

From Lagrangians To Experiments

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BSM @ LHC

- So far, the LHC has found no signal of Physics Beyond the SM.
- As the MSSM parameter space gets more and more constraint, we have to start thinking about new BSM models.
- Already now, the number of proposed BSM scenarios is huge!
- Even more are to come when an excess of the SM will be observed at the LHC.

BSM @ LHC

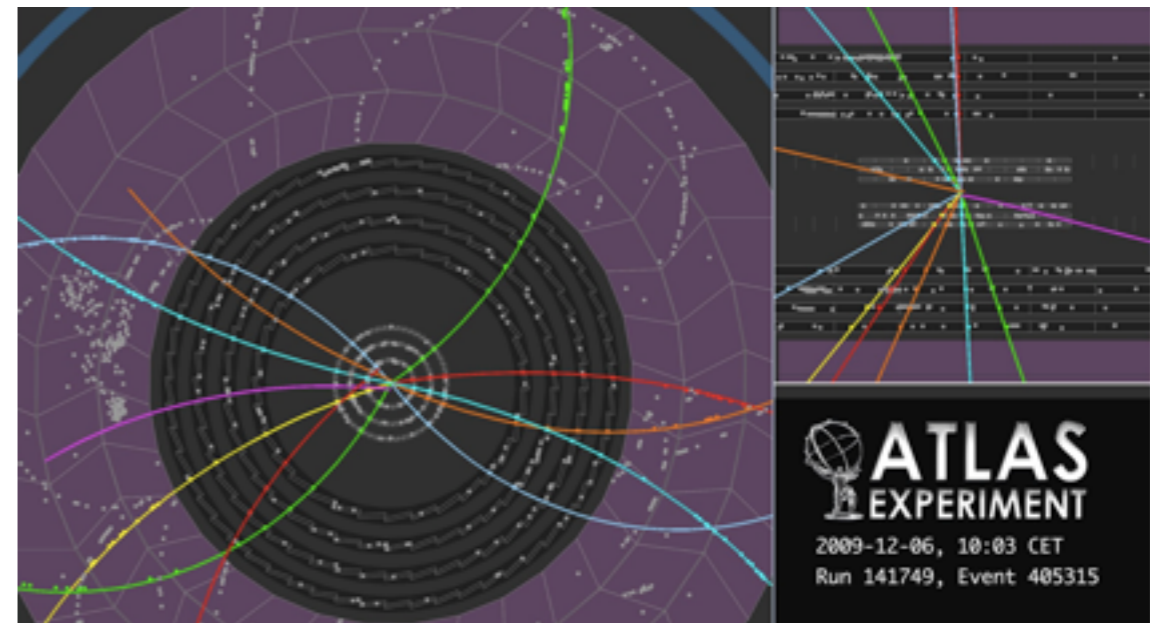
- If an excess is observed, our final goal is twofold:
 - ➔ Identify the New Physics ('Lagrangian')
 - ➔ Measure the parameters inside the LAgrangian ('Benchmark point')
- Two possible approaches:
 - ➔ Top-down: Write down a BSM theory, with new particles, interactions, etc.
 - ➔ Effective theory approach: Add higher-dimensional operators to the SM, induced by some unknown New Physics, to account for a deviation from the SM.
- In any case: we want to find a new Lagrangian.

BSM @ LHC

- If an excess is observed, our final goal is twofold:
 - ➔ Identify the New Physics ('Lagrangian')
 - ➔ Measure the parameters in ('Benchmark point')
- However, we cannot compare Lagrangians to events at the LHC

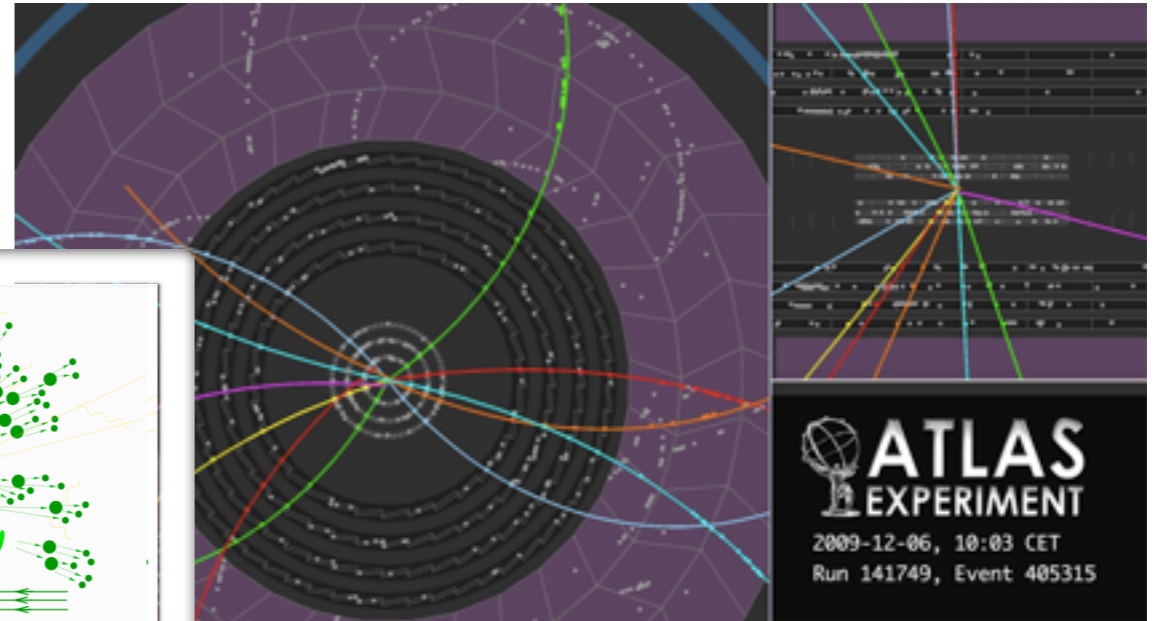
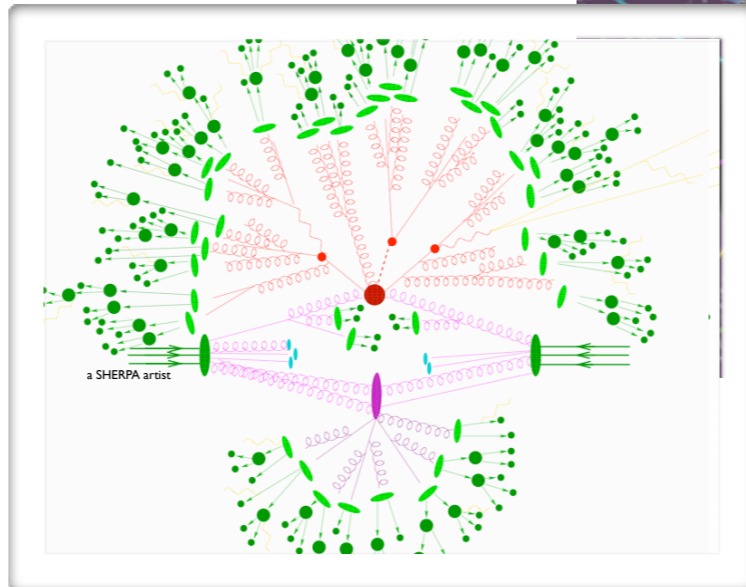
$$\begin{aligned}\mathcal{L} = & D_\mu \phi_i^\dagger D^\mu \phi_i - m_\phi^2 \phi_i^\dagger \phi_i \\ & + \lambda \epsilon_{ijk} \phi_i \bar{t}_j^c P_R b_k \\ & - \lambda \epsilon_{ijk} \phi_i^\dagger \bar{t}_j P_L b_k^c\end{aligned}$$

vs.



From Lagrangians to Experiments?

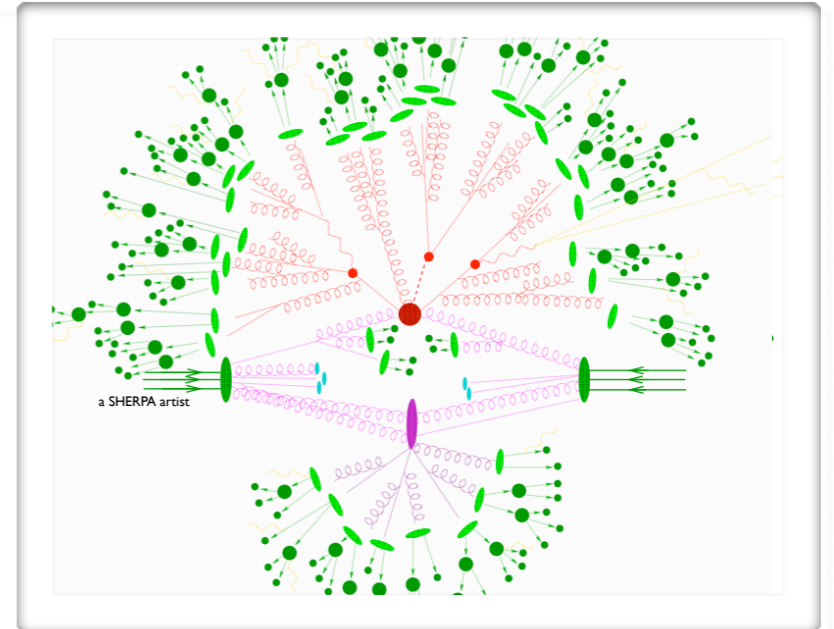
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- We need an additional layer that transforms the BSM model into a simulation of proton collisions, as accurately as possible.
 - ➔ Monte Carlo event generators

From Lagrangians to Experiments?

- Parton Shower Monte Carlo Codes
 - ➔ Herwig
 - ➔ Pythia
 - ➔ Sherpa
- Multi-purpose LO matrix element generators (parton level)
 - ➔ CalcHep / CompHep
 - ➔ MadGraph / MadEvent
 - ➔ Sherpa (AMEGIC++, Comix)
 - ➔ Whizard / Omega



From Lagrangians to Experiments?

- Most of these codes have only a very limited amount of models implemented by default (\sim SM and MSSM).
- However, still these codes do not work at the level of Lagrangians, but need explicit vertices.
- The process of implementing Feynman rules can be particularly tedious and painstaking:
 - ➔ Each code has its own conventions (signs, factors of i , ...).
 - ➔ Vertices need to be implemented one at the time.
- Most codes can only handle a limited amount of color and / or Lorentz structures (\sim SM and MSSM)

From Lagrangians to Experiments?

- Example 1: SUSY model

$$\mathcal{L} = \Phi^\dagger e^{-2gV} \Phi|_{\theta^2\bar{\theta}^2} + \frac{1}{16g^2\tau_{\mathcal{R}}} \text{Tr}(W^\alpha W_\alpha)|_{\theta^2} + \frac{1}{16g^2\tau_{\mathcal{R}}} \text{Tr}(\bar{W}_{\dot{\alpha}} \bar{W}^{\dot{\alpha}})|_{\bar{\theta}^2} + W(\Phi)|_{\theta^2} + W^*(\Phi^\dagger)|_{\bar{\theta}^2} + \mathcal{L}_{\text{soft}}$$

- Very easy ‘theory description’

- ➔ Choose a gauge group (+ additional internal symmetries).
- ➔ Choose the matter content (= chiral superfields in some representation).
- ➔ Write down the most general superpotential.
- ➔ Write down the soft-SUSY breaking terms.
- ➔ (+ check validity of the model)

From Lagrangians to Experiments?

- Example 1: SUSY model

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- ‘Monte Carlo description’

- ➔ Express superfields in terms of component fields.
- ➔ Express everything in terms of 4-component fermions (beware of the Majoranas!).
- ➔ Express everything in terms of mass eigenstates.
- ➔ Integrate out D and F terms.
- ➔ Implement vertices one-by-one (beware of factors of i , *etc!*)

From Lagrangians to Experiments?

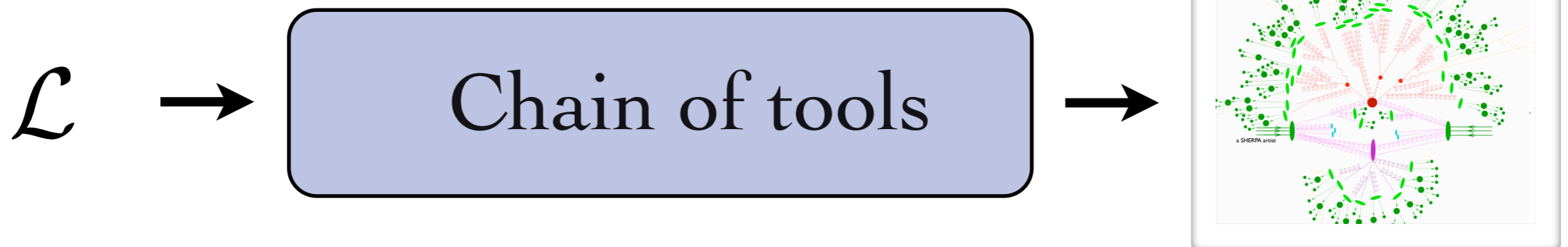
- Example 2: Effective theories

$$\mathcal{L} = g_1 \Phi \bar{Q}_L \sigma^{\mu\nu} T^a t_R G_{\mu\nu}^a$$

- This is a correction to ttH production.
- However, no matrix element generator natively supports this operator.
 - ➔ Implementation might be possible, but very hard to do for non-specialists.
- Similar restrictions occur with non-standard color structures.

From Lagrangians to Experiments?

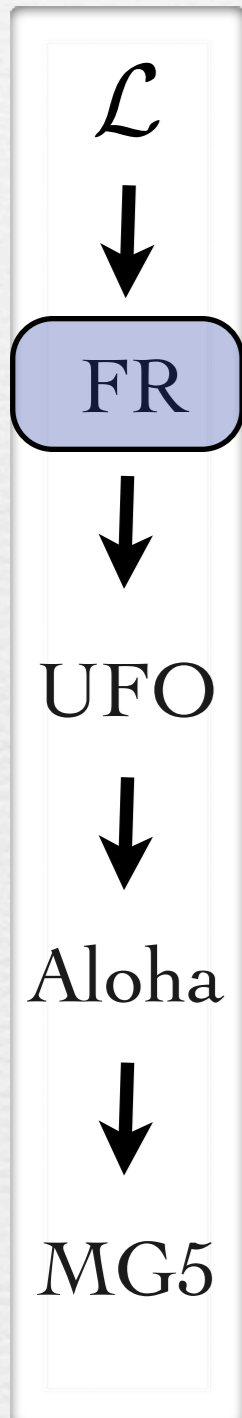
- The aim of this talk is to present a new framework where the aforementioned problems disappear.
- New workflow:



- The chain of tools:

FeynRules \rightarrow UFO \rightarrow ALOHA \rightarrow MadGraph 5

FeynRules (CD, B. Fuks, N. D. Christensen)

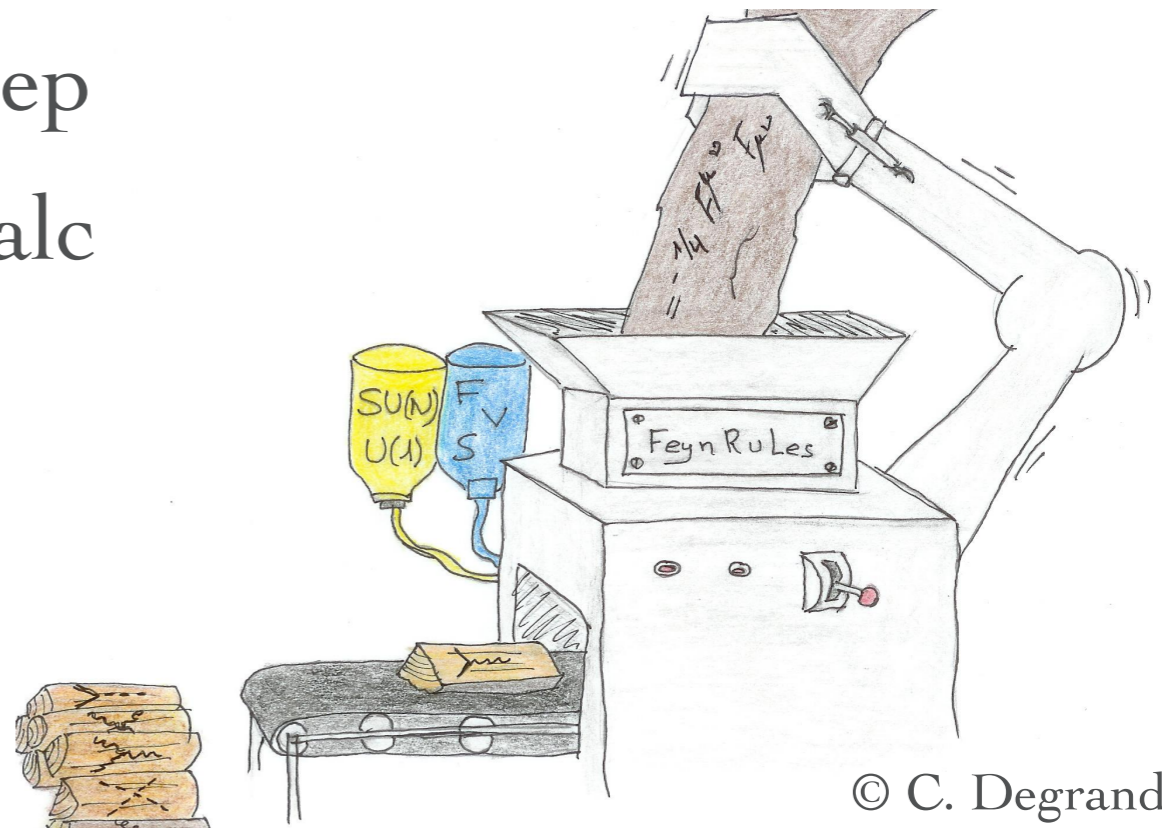


- FeynRules is a *Mathematica* package that allows to derive Feynman rules from a Lagrangian.
- The only requirements on the Lagrangian are:
 - ➔ All indices need to be contracted (Lorentz and gauge invariance)
 - ➔ Locality
 - ➔ Supported field types: spin 0, 1/2, 1, 2 & ghosts

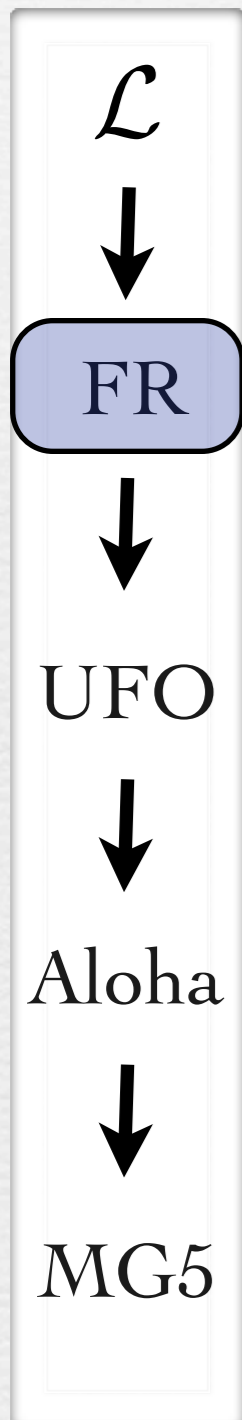
FeynRules



- FeynRules comes with a set of interfaces, that allow to export the Feynman rules to various matrix element generators.
- Interfaces coming with current public version
 - ➔ CalcHep / CompHep
 - ➔ FeynArts / FormCalc
 - ➔ MadGraph 4 & 5
 - ➔ Sherpa
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How to use FeynRules

- The input requested from the user is twofold.

- **The Model File:**

Definitions of particles and parameters (e.g., a quark)

F[1] ==

```
{ClassName      -> q,  
 SelfConjugate -> False,  
 Indices        -> {Index[Colour]},  
 Mass           -> {MQ, 200},  
 Width          -> {WQ, 5} }
```

- **The Lagrangian:**

$$\mathcal{L} = -\frac{1}{4} G_{\mu\nu}^a G_a^{\mu\nu} + i\bar{q} \gamma^\mu D_\mu q - M_q \bar{q} q$$

L =

```
-1/4 FS[G,mu,nu,a] FS[G,mu,nu,a]  
+ I qbar.Ga[mu].del[q,mu]  
- MQ qbar.q
```

How to use FeynRules

- Once this information has been provided, FeynRules can be used to compute the Feynman rules for the model:

`FeynmanRules[L]`

- Equivalently, we can export the Feynman rules to a matrix element generator, e.g., for MadGraph 4,

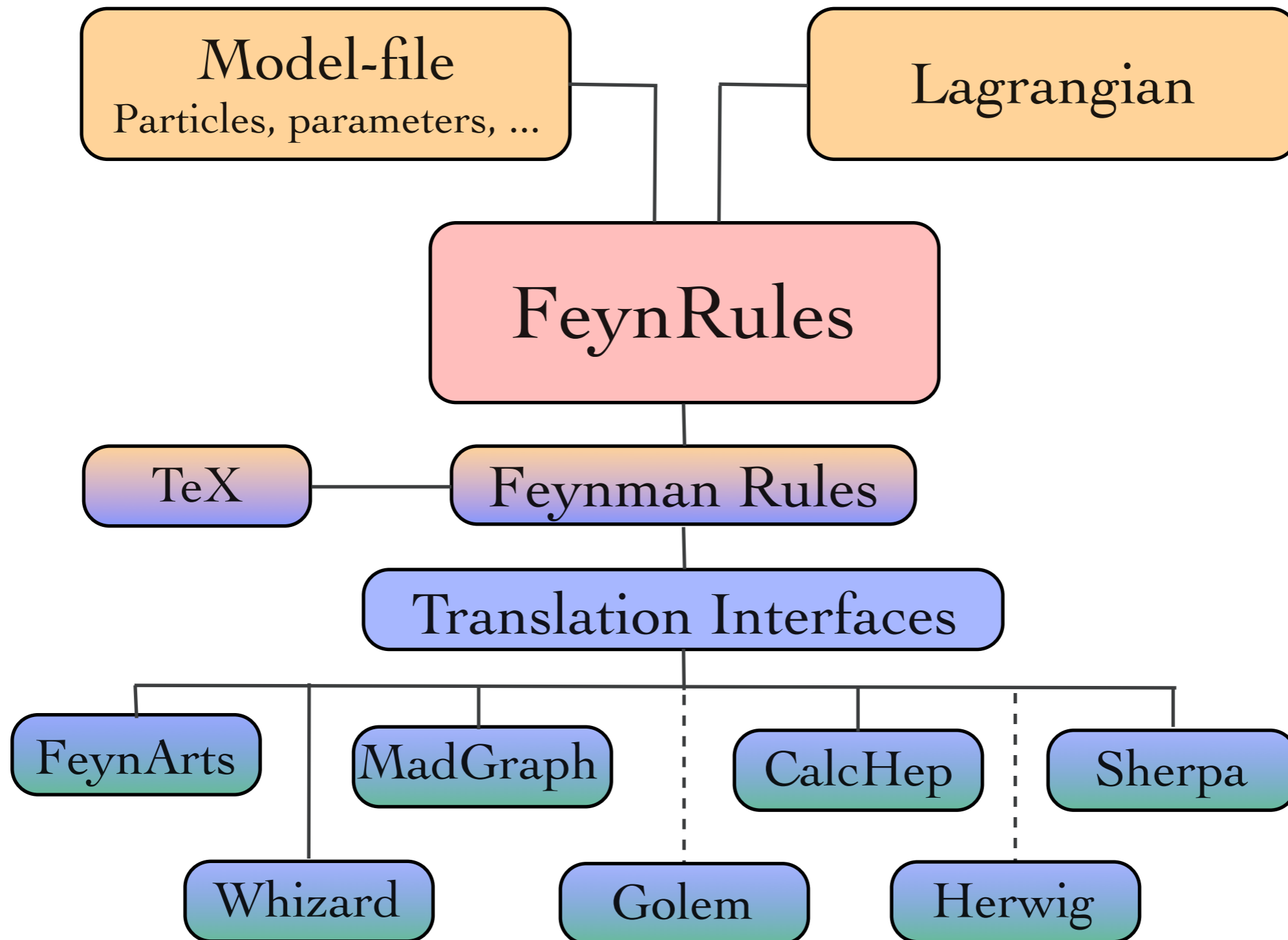
`WriteMGOutput[L]`

- This produces a set of files that can be directly used in the matrix element generator (“plug ‘n’ play”).

SUSY in FeynRules

- Recently, we extended FeynRules to work with superfields.
- The user defines his superfields (+ their component fields), and the superpotential.
- FeynRules then
 - ➔ Expands the superfields in Grassmann parameters.
 - ➔ Integrates out the Grassmann parameters.
 - ➔ Integrates out the D and F terms.
 - ➔ Transforms Weyl fermions into Dirac and Majorana fermions.
 - ➔ Computes the Feynman rules.

FeynRules



The UFO

(C. Degrande, CD, B. Fuks,
D. Grellscheid, O. Mattelaer, T. Reiter)



- UFO = Universal FeynRules Output
- Idea: Create Python modules that can be linked to other codes and contain all the information
- The UFO is a self-contained Python code, and not tied to a specific matrix element generator.
- Golem, MadGraph 5 and Herwig++ will use the UFO.
- In particular, the UFO is the default model format for MadGraph 5.

The UFO



- The content of the FR model files, together with the vertices, is translated into a library of Python objects, that can be linked to other codes.
- Allowed color structures: 1, 3, 6, 8
- No limitation on the Lorentz structures, or number of particles per vertex!
- The UFO format allows to represent *any* model in terms of a Python module that can be linked to other codes.

ALOHA

(P. de Aquino, F. Maltoni,
O. Mattelaer, T. Stelzer)



- Many matrix element generators have the information on the Lorentz structures hardcoded.
- In MadGraph, this library is the Helas library.
- In general, these libraries are hardcoded and only contain renormalizable interactions.
- Hence, even if an UFO contains all the information, some codes cannot use it, because they rely on hardcoded libraries

ALOHA

(P. de Aquino, F. Maltoni,
O. Mattelaer, T. Stelzer)



- ALOHA is a Python code that reads UFO's, and produces Helas routines for MadGraph 5.
- ALOHA is fully embedded in and distributed with MadGraph 5.
- In other words, unlike v4, MadGraph v5 does not rely on a static Helas library, but the Helas routines are created on the file via ALOHA.
- As a consequence, MadGraph 5 can handle any kind of Lorentz structures!

MadGraph 5

(J. Alwall, M. Herquet,
F. Maltoni, O. Mattelaer,
T. Stelzer)

\mathcal{L}



FR



UFO



Aloha



MG5

- MadGraph 5 a complete rewrite of MadGraph 4.
- The code is entirely written in Python.
- By design, MG5 uses UFO's as the default model input, and produces Helas routines on the fly via ALOHA.
- Supported color structures: 1, 3, 6, 8
- Putting everything together, we have a tool chain that allows to simulate events for virtually any model, just by starting from the Lagrangian!

Running the full chain

\mathcal{L}



FR



UFO



Aloha



MG5

- Implement the new particle

	Spin	SU(3)	SU(2)	U(1)
ϕ	0	3	1	-1/3

- Implement the new parameter (Yukawa coupling)
- Enter Lagrangian into Mathematica

$$\begin{aligned}\mathcal{L} = & D_\mu \phi_i^\dagger D^\mu \phi_i - m_\phi^2 \phi_i^\dagger \phi_i \\ & + \lambda \epsilon_{ijk} \phi_i \bar{t}_j^c P_R b_k - \lambda \epsilon_{ijk} \phi_i^\dagger \bar{t}_j P_L b_k^c\end{aligned}$$

Conclusion

- The chain
FR → UFO → ALOHA → MG5
is about to open a completely new era of HE phenomenology!
- This chain allows to simulate events for any BSM model, by just starting from the Lagrangian.
- N.B.: MadGraph 2011 meeting, 19 - 24 September @ the Academia Belgicae in Rome!

Towards a database of models...

The screenshot shows a web browser window with the address bar displaying `https://moDel.org/1004.0123.html`. The browser's address bar includes navigation buttons (back, forward, refresh, home) and a search engine (Google). The browser's tab bar shows a single tab titled "[1004.0123] MSSM + Z'". The page content is as follows:

moDel.org > SuperSym > moDel:1004.1424 Search or Article-id [\(Help | Advanced search\)](#)

All papers

Supersymmetric models

MSSM + Z'

[Mr. X](#)
(Submitted on 14 Apr 2010)

We present the FeynRules implementation of the extension of the MSSM with a Z' boson. This model was first presented in [arXiv:1003.1234](#).

Comments: FeynRules model file (3 files) + 2 benchmark points (2 files)
Subjects: **MSSM – Extensions (SuperSym)**
Cite as: [moDel:1004.0123v1](#) [SuperSym]

Validation

This model implementation is known to work with

- CalcHep
- Golem
- Herwig
- MadGraph
- Sherpa

Results of the validation are available [here](#).

Submission history

From: Mr. X [[view email](#)]
[v1] Wed, 14 Apr 2010 20:45:35 GMT (13kb)

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