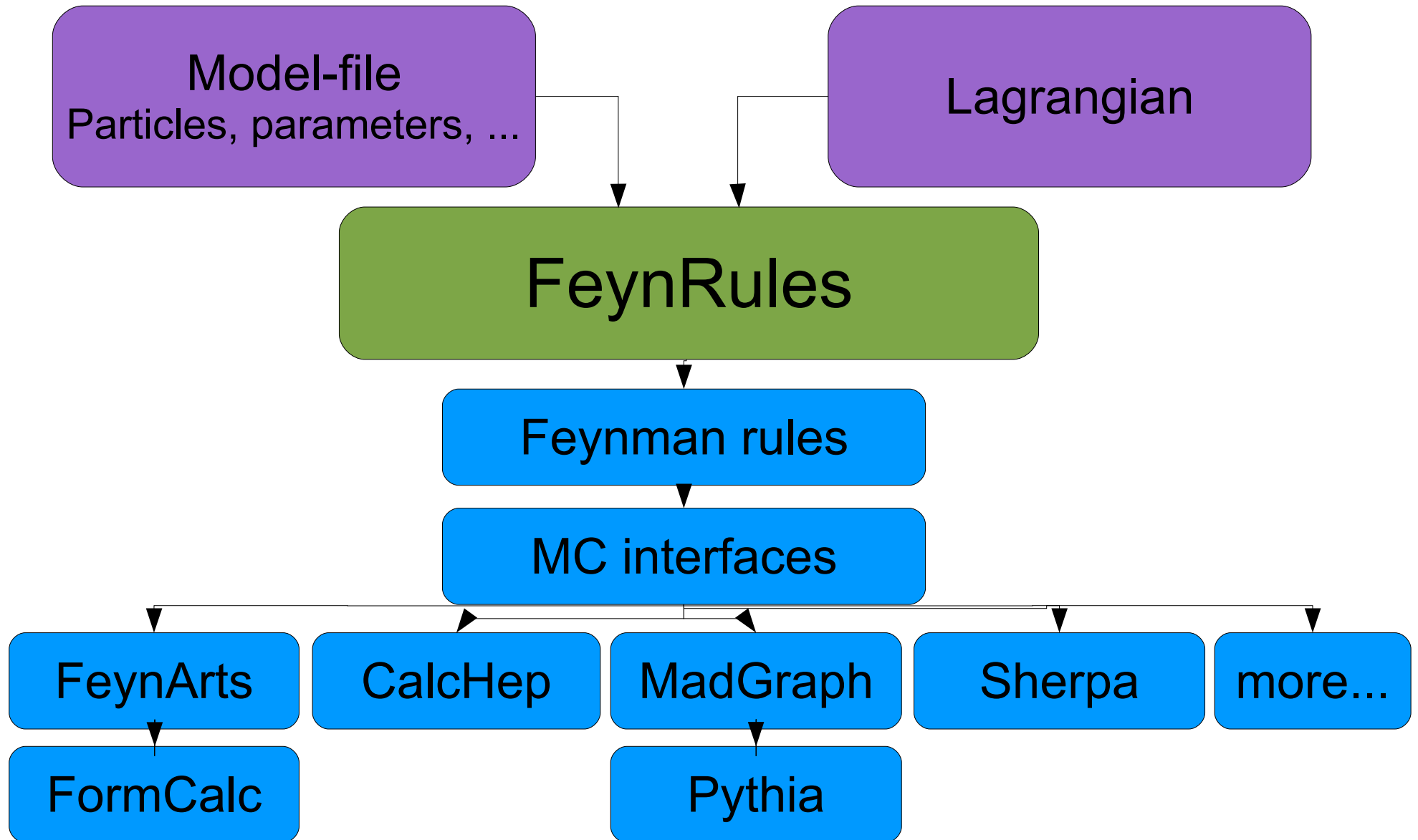
~30500 lines of tests, cf. ~29000 lines of code in MadGraph 5

The big news

- ★ Automatic writing of HELAS routines for vertices with any Lorentz structure
- ★ Effective vertices with any number of particles (including multi-fermion vertices)
- ★ New color structures (color sextets and ϵ^{ijk})
- ★ Checks to validate model implementations
- ★ Output of C++ matrix elements for Pythia 8
- ★ New, compact organization of subprocesses and integration channels in MadEvent
- ★ Really user-friendly command line interface

Sidenote: FeynRules

[Christiansen, Duhr, arXiv:0806.4194]



Automatic HELAS routines

with P. de Aquino, C. Duhr, W. Link

- Universal FeynRules Output (UFO)
 - Includes color and Lorentz structure
 - Allows for complete specification of effective/non-renormalizable vertices
 - Allows for automatic output of model parameter calculations for any model and language
- Automatic Language-independent Output of Helicity Amplitudes (ALOHA)
 - Automatic generation the necessary helicity amplitude code for any new model (including effective theories, multi-fermion vertices,...) in Fortran/C++/Python/...

Universal FeynRules Output (UFO)

particles.py:

```
G = Particle(pdg_code = 21,  
            name = 'G',  
            antiname = 'G',  
            spin = 3,  
            color = 8,  
            mass = 'ZERO',  
            width = 'ZERO',  
            texname = 'G',  
            antitexname = 'G',  
            line = 'curly',  
            charge = 0,  
            LeptonNumber = 0,  
            GhostNumber = 0)
```

lorentz.py:

```
VVV1 = Lorentz(name = 'VVV1',  
              spins = [ 3, 3, 3 ],  
              Structure =  
                  'P(3,1)*Metric(1,2) -  
                  P(3,2)*Metric(1,2) -  
                  P(2,1)*Metric(1,3) +  
                  P(2,3)*Metric(1,3) +  
                  P(1,2)*Metric(2,3) -  
                  P(1,3)*Metric(2,3)')
```

couplings.py:

```
GC_4 = Coupling(name = 'GC_4',  
               value = '-G',  
               order = {'QCD':1})
```

vertices.py:

```
V_2 = Vertex(name = 'V_2',  
            particles = [ P.G, P.G, P.G ],  
            color = [ 'f(1,2,3)' ],  
            lorentz = [ L.VVV1 ],  
            couplings = {(0,0):C.GC_4})
```

ALOHA output

Fortran

```
SUBROUTINE VV1_0(V1,V2,V3,C,VERTEX)
IMPLICIT NONE
DOUBLE COMPLEX V1(6)
DOUBLE COMPLEX V2(6)
DOUBLE COMPLEX V3(6)
DOUBLE COMPLEX C
DOUBLE COMPLEX VERTEX
DOUBLE PRECISION P2(0:3),P3(0:3),P1(0:3)
```

```
P2(0) = DBLE(V2(5))
P2(1) = DBLE(V2(6))
P2(2) = DIMAG(V2(6))
P2(3) = DIMAG(V2(5))
P3(0) = DBLE(V3(5))
P3(1) = DBLE(V3(6))
P3(2) = DIMAG(V3(6))
P3(3) = DIMAG(V3(5))
P1(0) = DBLE(V1(5))
P1(1) = DBLE(V1(6))
P1(2) = DIMAG(V1(6))
P1(3) = DIMAG(V1(5))
```

```
VERTEX = C*( (V3(1)*( (V1(1)*( (V2(2)*( (0, -1)*P1(1)+(0, 1)
$ *P3(1)))+( (V2(3)*( (0, -1)*P1(2)+(0, 1)*P3(2)))+(V2(4)*( (0,
$ -1)*P1(3)+(0, 1)*P3(3)))))+( (V2(1)*( (V1(2)*( (0, 1)*P2(1)
$ +(0, -1)*P3(1)))+( (V1(3)*( (0, 1)*P2(2)+(0, -1)*P3(2))
$ +(V1(4)*( (0, 1)*P2(3)+(0, -1)*P3(3)))))+( (P1(0)*( (0, 1)
$ *(V2(2)*V1(2))+(0, 1)*(V2(3)*V1(3))+(0, 1)*(V2(4)*V1(4))))
```

...

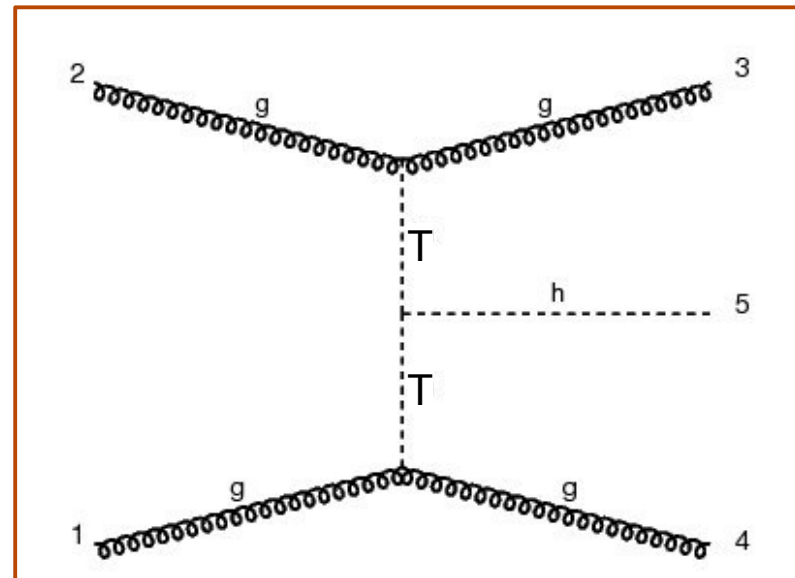
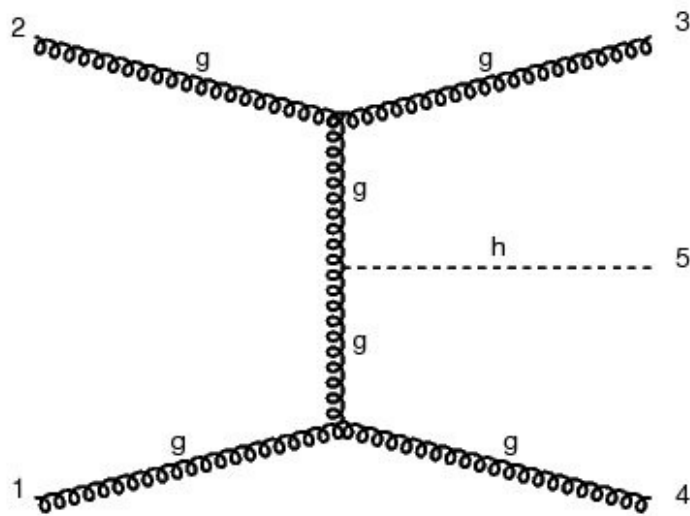
ALOHA output

C++

```
void VVV1_0(complex<double> V1[], complex<double> V2[], complex<double> V3[],
  complex<double> C, complex<double> & vertex)
{
  double P2[4], P3[4], P1[4];
  P2[0] = V2[4].real();
  P2[1] = V2[5].real();
  P2[2] = V2[5].imag();
  P2[3] = V2[4].imag();
  P3[0] = V3[4].real();
  P3[1] = V3[5].real();
  P3[2] = V3[5].imag();
  P3[3] = V3[4].imag();
  P1[0] = V1[4].real();
  P1[1] = V1[5].real();
  P1[2] = V1[5].imag();
  P1[3] = V1[4].imag();
  vertex = C * ((V3[0] * ((V1[0] * ((V2[1] * (complex<double> (0., -1.) * P1[1]
    + complex<double> (0., 1.) * P3[1])) + ((V2[2] * (complex<double> (0.,
    -1.) * P1[2] + complex<double> (0., 1.) * P3[2])) + (V2[3] *
    (complex<double> (0., -1.) * P1[3] + complex<double> (0., 1.) *
    P3[3]))) + ((V2[0] * ((V1[1] * (complex<double> (0., 1.) * P2[1] +
    complex<double> (0., -1.) * P3[1])) + ((V1[2] * (complex<double> (0., 1.)
    * P2[2] + complex<double> (0., -1.) * P3[2])) + (V1[3] * (complex<double>
    (0., 1.) * P2[3] + complex<double> (0., -1.) * P3[3])))) + ((P1[0] *
    (complex<double> (0., 1.) * (V2[1] * V1[1]) + complex<double> (0., 1.) *
    (V2[2] * V1[2]) + complex<double> (0., 1.) * (V2[3] * V1[3])) + (P2[0] *
    (complex<double> (0., -1.) * (V2[1] * V1[1]) + complex<double> (0., -1.)
    * (V2[2] * V1[2]) + complex<double> (0., -1.) * (V2[3] * V1[3])))))))) +
  ...
}
```

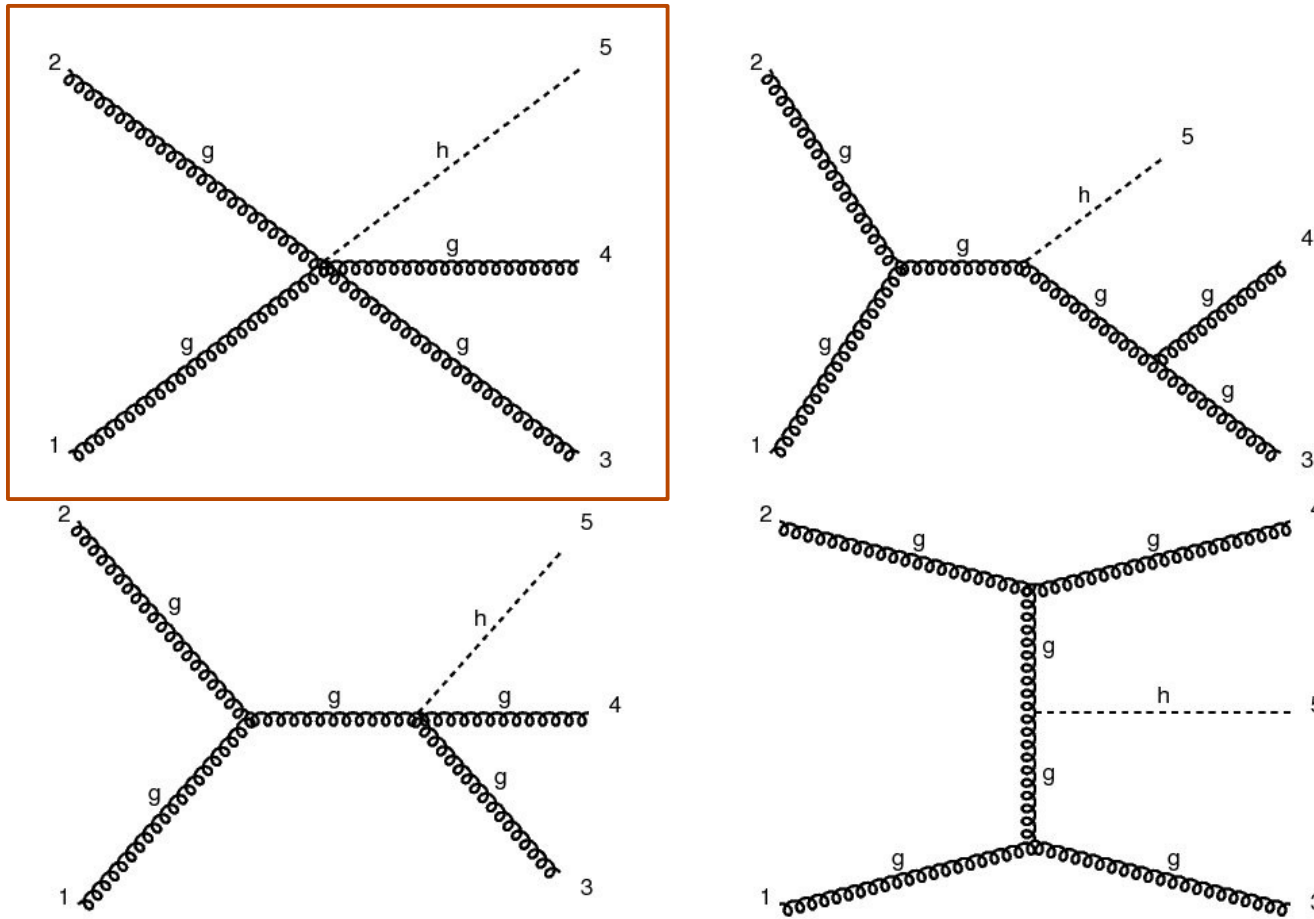
Multi-particle vertices

- Higgs effective couplings to gluons (through top loop)
 - From non-commutativity of QCD, get $H + 2$ -, 3 - and 4 -gluon vertices
 - In MG4: 5 -particle vertex handled by using non-propagating tensor particles



Effective multi-particle vertices

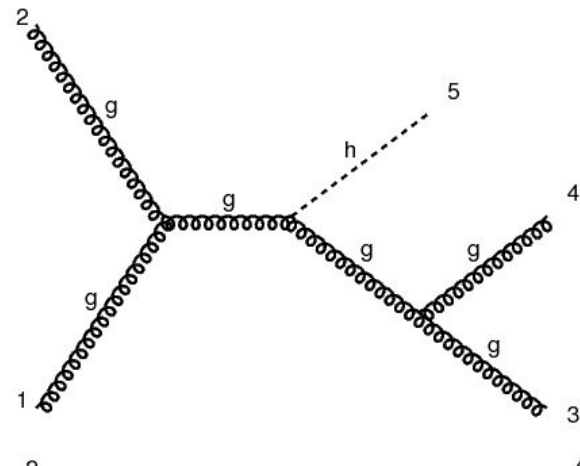
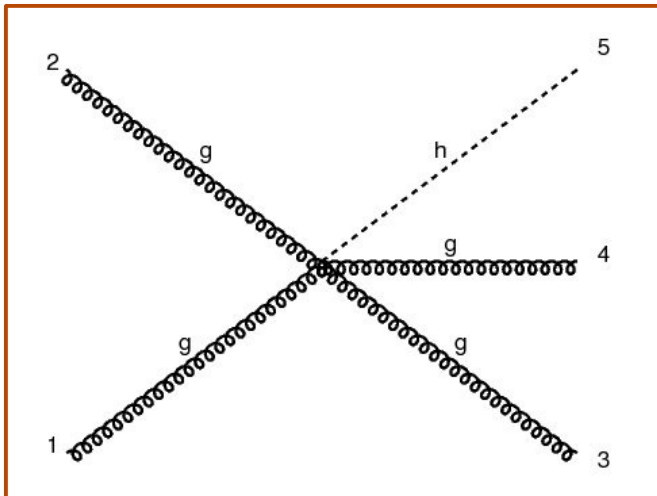
- In MG5: Use 5-particle vertex directly!



(Thoroughly tested against MG4)

Effective multi-particle vertices

- In MG5: Use 5-particle vertex directly!



lorenz.py

```

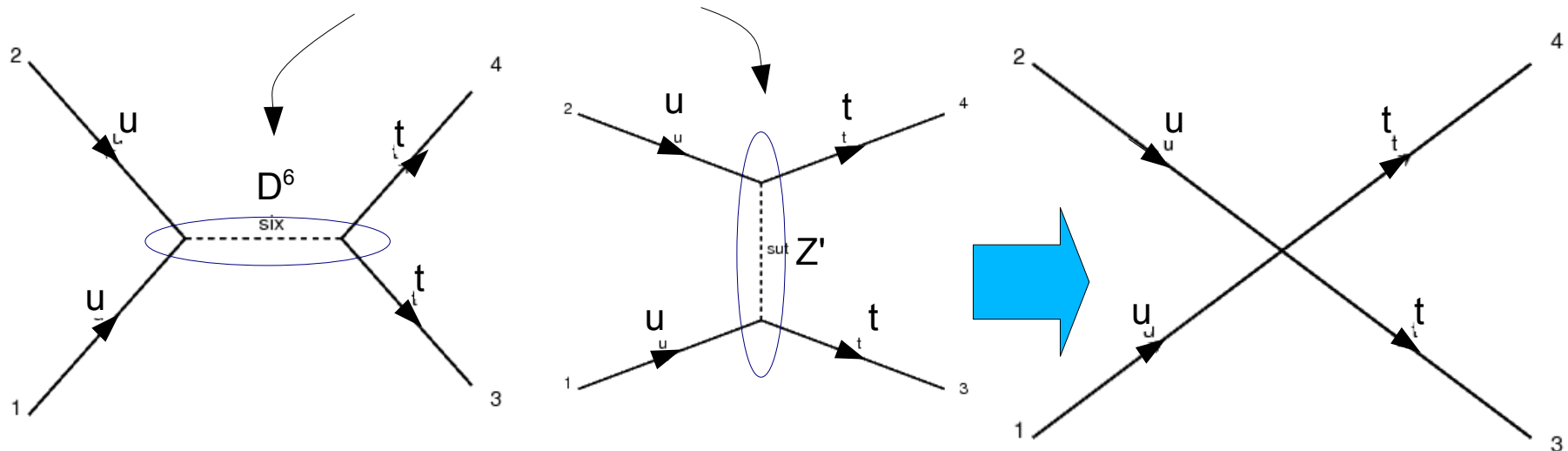
VVVS1 = Lorentz(name = 'VVVS1',
    spins = [ 3, 3, 3, 3, 1 ],
    structure = 'Metric(1,4)*Metric(2,3) - Metric(1,3)*Metric(2,4)')

VVVS2 = Lorentz(name = 'VVVS2',
    spins = [ 3, 3, 3, 3, 1 ],
    structure = 'Metric(1,4)*Metric(2,3) - Metric(1,2)*Metric(3,4)')

VVVS3 = Lorentz(name = 'VVVS3',
    spins = [ 3, 3, 3, 3, 1 ],
    structure = 'Metric(1,3)*Metric(2,4) - Metric(1,2)*Metric(3,4)')
    
```

Multi-fermion vertices

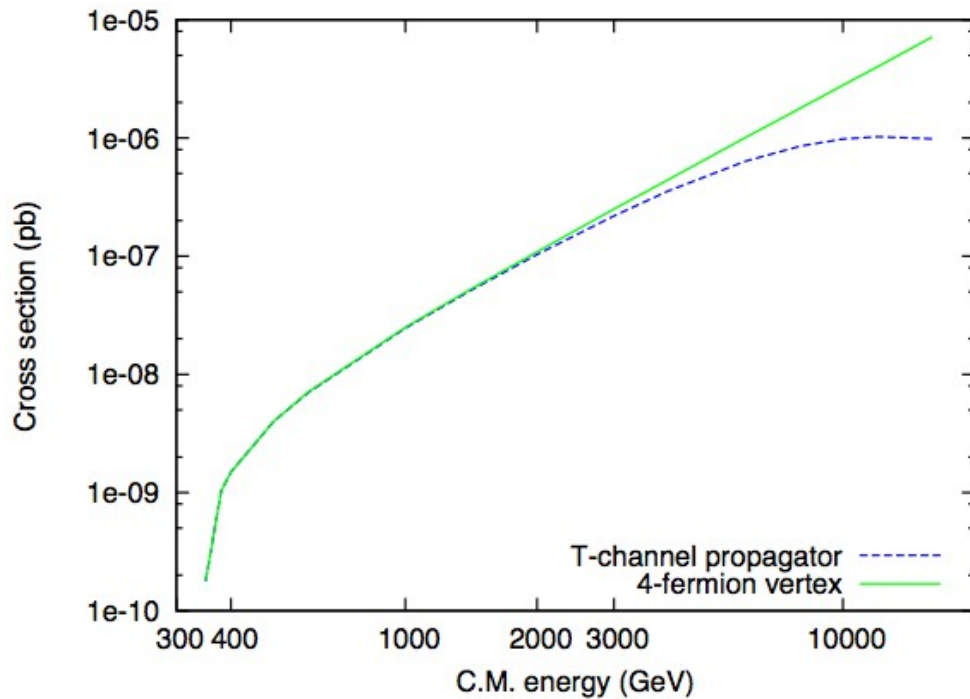
- Extra difficulty in multi-fermion vertices:
Fermion flow
 - Using convention based on particle ordering as $\text{IOIOIO}\dots$ (incoming-outgoing)
 - Example: $\bar{u} \bar{u} t t \neq \bar{u} t \bar{u} t$ (from MG point of view*)



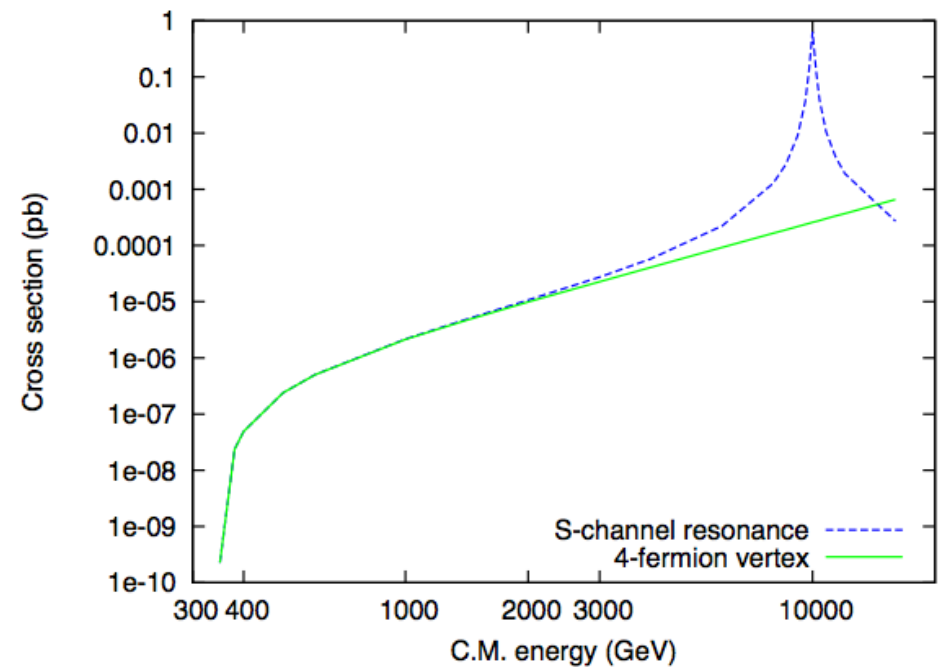
* Can interchange using Fierz identities

Multi-fermion vertices

Comparisons between explicit propagators
and 4-fermion vertex



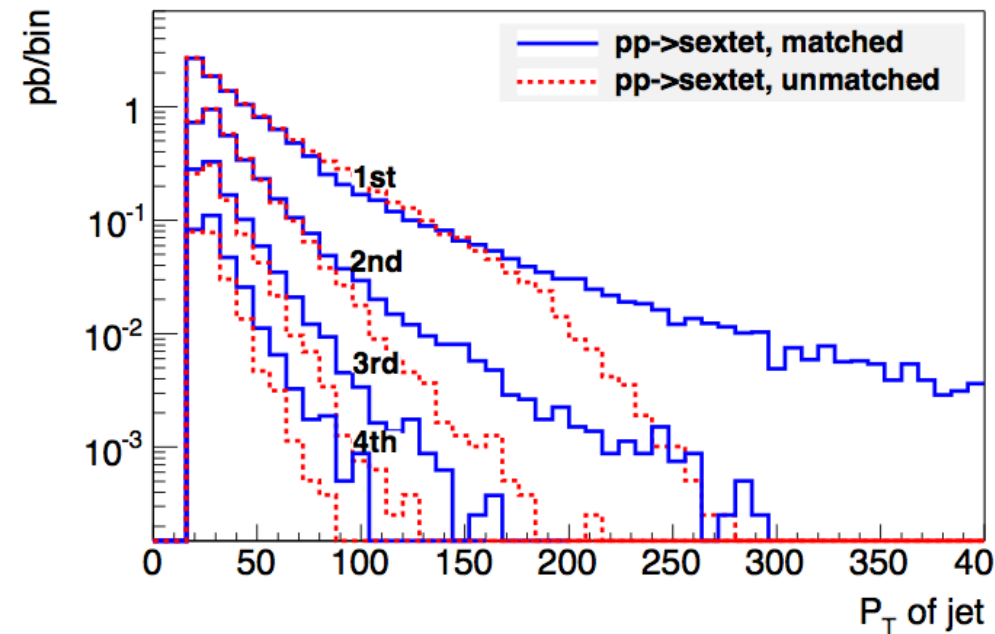
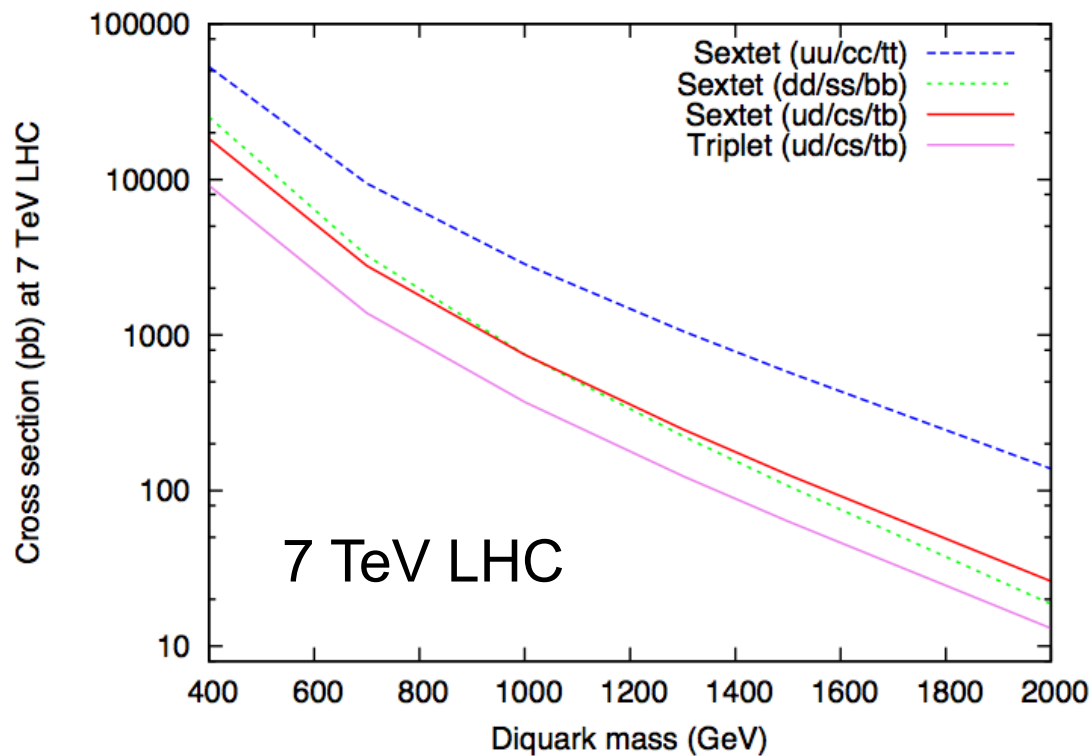
t-channel $u u \rightarrow t t$



s-channel $u u \rightarrow t t$

New color structures

- Implementation of diquark models $q q > D$
- Require $3 \times 3 = 6 + \bar{3}$, i.e. color sextet or ϵ^{ijk}
- Important also for RPV SUSY



Jet p_T :s, fully matched

pp \rightarrow D + 0,1,2 jets

Diquark cross sections with coupling 0.01

Pythia 8 matrix elements

Sigma_sm_qq_ttx.h

- Automatic generation of Pythia 8 processes by MadGraph 5
- Creates process library of .h and .cc files in format used by Pythia, together with example main file
- Run as standard internal Pythia process
- Allows using Pythia for any $(2 \rightarrow 1, 2, 3)$ process in any model at the push of a key!

```
#include "SigmaProcess.h"
#include "Parameters_sm.h"
using namespace std;
namespace Pythia8
{
//=====
// A class for calculating the matrix elements for
// Process: u u~ > t t~ QED=0 @1
// Process: c c~ > t t~ QED=0 @1
// Process: d d~ > t t~ QED=0 @1
// Process: s s~ > t t~ QED=0 @1
//-----

class Sigma_sm_qq_ttx : public Sigma2Process
{ public:

    // Constructor.
    Sigma_sm_qq_ttx() {}
    // Initialize process.
    virtual void initProc();
    // Calculate flavour-independent parts of cross section.
    virtual void sigmaKin();
    // Evaluate sigmaHat(sHat).
    virtual double sigmaHat();
    // Select flavour, colour and anticolour.
    virtual void setIdColAcol();

    ...
}
```

Process	MG5-Pythia (mb)	Pythia (mb)	Rel. difference
$g g > g g$	5.92E-001	5.92E-001	0.0000
$g g > q qbar$	1.54E-002	1.55E-002	0.0036
$g q > g q$	3.22E-001	3.22E-001	0.0003
$q qbar > g g$	3.87E-004	3.85E-004	0.0018
$q q > q q$	3.24E-002	3.22E-002	0.0026
$g g > b bbar$	3.61E-003	3.59E-003	0.0026
$(q q > b bbar$	7.67E-005	7.90E-005	0.0149)
$g g > t tbar$	5.38E-007	5.38E-007	0.0003
$q qbar > t tbar$	8.15E-008	8.29E-008	0.0086
$q b > t q'$ (t-channel)	1.97E-007	1.83E-007	0.0364
$q qbar' > t b$ (s-channel)	8.71E-009	8.47E-009	0.0137
$q g > q \gamma$	1.82E-004	1.82E-004	0.0008
$q qbar > g \gamma$	1.26E-005	1.28E-005	0.0063
$q qbar > \gamma \gamma$	8.55E-008	8.58E-008	0.0019
$g g > \text{gluino gluino}$	4.55E-009	4.55E-009	0.0000
$q qbar > \text{gluino gluino}$	2.02E-010	2.03E-010	0.0037

MG5 multiparton processes

- New scheme for organizing MadEvent processes
 - Combine all processes and channels with same pole structures
 - $p p \rightarrow l^+ l^- j j j$: 5 subprocess directories, 368 integration channels (factor 11 fewer than MG/ME4)
 - $p p \rightarrow W j j j j$: factor 15 fewer channels than MG/ME4
 - Optimizations to phase space integration \rightarrow reduced phase space integration time by factor 3
- Ongoing: Multi-parton matrix element evaluation by recursion relations
 - Should allow up to $W/Z+6$ jets
 - Challenge: MadEvent-style phase space integration

MG5 multiparton processes

Process	Subprocess directories		Channels for survey		Directory size	
	ME 4	ME 5	ME 4	ME 5	ME 4	ME 5
$pp \rightarrow W^+ j$	6	2	12	4	79 MB	35 MB
$pp \rightarrow W^+ jj$	41	4	138	29	438 MB	64 MB
$pp \rightarrow W^+ jjj$	73	5	1164	184	842 MB	110 MB
$pp \rightarrow W^+ jjjj$	296	7	15029	1327	3.8 GB	352 MB
$pp \rightarrow l^+ l^- j$	12	2	48	8	149 MB	44 MB
$pp \rightarrow l^+ l^- jj$	54	4	586	58	612 MB	83 MB
$pp \rightarrow l^+ l^- jjj$	86	5	5408	368	1.2 GB	151 MB
$pp \rightarrow l^+ l^- jjjj$	235	7	63114	2500	5.3 GB	662 MB
$pp \rightarrow t\bar{t}$	3	2	5	4	49 MB	39 MB
$pp \rightarrow t\bar{t} j$	7	3	45	25	97 MB	56 MB
$pp \rightarrow t\bar{t} jj$	22	5	417	188	274 MB	98 MB
$pp \rightarrow t\bar{t} jjj$	34	6	3816	1300	620 MB	209 MB

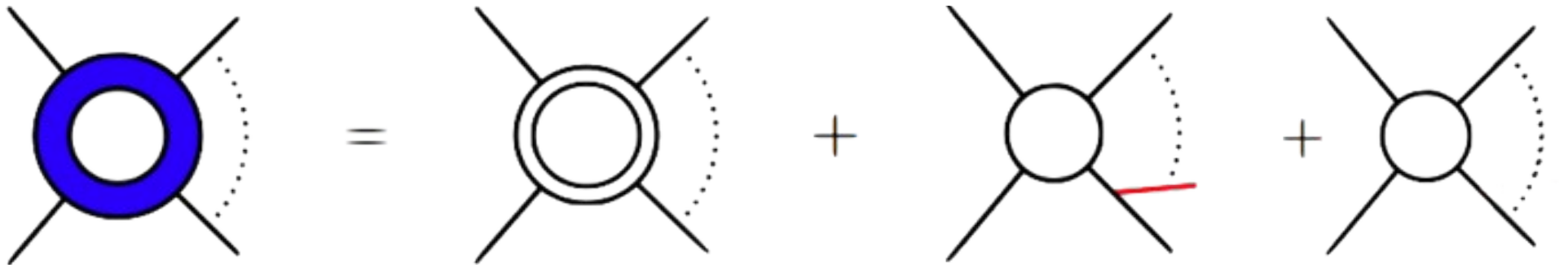
MadGraph@NLO

NLO

Virtual

Real

Born



$$\sigma^{\text{NLO}} = \int_m d^{(d)} \sigma^V + \int_{m+1} d^{(d)} \sigma^R + \int_m d^{(4)} \sigma^B$$

MadGraph@NLO

[Frederix, Gehrmann, Greiner;
Frederix, Frixione, Maltoni, Stelzer]

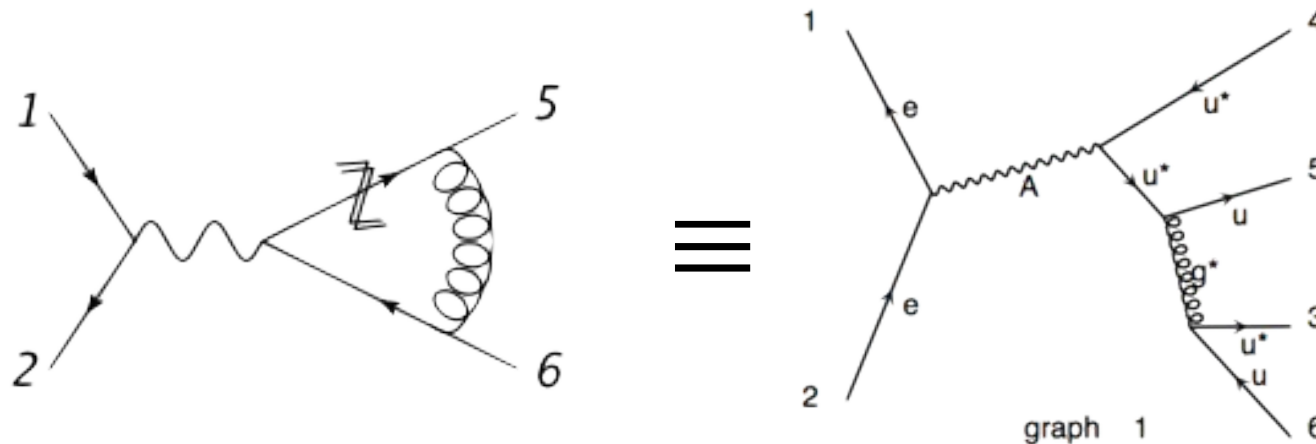
- **Real contributions:**
 - **MadDipole:** Catani-Seymour dipole subtraction scheme, including integrated dipoles
 - **MadFKS:** Frixione-Kunszt-Signer subtraction scheme (used for MC@NLO and POWHEG implementations). Including phase space integration for complete NLO calculation (with loop corrections from any package through Binoth-LH accord)
- **Both:** Handles both SM and BSM processes, and massless and massive external particles

MadGraph@NLO

- MadNLO virtuals

[Hirschi, Frederix, Frixione, Garzelli, Maltoni, Pittau arXiv:1103.0621]

- Uses MadGraph to generate amplitudes for n+2 process, build loop amplitude using CutTools (OPP technique, by Ossola, Papadopoulos, Pittau)
- Any SM process already possible, NLO for any BSM model in principle possible (see next point)
- Work to automatize generation of necessary “R2” and UV counter terms for any model yet to be started



MadGraph@NLO

Process	μ	n_{lf}	Cross section (pb)	
			LO	NLO
a.1 $pp \rightarrow t\bar{t}$	m_{top}	5	123.76 ± 0.05	162.08 ± 0.12
a.2 $pp \rightarrow tj$	m_{top}	5	34.78 ± 0.03	41.03 ± 0.07
a.3 $pp \rightarrow tjj$	m_{top}	5	11.851 ± 0.006	13.71 ± 0.02
a.4 $pp \rightarrow t\bar{b}j$	$m_{top}/4$	4	25.62 ± 0.01	30.96 ± 0.06
a.5 $pp \rightarrow t\bar{b}jj$	$m_{top}/4$	4	8.195 ± 0.002	8.91 ± 0.01
b.1 $pp \rightarrow (W^+ \rightarrow) e^+ \nu_e$	m_W	5	5072.5 ± 2.9	6146.2 ± 9.8
b.2 $pp \rightarrow (W^+ \rightarrow) e^+ \nu_e j$	m_W	5	828.4 ± 0.8	1065.3 ± 1.8
b.3 $pp \rightarrow (W^+ \rightarrow) e^+ \nu_e jj$	m_W	5	298.8 ± 0.4	300.3 ± 0.6
b.4 $pp \rightarrow (\gamma^*/Z \rightarrow) e^+ e^-$	m_Z	5	1007.0 ± 0.1	1170.0 ± 2.4
b.5 $pp \rightarrow (\gamma^*/Z \rightarrow) e^+ e^- j$	m_Z	5	156.11 ± 0.03	203.0 ± 0.2
b.6 $pp \rightarrow (\gamma^*/Z \rightarrow) e^+ e^- jj$	m_Z	5	54.24 ± 0.02	56.69 ± 0.07
c.1 $pp \rightarrow (W^+ \rightarrow) e^+ \nu_e b\bar{b}$	$m_W + 2m_b$	4	11.557 ± 0.005	22.95 ± 0.07
c.2 $pp \rightarrow (W^+ \rightarrow) e^+ \nu_e t\bar{t}$	$m_W + 2m_{top}$	5	0.009415 ± 0.000003	0.01159 ± 0.00001
c.3 $pp \rightarrow (\gamma^*/Z \rightarrow) e^+ e^- b\bar{b}$	$m_Z + 2m_b$	4	9.459 ± 0.004	15.31 ± 0.03
c.4 $pp \rightarrow (\gamma^*/Z \rightarrow) e^+ e^- t\bar{t}$	$m_Z + 2m_{top}$	5	0.0035131 ± 0.0000004	0.004876 ± 0.000002
c.5 $pp \rightarrow \gamma t\bar{t}$	$2m_{top}$	5	0.2906 ± 0.0001	0.4169 ± 0.0003
d.1 $pp \rightarrow W^+ W^-$	$2m_W$	4	29.976 ± 0.004	43.92 ± 0.03
d.2 $pp \rightarrow W^+ W^- j$	$2m_W$	4	11.613 ± 0.002	15.174 ± 0.008
d.3 $pp \rightarrow W^+ W^+ jj$	$2m_W$	4	0.07048 ± 0.00004	0.1377 ± 0.0005
e.1 $pp \rightarrow HW^+$	$m_W + m_H$	5	0.3428 ± 0.0003	0.4455 ± 0.0003
e.2 $pp \rightarrow HW^+ j$	$m_W + m_H$	5	0.1223 ± 0.0001	0.1501 ± 0.0002
e.3 $pp \rightarrow HZ$	$m_Z + m_H$	5	0.2781 ± 0.0001	0.3659 ± 0.0002
e.4 $pp \rightarrow HZ j$	$m_Z + m_H$	5	0.0988 ± 0.0001	0.1237 ± 0.0001
e.5 $pp \rightarrow Ht\bar{t}$	$m_{top} + m_H$	5	0.08896 ± 0.00001	0.09869 ± 0.00003
e.6 $pp \rightarrow Hb\bar{b}$	$m_b + m_H$	4	0.16510 ± 0.00009	0.2099 ± 0.0006
e.7 $pp \rightarrow Hjj$	m_H	5	1.104 ± 0.002	1.036 ± 0.002

[Hirschi, Frederix,
Frixione, Garzelli,
Maltoni, Pittau
arXiv:1103.0621]

MadGraph@NLO

- Automatic MC@NLO [Frederix, Frixione, Torrielli]
 - Inclusion of counterterms for parton shower allows automatization of MC@NLO within the MadFKS framework
 - Work recently started, very promising results so far
- Move to MadGraph 5 [J.A., Frederix, Hirschi, Zaro]
 - Work started March 2011 (JA + V. Hirschi)
 - Huge optimizations, more straightforward implementations
 - Take advantage of upcoming improvements in matrix element speed (recursion relations)
 - Improved/facilitated organization of produced code
 - Full BSM functionality of MG5

FAQ

- “Do I need to learn Python now?”
 - Not unless you want to make additions to the core code of MadGraph. The standard MadGraph output is still Fortran (or C++), and MadEvent works as before.
- “Can I use jet matching with my favorite new physics model?”
 - Yes you can! Matching between MadEvent and Pythia works as before, for any model.
- “Can I use my old MadGraph models with MG5?”
 - Yes you can! MadGraph 5 is fully backward compatible for both models and cards.

FAQ (cont.)

- “Will there be a MadEvent in Python?”
 - No, MadEvent stays Fortran, but is continuously developed to make optimal use of new functionality of MadGraph 5.
- “Where can I get all this amazing stuff?”
 - At <https://launchpad.net/madgraph5> (or simply google for MadGraph 5)
 - Release (as tar ball) and development code (using the Bazaar versioning system)

Conclusions

- **MadGraph 5** is now a full-fledged replacement for older MadGraph versions, with important and unprecedented improvements in all directions.
- **MadGraph 5 v. 0.7** available, **1.0.0** (including new MadEvent) released in the coming days
- Stay tuned for more exciting stuff in the near future (more NLO, fast multijet, BSM decay package, FeynRules developments, ...)

Don't miss upcoming MadGraph developer workshop at Fermilab (May 3-6, 2011)

Backup slides

Process checks

Suite of powerful checks on internal consistency of model implementation (including UFO/ALOHA/MG5) internally in MG5

- Generation of ME using multiple different orders of the wavefunction calls
- Gauge invariance for massless vector bosons
- Lorentz boost invariance of ME

Decay chains

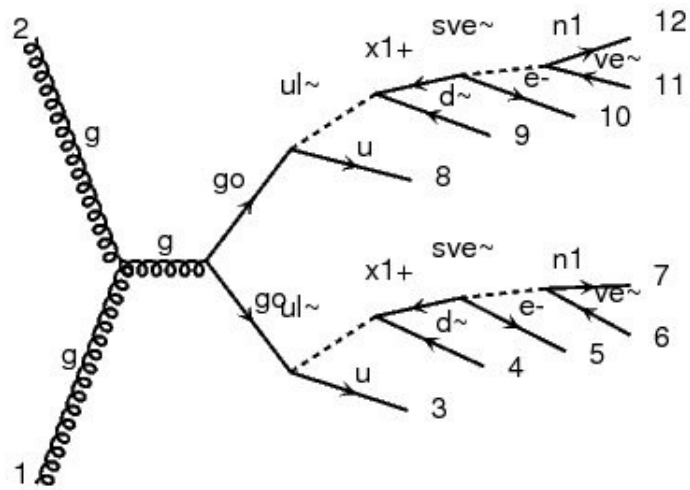


diagram 1

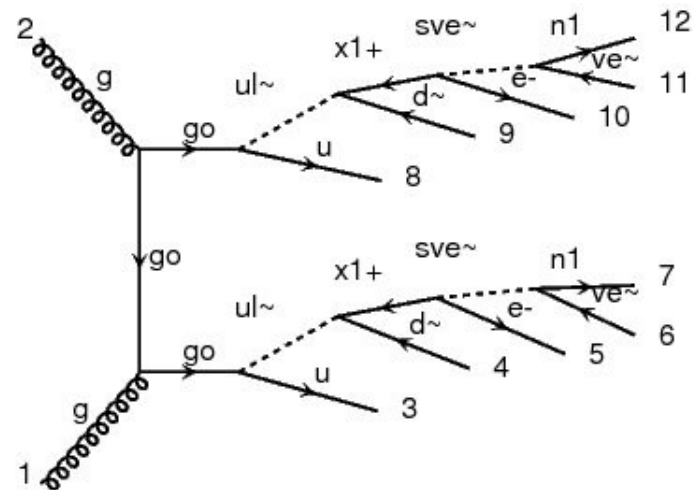


diagram 2

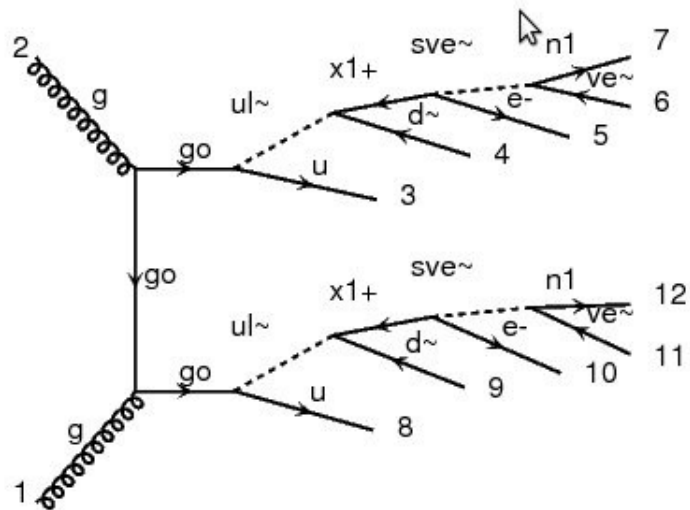


diagram 3

Process: $g g \rightarrow g g$

Decay: $g g \rightarrow u \bar{u}$

Decay: $\bar{u} \rightarrow \bar{d} \bar{x}_1$

Decay: $\bar{x}_1 \rightarrow e^- \bar{\nu}_e$

Decay: $\bar{\nu}_e \rightarrow \bar{\nu}_\mu \bar{n}_1$

Decay: $g g \rightarrow u \bar{u}$

Decay: $\bar{u} \rightarrow \bar{d} \bar{x}_1$

Decay: $\bar{x}_1 \rightarrow e^- \bar{\nu}_e$

Decay: $\bar{\nu}_e \rightarrow \bar{\nu}_\mu \bar{n}_1$

(10 FS particles. Generation time: 5 s)