

Elagenossische Technische Hochschule Zürich Swiss Federal Institute of Technology zurich

The UFO

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Recap of previous lecture

- In the previous lecture we saw how to
 - ➡ implement a model into FeynRules.
 - ➡ export the model to MadGraph 5.
 - → check a model implementation.
- So far we have used the input files for MadGraph as 'black boxes' without caring to much about what is inside.
- For most applications this is good enough (this is the whole goal of FeynRules!).
- But sometimes it is good to know what is going on behind the scenes...

UFO..?

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 - [C. Degrande, CD, B. Fuks, D. Grellscheid, O. Mattelaer, T. Reiter]
- The UFO is a generic format for BSM models that is not tied to any matrix element generator.
- The UFO is the default model format of MadGraph 5 (but not of MadGraph 4!).

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- The UFO is a generic format for BSM models that is not tied to any matrix element generator.
- The UFO is the default model format of MadGraph 5 (but not of MadGraph 4!).
- Question: Why switch to a new model format in MadGraph 4..?
 - → the old format did a good job for many years.
 - → users are familiar with this format.
 - ➡ never change a winning team!!!!
 - ➡ so why did we change it nevertheless..?

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 - clear factorization between what is model and what is generator!
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 FeynRules should provide, and what generators should
 do with this information.
 - the UFO is not exclusively used by MadGraph 5, but also by other codes.
 - makes it possible to use the same model file with various generators.

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- Implicit Lorentz structures.
- Implicit color structures.
- In other words, everything beyond the ordinary is very hard to implement.

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- ➡ Fixed number of particles per vertex.
- Implicit Lorentz structures.
- Implicit color structures.
- In other words, everything beyond the ordinary is very hard to implement.
- The UFO does not have these restrictions by design!

The UFO



UFO = Universal FeynRules Output

- Idea: Create Python modules that can be linked to other codes and contain all the information on a given model.
- The UFO is a self-contained Python code, and not tied to a specific matrix element generator.
- The content of the FR model files, together with the vertices, is translated into a library of Python objects, that can be linked to other codes.
- By design, the UFO does not make any assumptions on Lorentz/color structures, or the number of particles.
- GoSam and MadGraph 5 use the UFO as the default model format for BSM, Herwig++ will use it in the future.

Plan of the lecture • What is inside the UFO? → structure of the model files. \rightarrow what makes it so flexible. • From the Lagrangian to events: → The FeynRules-UFO-ALOHA-MadGraph chain.

- The UFO is a fully fledged Python module that can be linked to other codes.
 no parsing of text files.
- Content of the module:

__init__.py object_library.py write_param_card.py function_library.py particles.py parameters.py vertices.py lorentz.py couplings.py coupling_orders.py

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• Let's have a closer look at these files!

_init__.py

object_library.py write_param_card.py function_library.py particles.py parameters.py vertices.py lorentz.py couplings.py coupling_orders.py • Standard initialization file present in every Python module.

__init__.py object_library.py

write_param_card.py
function_library.py
particles.py
parameters.py
vertices.py
lorentz.py
couplings.py
coupling_orders.py

• File containing the definitions of the classes (Particle, Parameter, ...) used in this Python module.

__init__.py object_library.py write_param_card.py function_library.py particles.py parameters.py parameters.py vertices.py lorentz.py couplings.py coupling_orders.py

- Built-in function to produce Les Houches-style input parameter files ('param_card.dat').
- Will be discussed later.

__init__.py object_library.py write_param_card.py function_library.py

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- It is possible to use functions from the cmath library when writing algebraic expressions in the UFO (e.g. cmath.sqrt(x)).
- Sometimes however these functions are insufficient or too cumbersome to use.
- function_library.py allows you to define new customized (algebraic) functions.

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__init__.py object_library.py write_param_card.py function_library.py particles.py parameters.py vertices.py lorentz.py couplings.py coupling_orders.py

The Particle class comes with a predefined method to instantiate the antiparticle. $u = Particle(pdg_code = 2,$ name = 'u', antiname = $'u^{\sim}'$, spin = 2,color = 3,mass = Param.ZERO, width = Param.ZERO, texname = 'u', antitexname = 'u', charge = 2/3, LeptonNumber = 0,GhostNumber = 0)

u_tilde_ = u.anti()

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- → Allowed colors: 1,3,6,8
- ➡ Allowed spins: 0,1/2,1,2
 - -1 = ghosts

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3/2 under testing in MadGraph 5.

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lorentz.py couplings.py coupling_orders.py

Parameters are grouped into external and internal, just like in FeynRules.

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parameters.py

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An internal parameter

v = Parameter(name = 'v', nature = 'internal', type = 'real', value = '(2*MW*sw)/ee', texname = 'v')

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v = Parameter(name = 'v', nature = 'internal', type = 'real', value = '(2*MW*sw)/ee', texname = 'v')

An external parameter

```
aS = Parameter(name = 'aS',
nature = 'external',
type = 'real',
value = 0.118,
texname = '\\text{aS}',
lhablock = 'SMINPUTS',
lhacode = [ 3 ])
```

- If you want to change a numerical input parameter, you do not need to do this in the UFO!
- Numerical values in the UFO are just default values.
 - They can be changed at run time **after** generating the process.
- This can be done in the param_card.dat, stored in the directory /Cards/ of the process directory (just like in MadGraph 4).
- The format of the param_card.dat is an extension of the SUSY-Les-Houches accord format.
 - ➡ All parameters are grouped into blocks.

Block SMINPUTS # Standard Model inputs

- 1 1.32506980E+02 # alpha_em(MZ)(-1) SM MSbar
- 2 1.16639000E-05 #G_Fermi
- 3 1.1800000E-01 # alpha_s(MZ) SM MSbar
- 4 9.11880000E+01 # Z mass (as input parameter)

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- DECAY 6 1.43947825E+00 # top width
- DECAY 23 2.44140351E+00 #Z width











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 - Model parameters (grouped into blocks)
 - ➡ Masses
 - ➡ Widths (given as numerical inputs)
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- Numerical values for the width can be given as inputs in FeynRules, and are then passed to the UFO.
- However, FeynRules cannot compute the widths by itself.
 - Write out the UFO model without the widths, and use MadGraph to compute them.
- Branching ratios cannot be included into FeynRules of the UFO right now.

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• In the future, FeynRules will be able to compute all the twobody decays, and will pass them on to the UFO.

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- In FeynRules, we have
 - ➡ all the three-point vertices,
 - ➡ a high-level computer algebra system.
- That's all we need to get the two-body decays!

- The development version of FeynRules already computes the widths and writes them to the UFO files.
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```
Decay_H = Decay(name = 'Decay_H',
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    partial_widths = {
        (P.b,P.b__tilde__):'3*MH**2*yb**2',
        (P.ta__minus__,P.ta__plus__):'MH**2*ytau**2',
        (P.c,P.c__tilde__):'3*MH**2*yc**2',
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```

• The width and the branching ratios will then be included automatically computed when loading a UFO.

__init__.py object_library.py write_param_card.py function_library.py particles.py parameters.py vertices.py lorentz.py couplings.py coupling_orders.py

- These files are the core of the UFO.
- The contain the definition of the vertices and the couplings.
- The rest of this lecture will be about these files.

- In MadGraph a vertex is represented by a threefold data:
 - ➡ a color structure
 - a Lorentz structure
 - ➡ a coupling constant (a complex number)
- The computation of the Lorentz structures is outsourced to the Helas library, which allows to compute helicity amplitudes in a fast and efficient way.

[Murayama, Hagiwara, Watanabe]

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• The master formula:

$$\mathcal{V}^{a_1...a_n,\ell_1...\ell_n}(p_1,\ldots,p_n) = \sum_{i,j} C_i^{a_1...a_n} G_{ij} L_j^{\ell_1...\ell_n}(p_1,\ldots,p_n)$$

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• Idea: Evaluate the matrix element for fixed helicities of the external particles



 $M = \bar{u}\gamma^{\mu}v \ P_{\mu\nu} \ \bar{u}\gamma^{\nu}v$

diagram 1 QED=2

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 $M = \overline{w} \gamma' v P_{\mu\nu} \overline{w} \gamma' v$ $\rightarrow \text{Number for a given helicity}$

diagram 1 QED=2

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 $M = \underbrace{\overline{w}}^{\mu} \underbrace{v} P_{\mu\nu} \underbrace{\overline{w}}^{\nu} \underbrace{v}$ Number for a given helicity

diagram 1 QED=2

• Idea: Evaluate the matrix element for fixed helicities of the external particles



diagram 1 QED=2

M → U / U / U / U
 Number for a given helicity
 Fvaluate Interaction by interaction

CALL IXXXX(P(0,1),ZER0,NHEL(1),+1*IC(1),W(1,1)) CALL 0XXXX(P(0,2),ZER0,NHEL(2),-1*IC(2),W(1,2)) CALL 0XXXX(P(0,3),MT,NHEL(3),+1*IC(3),W(1,3)) CALL IXXXX(P(0,4),MT,NHEL(4),-1*IC(4),W(1,4)) CALL JI0XXX(W(1,1),W(1,2),GG,ZER0,ZER0,W(1,5)) CALL IVXXX(W(1,4),W(1,3),W(1,5),GG,AMP(1))



Basics: Helicity amplitudes



[Slide from O. Mattelaer]

mardi 25 octobre 2011

• Speed:

Basics: Helicity amplitudes

- The complexity grows linearly with the number of diagrams.
- Recycling of diagrams: reduces the factorial growth.



• The master formula:

$$\mathcal{V}^{a_1...a_n,\ell_1...\ell_n}(p_1,\ldots,p_n) = \sum_{i,j} C_i^{a_1...a_n} G_{ij} L_j^{\ell_1...\ell_n}(p_1,\ldots,p_n)$$

• Example:

$$ig_s^2 f^{a_1 a_2 b} f^{b a_3 a_4} \left(\eta^{\mu_1 \mu_4} \eta^{\mu_2 \mu_3} - \eta^{\mu_1 \mu_3} \eta^{\mu_2 \mu_4} \right) \\
+ ig_s^2 f^{a_1 a_3 b} f^{b a_2 a_4} \left(\eta^{\mu_1 \mu_4} \eta^{\mu_2 \mu_3} - \eta^{\mu_1 \mu_2} \eta^{\mu_3 \mu_4} \right) \\
+ ig_s^2 f^{a_1 a_4 b} f^{b a_2 a_3} \left(\eta^{\mu_1 \mu_3} \eta^{\mu_2 \mu_4} - \eta^{\mu_1 \mu_2} \eta^{\mu_3 \mu_4} \right)$$

$$\begin{pmatrix} f^{a_1a_2b}f^{ba_3a_4}, \ f^{a_1a_3b}f^{ba_2a_4}, f^{a_1a_4b}f^{ba_2a_3} \end{pmatrix} \begin{pmatrix} ig_s^2 & 0 & 0 \\ 0 & ig_s^2 & 0 \\ 0 & 0 & ig_s^2 \end{pmatrix} \begin{pmatrix} \eta^{\mu_1\mu_4}\eta^{\mu_2\mu_3} - \eta^{\mu_1\mu_3}\eta^{\mu_2\mu_4} \\ \eta^{\mu_1\mu_3}\eta^{\mu_2\mu_4} - \eta^{\mu_1\mu_2}\eta^{\mu_3\mu_4} \\ \eta^{\mu_1\mu_3}\eta^{\mu_2\mu_4} - \eta^{\mu_1\mu_2}\eta^{\mu_3\mu_4} \end{pmatrix}$$

$$\left(f^{a_1 a_2 b} f^{b a_3 a_4}, \ f^{a_1 a_3 b} f^{b a_2 a_4}, f^{a_1 a_4 b} f^{b a_2 a_3} \right) \left(\begin{array}{c} ig_s^2 & 0 & 0 \\ 0 & ig_s^2 & 0 \\ 0 & 0 & ig_s^2 \end{array} \right) \left(\begin{array}{c} \eta^{\mu_1 \mu_4} \eta^{\mu_2 \mu_3} - \eta^{\mu_1 \mu_2} \eta^{\mu_3 \mu_4} \\ \eta^{\mu_1 \mu_3} \eta^{\mu_2 \mu_4} - \eta^{\mu_1 \mu_2} \eta^{\mu_3 \mu_4} \\ \eta^{\mu_1 \mu_3} \eta^{\mu_2 \mu_4} - \eta^{\mu_1 \mu_2} \eta^{\mu_3 \mu_4} \end{array} \right)$$

• Vertices are saved in vertices.py in precisely this way:

 $V_5 = Vertex(name = 'V_5', particles = [P.g, P.g, P.g, P.g], color = ['f(-1,1,2)*f(3,4,-1)', 'f(-1,1,3)*f(2,4,-1)', 'f(-1,1,4)*f(2,3,-1)'], lorentz = [L.VVVV6, L.VVVV8, L.VVVV9], couplings = {(1,1):C.GC_8,(0,0):C.GC_8,(2,2):C.GC_8})$

vertices.py

Allowed color building blocks:

Trivial tensor (for non-colored particles) 1 Kronecker delta $\delta^{\bar{j}_2}{}_{i_1}$ Identity(1,2) Fundamental representation matrices $(T^{a_1})^{\overline{j}_3}{}_{i_2}$ T(1,2,3)Structure constants $f^{a_1 a_2 a_3}$ f(1,2,3)Symmetric tensor $d^{a_1 a_2 a_3}$ d(1,2,3)Epsilon(1,2,3)Fundamental Levi-Civita tensor $\epsilon_{i_1i_2i_3}$ Antifundamental Levi-Civita tensor $\epsilon^{\overline{i}_1\overline{i}_2\overline{i}_3}$ EpsilonBar(1,2,3) Sextet representation matrices $(T_6^{a_1})^{\beta_3}_{\alpha_2}$ T6(1,2,3)Sextet Clebsch-Gordan coefficient $(K_6)^{\bar{\imath}_2\bar{\jmath}_3}\alpha_1$ K6(1,2,3)Antisextet Clebsch-Gordan coefficient $(\bar{K}_6)^{\bar{\alpha}_1}{}_{i_2 j_3}$ K6Bar(1,2,3)

$$\left(f^{a_1 a_2 b} f^{b a_3 a_4}, \ f^{a_1 a_3 b} f^{b a_2 a_4}, f^{a_1 a_4 b} f^{b a_2 a_3} \right) \left(\begin{array}{c} ig_s^2 & 0 & 0 \\ 0 & ig_s^2 & 0 \\ 0 & 0 & ig_s^2 \end{array} \right) \left(\begin{array}{c} \eta^{\mu_1 \mu_4} \eta^{\mu_2 \mu_3} - \eta^{\mu_1 \mu_2} \eta^{\mu_3 \mu_4} \\ \eta^{\mu_1 \mu_3} \eta^{\mu_2 \mu_4} - \eta^{\mu_1 \mu_2} \eta^{\mu_3 \mu_4} \\ \eta^{\mu_1 \mu_3} \eta^{\mu_2 \mu_4} - \eta^{\mu_1 \mu_2} \eta^{\mu_3 \mu_4} \end{array} \right)$$

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vertices.py

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vertices.py

lorentz.py

Allowed Lorentz structure building blocks:

Charge conjugation matrix: $C_{i_1i_2}$ C(1,2)Epsilon matrix: $\epsilon^{\mu_1\mu_2\mu_3\mu_4}$ Epsilon(1, 2, 3, 4)Dirac matrices: $(\gamma^{\mu_1})_{i_2 i_3}$ Gamma(1, 2, 3)Fifth Dirac matrix: $(\gamma^5)_{i_1i_2}$ Gamma5(1,2)(Spinorial) Kronecker delta: $\delta_{i_1i_2}$ Identity(1,2) Minkowski metric: $\eta_{\mu_1\mu_2}$ Metric(1,2)Momentum of the N^{th} particle: $p_N^{\mu_1}$ P(1,N)Right-handed chiral projector: $\left(\frac{1+\gamma 5}{2}\right)_{i_1i_2}$ ProjP(1,2)Left-handed chiral projector $\left(\frac{1-\gamma 5}{2}\right)_{i_1i_2}$ ProjM(1,2)Sigma matrices: $(\sigma^{\mu_1\mu_2})_{i_3i_4}$ Sigma(1,2,3,4)

$$\begin{pmatrix} f^{a_1a_2b}f^{ba_3a_4}, \ f^{a_1a_3b}f^{ba_2a_4}, f^{a_1a_4b}f^{ba_2a_3} \end{pmatrix} \begin{pmatrix} ig_s^2 \ 0 \ 0 \\ 0 \ ig_s^2 \ 0 \\ 0 \ 0 \ ig_s^2 \end{pmatrix} \begin{pmatrix} \eta^{\mu_1\mu_4}\eta^{\mu_2\mu_3} - \eta^{\mu_1\mu_3}\eta^{\mu_2\mu_4} \\ \eta^{\mu_1\mu_4}\eta^{\mu_2\mu_3} - \eta^{\mu_1\mu_2}\eta^{\mu_3\mu_4} \\ \eta^{\mu_1\mu_3}\eta^{\mu_2\mu_4} - \eta^{\mu_1\mu_2}\eta^{\mu_3\mu_4} \end{pmatrix}$$

• Vertices are saved in vertices.py in precisely this way:

$$\begin{split} \mathbb{V}_{5} &= \mathbb{V}ertex(name = '\mathbb{V}_{5}', \\ & particles = [\ \text{P.g. P.g. P.g. P.g. }], \\ & color = [\ 'f(-1,1,2)*f(3,4,-1)', \ 'f(-1,1,3)*f(2,4,-1)', \ 'f(-1,1,4)*f(2,3,-1)' \], \\ & lorentz = [\ \text{L.VVVV6, L.VVVV8, L.VVVV9 }], \\ & couplings = \{ (1,1): C.GC_8, (0,0): C.GC_8, (2,2): C.GC_8 \}) \end{split}$$

vertices.py

lorentz.py

$$\begin{pmatrix} f^{a_1a_2b}f^{ba_3a_4}, \ f^{a_1a_3b}f^{ba_2a_4}, \ f^{a_1a_4b}f^{ba_2a_3} \end{pmatrix} \begin{pmatrix} ig_s^2 \ 0 \ 0 \\ 0 \ ig_s^2 \ 0 \\ 0 \ 0 \ ig_s^2 \end{pmatrix} \begin{pmatrix} \eta^{\mu_1\mu_4}\eta^{\mu_2\mu_3} - \eta^{\mu_1\mu_3}\eta^{\mu_2\mu_4} \\ \eta^{\mu_1\mu_4}\eta^{\mu_2\mu_3} - \eta^{\mu_1\mu_2}\eta^{\mu_3\mu_4} \\ \eta^{\mu_1\mu_3}\eta^{\mu_2\mu_4} - \eta^{\mu_1\mu_2}\eta^{\mu_3\mu_4} \end{pmatrix}$$

• Vertices are saved in vertices.py in precisely this way:

$$\begin{split} \mathbb{V}_5 &= \mathrm{Vertex}(\mathrm{name} = '\mathbb{V}_5', \\ & \mathrm{particles} = [\ \mathrm{P.g, \ P.g, \ P.g, \ P.g \],} \\ & \mathrm{color} = [\ '\mathrm{f}(-1,1,2)^*\mathrm{f}(3,4,-1)', \ '\mathrm{f}(-1,1,3)^*\mathrm{f}(2,4,-1)', \ '\mathrm{f}(-1,1,4)^*\mathrm{f}(2,3,-1)' \], \\ & \mathrm{lorentz} = [\ \mathrm{L.VVVV6, \ L.VVVV8, \ L.VVVV9 \],} \\ & \mathrm{couplings} = \{ (1,1): \mathrm{C.GC_8,}(0,0): \mathrm{C.GC_8,}(2,2): \mathrm{C.GC_8} \}) \end{split}$$

vertices.py

VVVV6 = Lorentz(name = 'VVVV6', spins = [3, 3, 3, 3], structure = 'Metric(1,4)*Metric(2,3) -Metric(1,3)*Metric(2,4)') $\begin{array}{l} GC_8 = Coupling(name = 'GC_8', \\ value = 'complex(0,1)*G**2', \end{array} \end{array} \\ \end{array}$

lorentz.py

couplings.py

__init__.py object_library.py write_param_card.py function_library.py particles.py parameters.py vertices.py lorentz.py couplings.py coupling_orders.py

- To understand the content of this file we first need to understand interaction orders.
- MadGraph has the to 'count' the number of couplings of a certain type that enter a diagram.
- Example: In the SM, there are two types of couplings (=interaction orders): QED and QCD.

p p > t t~, QCD only: QED = 0, QCD = 2
 p p > t t~, EW only: QED = 2, QCD = 0
 p p > t t~, all: QED = 2, QCD = 2

__init__.py object_library.py write_param_card.py function_library.py particles.py parameters.py vertices.py lorentz.py couplings.py coupling_orders.py

__init__.py object_library.py write_param_card.py function_library.py particles.py parameters.py vertices.py lorentz.py couplings.py coupling_orders.py • Sometimes it can be useful to define a default behavior for interaction orders.

QCD = CouplingOrder(name = 'QCD', expansion_order = 99, hierarchy = 1)

QED = CouplingOrder(name = 'QED', expansion_order = 99, hierarchy = 2)

__init__.py object_library.py write_param_card.py function_library.py particles.py parameters.py vertices.py lorentz.py couplings.py coupling_orders.py • Sometimes it can be useful to define a default behavior for interaction orders.

QCD = CouplingOrder(name = 'QCD', expansion_order = 99, hierarchy = 1)

QED = CouplingOrder(name = 'QED', expansion_order = 99, hierarchy = 2)

Default interaction orders can be defined in the FeynRules model file:
• The UFO is the default model format of MadGraph 5.

- A UFO is a selfcontained Python model, and stored all the model information in the form of Python modules.
- The structure of the UFO is such that, unlike the traditional text-based model format, it allows to accommodate very large classes of models.
- Next: How is this information passed to MadGraph..?

From UFO to MadGraph



• Representation of a vertex in the UFO: $\sum_{i,j} C_i^{a_1...a_n} G_{ij} L_j^{\ell_1...\ell_n} (p_1, ..., p_n)$ VVVV6 = Lorentz(name = 'VVVV6', spins = [3, 3, 3, 3], structure = 'Metric(1,4)*Metric(2,3)-Metric(1,3)*Metric(2,4)')

From UFO to MadGraph Representation of a vertex in the UFO: $\sum_{i,j} C_i^{a_1\dots a_n} G_{ij} L_j^{\ell_1\dots \ell_n}(p_1,\dots,p_n)$ VVVV6 = Lorentz(name = 'VVVV6', spins = [3, 3, 3, 3], structure = 'Metric(1,4)*Metric(2,3)-Metric(1,3)*Metric(2,4)')• Representation of a vertex in the MadGraph: Helas routine $VERTEX = COUP^{*}((V4(1)^{*}((V2(1)^{*}((0, -1)^{*}(V3(2)^{*}V1(2))$ $(0, -1)^{*}(V_{3}(3)^{*}V_{1}(3)) + (0, -1)^{*}(V_{3}(4)^{*}V_{1}(4))) + (V_{1}(1)^{*}((0, 1)))$ (V3(2) V2(2)) + (0, 1) (V3(3) V2(3)) + (0, 1) (V3(4) V2(4)))))+(V4(2)*(V2(2)*((0,-1)*(V3(1)*V1(1))+(0,1)*(V3(3)*V1(3))))) $(0, 1)^{(V3(4)^{V1(4)})} + (V1(2)^{(0, 1)^{V3(1)^{V2(1)}}})$ (V3(3)*V2(3))+(0,-1)*(V3(4)*V2(4)))))+(V4(3)*(V2(3)))) $(0, -1)^{(V3(1)^{V1(1)})+(0, 1)^{(V3(2)^{V1(2)})+(0, 1)^{(V3(4))}}$ $(0, 1)^{(1)} (0, 1)^{(1)} (0, 1)^{(1)} (0, -1)^{(1)} (0$ $(V_{3}(4)^{V_{3}}(4))))) + (V_{4}(4)^{(V_{2}(4))}(0, -1)^{(V_{3}(1))}))$ *V1(1) + (0, 1) * (V3(2) *V1(2)) + (0, 1) * (V3(3) *V1(3))) + (V1(4)) $((0, 1)^{*}(V3(1)^{*}V2(1)) + (0, -1)^{*}(V3(2)^{*}V2(2)) + (0, -1)^{*}(V3(3))$

END

From UFO to MadGraph • Representation of a vertex in the UFO: $\sum C_i^{a_1\dots a_n} G_{ij} L_j^{\ell_1\dots \ell_n}(p_1,\dots,p_n)$ VVVV6 = Lorentz(name = 'VVVV6', spins = [3, 3, 3, 3], structure = 'Metric(1,4)*Metric(2,3)-Metric(1,3)*Metric(2,4)')• Representation of a vertex in the MadGraph: Helas routine • Want to combine the $VERTEX = COUP^{*}((V4(1)^{*}((V2(1)^{*}((0, -1)^{*}(V3(2)^{*}V1(2))$ $(0, -1)^{*}(V_{3}(3)^{*}V_{1}(3)) + (0, -1)^{*}(V_{3}(4)^{*}V_{1}(4))) + (V_{1}(1)^{*}((0, 1)))$ flexibility of the UFO (V3(2) V2(2)) + (0, 1) (V3(3) V2(3)) + (0, 1) (V3(4) V2(4)))))+(V4(2)*(V2(2)*((0,-1)*(V3(1)*V1(1))+(0,1)*(V3(3)*V1(3)))))with the efficiency of $(0, 1)^{(V3(4)^{V1(4)})} + (V1(2)^{(0, 1)^{V3(1)^{V2(1)}}})$ Helas. $(V3(3)^{V2}(3)) + (0, -1)^{V3}(V3(4)^{V2}(4)))) + (V4(3)^{V2}(3)) + (V2(3)^{V2}(3)) + (V2(3)^{V2}(3)$ $(0, -1)^{(V3(1)^{V1(1)})+(0, 1)^{(V3(2)^{V1(2)})+(0, 1)^{(V3(4))}}$ $(0, 1)^{(1)} (0, 1)^{(1)} (2)^{(1)} (2)^{(1)} (1)^{(1)} (1)^{(1)} (2)^{(1$ • We need a translater $(V_{3}(4)^{V_{3}}(4))))) + (V_{4}(4)^{(V_{2}(4))}(0, -1)^{(V_{3}(1))}))$ *V1(1) + (0, 1) * (V3(2) *V1(2)) + (0, 1) * (V3(3) *V1(3))) + (V1(4))UFO-Helas. $((0, 1)^{*}(V3(1)^{*}V2(1)) + (0, -1)^{*}(V3(2)^{*}V2(2)) + (0, -1)^{*}(V3(3))$

END



- The development of the UFO goes hand in hand with the development of ALOHA.
- ALOHA = Automatic Language-independent Output of Helicity Amplitudes.
- Idea: ALOHA uses the information contained in the UFO to create the library of Lorentz structures for MadGraph on the fly.





ALOHA

ALOHA Google translate

From: UFO 🔽 🔄 To: Helicity

Translate

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WESLEY J. CHUN

Brussels October 2010

Tim Stelzer





ALOHA



From: UFO 🔽 🔄 To: Helicity

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VVVV6 = Lorentz(name = 'VVVV6', spins = [3, 3, 3, 3], structure = 'Metric(1,4)*Metric(2,3)-Metric(1,3)*Metric(2,4)')

Type text or a website address or translate a document.







WESLEY J. CHUN

Brussels October 2010

Tim Stelzer





ALOHA



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WESLEY J. CHUN

Brussels October 2010

Tim Stelzer

News on ALOHA

- ALOHA is optimizing the way to do analytic computations:
 - → SM computed in 1.2s (instead of 3s).
 - → MSSM computed in 1.4s (instead of 5s).
 - ➡ Randall-Sundrum computed in 90s (instead of 15mins).
- More optimized output:
 - ➡ Faster to compile.
 - → Faster to run (up to 40% faster).
- Possibility to create ALOHA routines from the MG5 shell:

mg5> output aloha FFV1_3

[Slide from O. Mattelaer]

News on ALOHA

• New Outputs/Options in progress:

➡ Spin 3/2.

- ➡ Feynman gauge.
- ➡ Complex mass scheme.
- ➡ Quadruple precision.
- ➡ Open Loops.

This file is Automatically generated by AUHA. The process calculated in this file is: Gamma(3, 2, 1)

SUBJUCTIONE FRANCUS(F1, F2, COUP, N3, M3, V3) ENPLOCET NONE DOUBLE CONPLEX F1(*) DOUBLE CONPLEX F2(*) DOUBLE CONPLEX V3(*) DOUBLE CONPLEX COUP DOUBLE CONPLEX DENON DOUBLE PRECISION N3, M3 DOUBLE PRECISION P3(0:3)

VJ(5) = -F1(5) + F2(5) VJ(6) = -F1(6) + F2(6) PJ(0) = - Male(VJ(5)) PJ(1) = - Male(VJ(6)) PJ(2) = - DINAG(VJ(6)) PJ(3) = - DINAG(VJ(5)) ONJ = 000 $IF (NS JHE, 000) ONJ = 100/NS^{-1}2$

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DENON =100/(((NL*(-NL*(0, 1)*ML))*((PL(0)**2)*(PL(1)**2) > -(PL(2)**2)*(PL(1)**2)))

V3(1)= COUPTOENONY((ONSY) (F1(1)Y) (F2(4)Y) (0, 1)YP3(1) b -P3(2))>+(F2(3)*((0, 1)*P3(0)+(0, 1)*P3(3)))>+((F1(2) 5 "((FE(3)") (0, 1)"P3(1)=P3(E))>=(FE(4)") (0, 1)"P3(0) b +(0, -1)*P3(3)>>>>+((F1(3)*((F2(2)*((0, -1)*P3(1)+P3(2))) b *(FZ(1)*((0, 1)*P3(0)*(0, -1)*P3(3))))*(F1(4)*((FZ(1)*((0, > "P3(0)>+((0, -1)*(F2(3)*F1(1)>+(0, -1)*(F2(4)*F1(2))+(0, b -1>*(F2(1)*F1(3)>+(0, -1)*(F2(2)*F1(4))>> V3(2)= COUPTOENONY((ONSY) (F1(1)Y) (F2(4)Y) (0, 1)YP3(1) >-PJ(Z)>>>+(FZ(J)*((0, 1)*PJ(0)+(0, 1)*PJ(J)>>>>+((F1(Z) 5 "((F2(3)") (0, 1)"P3(1)"P3(2))" (F2(4)"((0, 1)"P3(0)) b +(0, -1)*P3(3)>>>>+((F1(3)*((F2(2)*((0, -1)*P3(1)*P3(2)>)) b + (FZ(1)*((0, 1)*P3(0)+(0, -1)*P3(3))))+(F1(4)*((FZ(1)*((0, 5 "P3(1)>+((0, 1)"(F2(4)"F1(1))+(0, 1)"(F2(3)"F1(2))+(0, b -1>*(FL(L)*F1(J)>*(0, -1)*(FL(1)*F1(4))) Y3(3)= COUPYDENONY((ONSY) (F1(1)Y) (F2(4)Y) (0, 1)YP3(1) > -PJ(Z)>>+(FZ(J)*((0, 1)*PJ(0)+(0, 1)*PJ(J)>>>+((F1(Z) b "((F2(3)") (0, 1)"P3(1)"P3(2))>"(F2(4)") (0, 1)"P3(0) b +(0, -1)*P3(3)>>>>+((F1(3)*((F2(2)*((0, -1)*P3(1)+P3(2))) b *(FZ(1)*((0, 1)*P3(0)*(0, -1)*P3(3))))*(F1(4)*((FZ(1)*((0, > "P3(2)>+(-(F2(4)"F1(1))+(F2(3)"F1(2))+(F2(2)"F1(3))-(F2(1)) 5 "F1(4)>>>

V3(4)= COUPTOENONT(CONST((F1(1)*((F2(4)*((0, 1)*P3(1) > -P3(2)))*(F2(3)*((0, 1)*P3(0)*(0, 1)*P3(3))))*((F1(2) > *((F2(3)*((0, 1)*P3(1)*P3(2)))*(F2(4)*((0, 1)*P3(0) > *(0, -1)*P3(3))))*((F1(3)*((F2(2)*((0, -1)*P3(1)*P3(2))) > *(F2(1)*((0, 1)*P3(0)*(0, -1)*P3(3))))*(F1(4)*((F2(1)*((0, > -1)*P3(1)*P3(2))*(F2(2)*((0, 1)*P3(0)*(0, 1)*P3(3)))))) > *P3(3)*((0, 1)*(F2(3)*F1(1))*(0, -1)*(F2(4)*F1(2)*(0, > -1)*(F2(1)*F1(3))*(0, 1)*(F2(2)*F1(4))))

[Slide from O. Mattelaer]

This file is Automatically generated by ALOHA. The process calculated in this file is: Gamma(3, L, 1)

SUMADUF DE FEVILS(F1, F2, COUP, N3, M3, V3) ENPLECET NONE DOUBLE CONPLEX F1(*) DOUBLE CONPLEX F2(*) DOUBLE CONPLEX COUP DOUBLE CONPLEX COUP DOUBLE CONPLEX DENON DOUBLE PRECESSION N3, M3 DOUBLE PRECESSION P3(0:3)

VJ(S) = -F1(S) + F2(S) VJ(G) = -F1(G) + F2(G) FJ(0) = - Male(VJ(G)) FJ(1) = - Male(VJ(G)) FJ(2) = - DINAG(VJ(G)) FJ(3) = - DINAG(VJ(S)) ONJ = 000 $IF (NS JHE, 000) ONJ = 100/NS^{-1}2$

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DENON =100/(((NU*(-NU*(0, 1)*MU))*((PU(0)**2)-(PU(1)**2) > -(PU(2)**2)-(PU(U)**2)))

V3(1)= COUPTOENONY((ONSY) (F1(1)Y) (F2(4)Y) (0, 1)YP3(1) b -P3(2))>+(F2(3)*((0, 1)*P3(0)+(0, 1)*P3(3)))>+((F1(2) 5 "((FE(3)") (0, 1)"P3(1)=P3(E))>=(FE(4)") (0, 1)"P3(0) 5 · (0, -1) * P3(3) >>>> ((F1(3) * ((F2(2) * ((0, -1) * P3(1) + P3(2))) 5 - (FZ(1)*((0, 1)*P3(0)+(0, -1)*P3(3))))+(F1(4)*((FZ(1)*((0, > "P3(0)>+((0, -1)*(F2(3)*F1(1)>+(0, -1)*(F2(4)*F1(2))+(0, b -1>*(F2(1)*F1(3)>+(0, -1)*(F2(2)*F1(4))>> V3(2)= COUPTOENONY((ONSY) (F1(1)Y) (F2(4)Y) (0, 1)YP3(1) 5 -P3(2)))+(F2(3)*((0, 1)*P3(0)+(0, 1)*P3(3))))+((F1(2) 5 "((F2(3)") (0, 1)"P3(1)"P3(2)))"(F2(4)") (0, 1)"P3(0) b +(0, -1)*P3(3)>>>>+((F1(3)*((F2(2)*((0, -1)*P3(1)*P3(2)>)) b *(FZ(1)*((0, 1)*PJ(0)*(0, -1)*PJ(3))))*(F1(4)*((FZ(1)*((0, 1)*PJ(1))))) 5 "P3(1)>+((0, 1)"(F2(4)"F1(1))+(0, 1)"(F2(3)"F1(2))+(0, b -1>*(FL(L)*F1(J)>*(0, -1)*(FL(1)*F1(4))) Y3(3)= COUPTOENONT((ONST((F1(1)T((F2(4)T((0, 1)TP3(1) > -PJ(Z)>>+(FZ(J)*((0, 1)*PJ(0)+(0, 1)*PJ(J)>>>+((F1(Z) b "((F2(3)") (0, 1)"P3(1)"P3(2))>"(F2(4)") (0, 1)"P3(0) b +(0, -1)*P3(3)>>>>+((F1(3)*((F2(2)*((0, -1)*P3(1)+P3(2))) b *(FZ(1)*((0, 1)*P3(0)*(0, -1)*P3(3))))*(F1(4)*((FZ(1)*((0, 5 -1)*P3(1)-P3(2))>+(F2(2)*((0, 1)*P3(0)+(0, 1)*P3(3)))))) > "PJ(Z)>+(-(FZ(4)"F1(1))+(FZ(J)"F1(Z))+(FZ(Z)"F1(J))-(FZ(1) 5 "#1(4)}}

V3(4)= COUPTDENONT(CONST(F1(1)*(F2(4)*((0, 1)*P3(1) > -P3(2))>(F2(3)*((0, 1)*P3(0)*(0, 1)*P3(3))))>(F1(2) > *(F2(3)*((0, 1)*P3(1)*P3(2))>(F2(4)*((0, 1)*P3(0) > *(0, -1)*P3(3)))>*(F1(3)*(F2(2)*((0, -1)*P3(1)*P3(2))) > *(F2(1)*((0, 1)*P3(0)*(0, -1)*P3(3))))>(F1(4)*(F2(1)*((0, > -1)*P3(1)*P3(2))>*(F2(2)*((0, 1)*P3(0)*(0, 1)*P3(3)))))) > *P3(3)>*((0, 1)*(F2(3)*F1(1))*(0, -1)*(F2(4)*F1(2)*(0, > -1)*(F2(1)*F1(3))*(0, 1)*(F2(2)*F1(4))))

This File is Automatically generated by ALOHA C The process calculated in this file is: C Ganna(3,2,1) C SUBROUTINE FFV1_3(F1, F2, COUP, M3, W3, V3) IMPLICIT NONE COMPLEX*16 DENOM COMPLEX*16 V3(6) COMPLEX*16 TMP1 REAL*8 V3 REAL*8 P3(0:3) REAL*8 M3 COMPLEX*16 F1(*) COMPLEX*16 F2(*) REAL*8 OM3 COMPLEX*16 COUP 0M3 = 8D8 IF (M3.NE.808) 0M3=1D8/M3**2 V3(5) = -F1(5)+F2(5)V3(6) = -F1(6)+F2(6)P3(0) = -DBLE(V3(5))P3(1) = -DBLE(V3(6))P3(2) = -DIMAG(V3(6))P3(3) = -DIMAG(V3(5))TMP1 = (F1(1)*(F2(3)*(P3(0)+P3(3))+F2(4)*(P3(1)+(0D0, 1D0) \$ *(P3(2))))+(F1(2)*(F2(3)*(P3(1)+(000, -100)*(P3(2)))+F2(4) \$ *(P3(0)-P3(3)))+(F1(3)*(F2(1)*(P3(0)-P3(3))+F2(2)*-1D0*(P3(1)) \$ +(0D0, 1D0)*(P3(2))))+F1(4)*(F2(1)*(+(0D0, 1D0)*(P3(2))-P3(1)) \$ +F2(2)*(P3(0)+P3(3)))))) DENOM = 108/(P3(8)**2-P3(1)**2-P3(2)**2-P3(3)**2 - M3 * (M3 \$ -(0,1)* W3)) V3(1)= COUP*DENOM*(0D0, -1D0)*(F1(1)*F2(3)+F1(2)*F2(4)+F1(3) \$ *F2(1)*F1(4)*F2(2)-P3(0)*OM3*TMP1) V3(2)= COUP*DENOM*(0D0, -1D0)*(F1(3)*F2(2)+F1(4)*F2(1)-F1(1) \$ *F2(4)-F1(2)*F2(3)-P3(1)*0M3*TMP1) V3(3)= COUP*DENOM*(0D0, -1D0)*(+(0D0, -1D0)*(F1(1)*F2(4) \$ +F1(4)*F2(1))+(0D0, 1D0)*(F1(2)*F2(3)+F1(3)*F2(2))-P3(2)*0M3 \$ *TMP1) V3(4)= COUP*DENOM*(0D0, -1D0)*(F1(2)*F2(4)+F1(3)*F2(1)-F1(1) \$ *F2(3)-F1(4)*F2(2)-P3(3)*0M3*TMP1) END

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[Slide from O. Mattelaer]



- The development of the UFO goes hand in hand with the development of ALOHA.
- ALOHA = Automatic Language-independent Output of Helicity Amplitudes.
- Idea: ALOHA uses the information contained in the UFO to create the library of Lorentz structures for MadGraph on the fly.
- ALOHA is shipped with MadGraph, and runs unnoticed behind the scences... but it is one of the secret stars!
- It allows to output the Helas routines in Fortran, C++ (Pythia) and Python.
- UFO combined with ALOHA allows to implement virtually **any** model in MadGraph!

• A neat application...

• A neat application... in supergravity!

• A neat application... in supergravity!

$$\mathcal{L} = -\frac{1}{4} F^a_{\mu\nu} F^{\mu\nu}_a + \lambda f^{abc} \text{Tr}(F^a_{\mu\nu} F^{\nu\rho}_b F^c_{\rho\mu})$$

Broedel and Dixon had derived a CSW construction for the color-ordered helicity amplitudes, but had no way to check the validity of the construction.

• A neat application... in supergravity!

$$\mathcal{L} = -\frac{1}{4} F^a_{\mu\nu} F^{\mu\nu}_a + \lambda f^{abc} \text{Tr}(F^a_{\mu\nu} F^{\nu\rho}_b F^c_{\rho\mu})$$

- Broedel and Dixon had derived a CSW construction for the color-ordered helicity amplitudes, but had no way to check the validity of the construction.
- Solution:
 - ➡ Put it into FeynRules, and let it run for a long time...
 - Get the UFO, and put it into MadGraph 5.
 - Hack matrix.f to read out the color-ordered helicity amplitudes for individual phase space points.

V_4 = Vertex(name = 'V_4',

particles = [P.G, P.G, P.G, P.G, P.G, P.G],

color = ['f(-2,-3,-1)*f(-1,1,2)*f(3,4,-2)*f(5,6,-3)', 'f(-2,-3,-1)*f(-1,1,2)*f(3,4,-3)*f(5,6,-2)', 'f(-2,-3,-1)*f(-1,1,2)*f(3,5,-2)*f(4,6,-3)', 'f(-2,-3,-1)*f(-1,1,2 (-2,-3,-1)*f(-1,1,2)*f(3,5,-3)*f(4,6,-2)', 'f(-2,-3,-1)*f(-1,1,2)*f(3,6,-2)*f(4,5,-3)', 'f(-2,-3,-1)*f(-1,1,2)*f(3,6,-3)*f(4,5,-2)', 'f(-2,-3,-1)*f(-1,1,3)*f(2,4,-2)*f(-1,1,2)* (5,6,-3)', f(-2,-3,-1)*f(-1,1,3)*f(2,4,-3)*f(5,6,-2)', f(-2,-3,-1)*f(-1,1,3)*f(2,5,-2)*f(4,6,-3)', f(-2,-3,-1)*f(-1,1,3)*f(2,5,-3)*f(4,6,-2)', f(-2,-3,-1)*f(-1,1,3)*f(2,5,-3)*f(4,6,-2)', f(-2,-3,-1)*f(-1,1,3)*f(2,5,-3)*f(4,6,-2)', f(-2,-3,-1)*f(-1,1,3)*f(2,5,-2)*f(4,6,-3)', f(-2,-3,-1)*f(-1,1,3)*f(2,5,-3)*f(4,6,-2)', f(-2,-3,-1)*f(-1,1,3)*f(2,5,-2)*f(4,6,-3)', f(-2,-3,-1)*f(-1,1,3)*f(2,5,-3)*f(4,6,-2)', f(-2,-3,-1)*f(-1,1,3)*f(2,5,-2)*f(4,6,-3)', f(-2,-3,-1)*f(-1,1,3)*f(2,5,-3)*f(4,6,-2)', f(-2,-3,-1)*f(-1,1,3)*f(2,5,-2)*f(4,6,-3)', f(-2,-3,-1)*f(-1,1,3)*f(2,5,-2)*f(4,6,-2)', f(-2,-3,-1)*f(-1,1,3)*f(2,5,-2)*f(4,6,-3)', f(-2,-3,-1)*f(-1,1,3)*f(2,5,-2)*f(4,6,-3)', f(-2,-3,-1)*f(-1,1,3)*f(2,5,-2)*f(4,6,-2)', f(-2,-3,-1)*f(-1,1,3)*f(2,5,-2)*f(4,6,-3)', f(-2,-3,-1)*f(-1,1,3)*f(2,5,-2)*f(4,6,-2)', f(-2,-3,-1)*f(-1,1,3)*f(2,5,-2)*f(4,6,-3)', f(-2,-3,-1)*f(-1,1,3)*f(2,5,-2)*f(4,6,-3)', f(-2,-3,-1)*f(-1,1,3)*f(2,5,-2)*f(4,6,-3)', f(-2,-3,-1)*f(-1,1,3)*f(2,5,-2)*f(4,6,-3)', f(-2,-3,-1)*f(-2,-3,-*f(2,6,-2)*f(4,5,-3)', 'f(-2,-3,-1)*f(-1,1,3)*f(2,6,-3)*f(4,5,-2)', 'f(-2,-3,-1)*f(-1,1,4)*f(2,3,-2)*f(5,6,-3)', 'f(-2,-3,-1)*f(-1,1,4)*f(2,3,-3)*f(5,6,-2)', 'f (-2,-3,-1)*f(-1,1,4)*f(2,5,-2)*f(3,6,-3)', 'f(-2,-3,-1)*f(-1,1,4)*f(2,5,-3)*f(3,6,-2)', 'f(-2,-3,-1)*f(-1,1,4)*f(2,6,-2)*f(3,5,-3)', 'f(-2,-3,-1)*f(-1,1,4)*f(2,6,-3)*f(-1,1,4)* (3,5,-2)', f(-2,-3,-1)*f(-1,1,5)*f(2,3,-2)*f(4,6,-3)', f(-2,-3,-1)*f(-1,1,5)*f(2,3,-3)*f(4,6,-2)', f(-2,-3,-1)*f(-1,1,5)*f(2,4,-2)*f(3,6,-3)', f(-2,-3,-1)*f(-1,1,5)*f(2,3,-3)*f(4,6,-2)', f(-2,-3,-1)*f(-1,1,5)*f(2,4,-2)*f(3,6,-3)', f(-2,-3,-1)*f(-1,1,5)*f(2,3,-3)*f(4,6,-2)', f(-2,-3,-1)*f(-1,1,5)*f(2,4,-2)*f(3,6,-3)', f(-2,-3,-1)*f(-1,1,5)*f(2,3,-3)*f(4,6,-2)', f(-2,-3,-1)*f(-1,1,5)*f(2,4,-2)*f(3,6,-3)', f(-2,-3,-1)*f(-1,1,5)*f(2,3,-3)*f(4,6,-2)', f(-2,-3,-1)*f(-1,1,5)*f(2,4,-2)*f(3,6,-3)', f(-2,-3,-1)*f(-1,1,5)*f(2,3,-3)*f(4,6,-2)', f(-2,-3,-1)*f(-1,1,5)*f(-2,-3,-1)*f(-*f(2,4,-3)*f(3,6,-2)', 'f(-2,-3,-1)*f(-1,1,5)*f(2,6,-2)*f(3,4,-3)', 'f(-2,-3,-1)*f(-1,1,5)*f(2,6,-3)*f(3,4,-2)', 'f(-2,-3,-1)*f(-1,1,6)*f(2,3,-2)*f(4,5,-3)', 'f(-2,-3,-1)*f(-1,1,6)*f(2,3,-2)*f(4,5,-3)', 'f(-2,-3,-1)*f(-1,1,6)*f(2,3,-2)*f(4,5,-3)', 'f(-2,-3,-1)*f(-1,1,6)*f(2,3,-2)*f(-1,1,6)*f(2,3,-2)*f(-1,1,6)*f(-1, (-2,-3,-1)*f(-1,1,6)*f(2,3,-3)*f(4,5,-2)', 'f(-2,-3,-1)*f(-1,1,6)*f(2,4,-2)*f(3,5,-3)', 'f(-2,-3,-1)*f(-1,1,6)*f(2,4,-3)*f(3,5,-2)', 'f(-2,-3,-1)*f(-1,1,6)*f(2,5,-2)*f(3,5,-3)', 'f(-2,-3,-1)*f(-1,1,6)*f(2,5,-2))', 'f(-2,-3,-1)*f(-1,1,6)*f(2,5,-2)*f(3,5,-2)*f(3,5,-2)', 'f(-2,-3,-1)*f(-1,1,6)*f(2,5,-2)*f(3,5,-2) (3,4,-3)', f(-2,-3,-1)*f(-1,1,6)*f(2,5,-3)*f(3,4,-2)', f(-2,-3,-1)*f(-1,2,3)*f(1,4,-2)*f(5,6,-3)', f(-2,-3,-1)*f(-1,2,3)*f(1,4,-3)*f(5,6,-2)', f(-2,-3,-1)*f(-1,2,3)*f(1,5,-2)*f(4,6,-3)', 'f(-2,-3,-1)*f(-1,2,3)*f(1,5,-3)*f(4,6,-2)', 'f(-2,-3,-1)*f(-1,2,3)*f(1,6,-2)*f(4,5,-3)', 'f(-2,-3,-1)*f(-1,2,3)*f(1,6,-3)*f(4,5,-2)', 'f(-2,-3,-1)*f(-1,2,3)*f(1,6,-3)*f(4,5,-2)', 'f(-2,-3,-1)*f(-1,2,3)* (-2,-3,-1)*f(-1,2,4)*f(1,3,-2)*f(5,6,-3)', 'f(-2,-3,-1)*f(-1,2,4)*f(1,3,-3)*f(5,6,-2)', 'f(-2,-3,-1)*f(-1,2,4)*f(1,5,-2)*f(3,6,-3)', 'f(-2,-3,-1)*f(-1,2,4)*f(1,5,-3)*f(-1,2,4)* (3,6,-2)', 'f(-2,-3,-1)*f(-1,2,4)*f(1,6,-2)*f(3,5,-3)', 'f(-2,-3,-1)*f(-1,2,4)*f(1,6,-3)*f(3,5,-2)', 'f(-2,-3,-1)*f(-1,2,5)*f(1,3,-2)*f(4,6,-3)', 'f(-2,-3,-1)*f(-1,2,5) *f(1,3,-3)*f(4,6,-2)', 'f(-2,-3,-1)*f(-1,2,5)*f(1,4,-2)*f(3,6,-3)', 'f(-2,-3,-1)*f(-1,2,5)*f(1,4,-3)*f(3,6,-2)', 'f(-2,-3,-1)*f(-1,2,5)*f(1,6,-2)*f(3,4,-3)', 'f(-2,-3,-1)*f(-1,2,5)*f(-1, (-2, -3, -1)*f(-1, 2, 5)*f(1, 6, -3)*f(3, 4, -2)', 'f(-2, -3, -1)*f(-1, 2, 6)*f(1, 3, -2)*f(4, 5, -3)', 'f(-2, -3, -1)*f(-1, 2, 6)*f(1, 3, -3)*f(4, 5, -2)', 'f(-2, -3, -1)*f(-1, 2, 6)*f(1, 4, -2)*f(-1, 2, 6)*f(-1, 2, 6)*(3,5,-3)', f(-2,-3,-1)*f(-1,2,6)*f(1,4,-3)*f(3,5,-2)', f(-2,-3,-1)*f(-1,2,6)*f(3,4,-3)', f(-2,-3,-1)*f(-1,2,6)*f(1,5,-3)*f(3,4,-2)', f(-2,-3,-1)*f(-1,3,4)*f(1,2,-2)*f(5,6,-3)', 'f(-2,-3,-1)*f(-1,3,4)*f(1,2,-3)*f(5,6,-2)', 'f(-2,-3,-1)*f(-1,3,4)*f(1,5,-2)*f(2,6,-3)', 'f(-2,-3,-1)*f(-1,3,4)*f(1,5,-3)*f(2,6,-2)', 'f (-2,-3,-1)*f(-1,3,4)*f(1,6,-2)*f(2,5,-3)', 'f(-2,-3,-1)*f(-1,3,4)*f(1,6,-3)*f(2,5,-2)', 'f(-2,-3,-1)*f(-1,3,5)*f(1,2,-2)*f(4,6,-3)', 'f(-2,-3,-1)*f(-1,3,5)*f(1,2,-3)*f(-1,3,5)* (4,6,-2)', 'f(-2,-3,-1)*f(-1,3,5)*f(1,4,-2)*f(2,6,-3)', 'f(-2,-3,-1)*f(-1,3,5)*f(1,4,-3)*f(2,6,-2)', 'f(-2,-3,-1)*f(-1,3,5)*f(1,6,-2)*f(2,4,-3)', 'f(-2,-3,-1)*f(-1,3,5) *f(1,6,-3)*f(2,4,-2)', 'f(-2,-3,-1)*f(-1,3,6)*f(1,2,-2)*f(4,5,-3)', 'f(-2,-3,-1)*f(-1,3,6)*f(1,2,-3)*f(4,5,-2)', 'f(-2,-3,-1)*f(-1,3,6)*f(1,4,-2)*f(2,5,-3)', ' (-2,-3,-1)*f(-1,3,6)*f(1,4,-3)*f(2,5,-2)', 'f(-2,-3,-1)*f(-1,3,6)*f(1,5,-2)*f(2,4,-3)', 'f(-2,-3,-1)*f(-1,3,6)*f(1,5,-3)*f(2,4,-2)', 'f(-2,-3,-1)*f(-1,4,5)*f(1,2,-2)*f(-1,3,6)* (3,6,-3)', f(-2,-3,-1)*f(-1,4,5)*f(1,2,-3)*f(3,6,-2)', f(-2,-3,-1)*f(-1,4,5)*f(1,3,-2)*f(2,6,-3)', f(-2,-3,-1)*f(-1,4,5)*f(1,3,-3)*f(2,6,-2)', f(-2,-3,-1)*f(-1,4,5)*f(1,6,-2)*f(2,3,-3)', 'f(-2,-3,-1)*f(-1,4,5)*f(1,6,-3)*f(2,3,-2)', 'f(-2,-3,-1)*f(-1,4,6)*f(1,2,-2)*f(3,5,-3)', 'f(-2,-3,-1)*f(-1,4,6)*f(1,2,-3)*f(3,5,-2)', 'f(-2,-3,-1)*f(-1,4,6)*f(-1, (-2,-3,-1)*f(-1,4,6)*f(1,3,-2)*f(2,5,-3)', 'f(-2,-3,-1)*f(-1,4,6)*f(1,3,-3)*f(2,5,-2)', 'f(-2,-3,-1)*f(-1,4,6)*f(1,5,-2)*f(2,3,-3)', 'f(-2,-3,-1)*f(-1,4,6)*f(1,5,-3)*f(-1,4,6)* (2,3,-2)', 'f(-2,-3,-1)*f(-1,5,6)*f(1,2,-2)*f(3,4,-3)', 'f(-2,-3,-1)*f(-1,5,6)*f(1,2,-3)*f(3,4,-2)', 'f(-2,-3,-1)*f(-1,5,6)*f(1,3,-2)*f(2,4,-3)', 'f(-2,-3,-1)*f(-1,5,6)*f(1,2,-3)*f(-1,5,6)*f(1,3,-2)*f(2,4,-3)', 'f(-2,-3,-1)*f(-1,5,6)*f(1,2,-3)*f(-1,5,6)*f(*f(1,3,-3)*f(2,4,-2)', 'f(-2,-3,-1)*f(-1,5,6)*f(1,4,-2)*f(2,3,-3)', 'f(-2,-3,-1)*f(-1,5,6)*f(1,4,-3)*f(2,3,-2)'],

lorentz = [L.WVVVV16, L.WVVVV17, L.WVVVV18, L.WVVVV19, L.WVVVV20, L.WVVVV21, L.WVVVV22, L.WVVVV23, L.WVVVV24, L.WVVVV25, L.WVVVV26, L.WVVVV27, L.WVVVV28, L.WVVVV29, L.WVVVV29, L.WVVVV30],

couplings = {(5,5):C.GC_7,(4,5):C.GC_8,(3,3):C.GC_8,(2,3):C.GC_7,(11,9):C.GC_8,(10,9):C.GC_7,(7,1):C.GC_8,(6,1):C.GC_7,(17,12):C.GC_8,(16,12):C.GC_7,(13,2):C.GC_7,(21,10):C.GC_7,(20,10):C.GC_8,(19,11):C.GC_7,(18,11):C.GC_8,(33,11):C.GC_8,(32,11):C.GC_7,(31,2):C.GC_7,(30,2):C.GC_8,(39,10):C.GC_8,(38,10):C.GC_7,(37,1):C.GC_7,(36,1):C.GC_8,(51,12):C.GC_7,(50,12):C.GC_8,(49,9):C.GC_7,(48,9):C.GC_8,(63,12):C.GC_8,(62,12):C.GC_7,(61,3):C.GC_7,(60,3):C.GC_8,(71,10):C.GC_7,(70,10):C.GC_8,(67,5):C.GC_8,(66,5):C.GC_7,(75,9):C.GC_8,(74,9):C.GC_7,(73,5):C.GC_7,(72,5):C.GC_8,(63,11):C.GC_7,(82,11):C.GC_8,(79,3):C.GC_8,(74,9):C.GC_7,(73,5):C.GC_7,(72,5):C.GC_8,(83,11):C.GC_7,(82,11):C.GC_8,(79,3):C.GC_8,(74,9):C.GC_7,(15,13):C.GC_8,(14,13):C.GC_7,(27,8):C.GC_7,(26,8):C.GC_8,(78,3):C.GC_7,(24,14):C.GC_8,(35,14):C.GC_7,(41,8):C.GC_8,(40,8):C.GC_7,(45,13):C.GC_7,(44,13):C.GC_7,(22,4):C.GC_7,(26,8):C.GC_7,(26,4):C.GC_7,(56,4):C.GC_7,(56,4):C.GC_7,(56,4):C.GC_7,(56,6):C.GC

```
VVVVV42 = Lorentz(name = 'VVVVV42',
                  spins = [ 3, 3, 3, 3, 3 ],
                  structure = 'P(4,5)*Metric(1,3)*Metric(2,5) - P(1,5)*Metric(2,5)*Metric(3,4) - P(4,5)*Metric(1,2)*Metric(3,5) + P(1,5)*Metric(2,4)*Metric(3,5)')
VVVVV43 = Lorentz(name = 'VVVVV43',
                  spins = [ 3, 3, 3, 3, 3 ],
                  structure = 'P(5,1)*Metric(1,4)*Metric(2,3) - P(3,1)*Metric(1,4)*Metric(2,5) - P(5,1)*Metric(1,2)*Metric(3,4) + P(3,1)*Metric(1,2)*Metric(4,5)')
VVVVV44 = Lorentz(name = 'VVVVV44',
                  spins = [ 3, 3, 3, 3, 3],
                  structure = 'P(4,1)*Metric(1,5)*Metric(2,3) - P(3,1)*Metric(1,5)*Metric(2,4) - P(4,1)*Metric(1,2)*Metric(3,5) + P(3,1)*Metric(1,2)*Metric(4,5)')
VVVVV45 = Lorentz(name = 'VVVVV45',
                  spins = [ 3, 3, 3, 3, 3 ],
                  structure = 'P(5,2)*Metric(1,3)*Metric(2,4) - P(3,2)*Metric(1,5)*Metric(2,4) - P(5,2)*Metric(1,2)*Metric(3,4) + P(3,2)*Metric(1,2)*Metric(4,5)')
VVVVV46 = Lorentz(name = 'VVVVV46',
                  spins = [ 3, 3, 3, 3, 3 ],
                  structure = 'P(4,2)*Metric(1,3)*Metric(2,5) - P(3,2)*Metric(1,4)*Metric(2,5) - P(4,2)*Metric(1,2)*Metric(3,5) + P(3,2)*Metric(1,2)*Metric(4,5)')
VVVVV47 = Lorentz(name = 'VVVVV47',
                  spins = [ 3, 3, 3, 3, 3 ],
                  structure = 'P(4,1)*Metric(1,5)*Metric(2,3) - P(4,1)*Metric(1,3)*Metric(2,5) - P(2,1)*Metric(1,5)*Metric(3,4) + P(2,1)*Metric(1,3)*Metric(4,5)')
VVVVV48 = Lorentz(name = 'VVVVV48',
                  spins = [3, 3, 3, 3, 3],
                  structure = 'P(5,1)*Metric(1,4)*Metric(2,3) - P(5,1)*Metric(1,3)*Metric(2,4) - P(2,1)*Metric(1,4)*Metric(3,5) + P(2,1)*Metric(1,3)*Metric(4,5)')
VVVVV49 = Lorentz(name = 'VVVVV49',
                  spins = [ 3, 3, 3, 3, 3 ],
                  structure = 'P(5,3)*Metric(1,3)*Metric(2,4) - P(5,3)*Metric(1,2)*Metric(3,4) + P(2,3)*Metric(1,5)*Metric(3,4) - P(2,3)*Metric(1,3)*Metric(4,5)')
VVVVV50 = Lorentz(name = 'VVVVV50',
                  spins = [ 3, 3, 3, 3, 3 ],
                  structure = 'P(4,3)*Metric(1,3)*Metric(2,5) - P(4,3)*Metric(1,2)*Metric(3,5) + P(2,3)*Metric(1,4)*Metric(3,5) - P(2,3)*Metric(1,3)*Metric(4,5)')
VVVVV51 = Lorentz(name = 'VVVVV51',
                  spins = [ 3, 3, 3, 3, 3 ],
                  structure = 'P(3,4)*Metric(1,4)*Metric(2,5) - P(2,4)*Metric(1,4)*Metric(3,5) - P(3,4)*Metric(1,2)*Metric(4,5) + P(2,4)*Metric(1,3)*Metric(4,5)')
```

```
VVVVV42 = Lorentz(name = 'VVVVV42',
                 spins = [ 3, 3, 3, 3, 3 ],
                 structure = 'P(4,5)*Metric(1,3)*Metric(2,5) - P(1,5)*Metric(2,5)*Metric(3,4) - P(4,5)*Metric(1,2)*Metric(3,5) + P(1,5)*Metric(2,4)*Metric(3,5)')
VVVVV43 = Lorentz(name = 'VVVVV43',
                 spins = [ 3, 3, 3, 3, 3 ],
                 structure = 'P(5,1)*Metric(1,4)*Metric(2,3) - P(3,1)*Metric(1,4)*Metric(2,5) - P(5,1)*Metric(1,2)*Metric(3,4) + P(3,1)*Metric(1,2)*Metric(4,5)')
VVVVV44 = Lorentz(name = 'VVVVV44',
                 spins = [ 3, 3, 3, 3, 3 ],
                 structure = 'P(4,1)*Metric(1,5)*Metric(2,3) - P(3,1)*Metric(1,5)*Metric(2,4) - P(4,1)*Metric(1,2)*Metric(3,5) + P(3,1)*Metric(1,2)*Metric(4,5)')
VVVVV45 = Lorentz(name = 'VVVVV45'.
                 spins = [ 3, 3, 3, 3, 3 ],
                 structure = 'P(5,2)*Metric(1,3)*Metric(2,4) - P(3,2)*Metric(1,5)*Metric(2,4) - P(5,2)*Metric(1,2)*Metric(3,4) + P(3,2)*Metric(1,2)*Metric(4,5)')
                                         All Helicity amplitudes
VVVVV46 = Lorentz(name = 'VVVVV46'
                 spins = [ 3, 3, 3]
                                                                                                                  c(3,5) + P(3,2)*Metric(1,2)*Metric(4.5)')
                 structure = 'P(4,
www.47 = Lorentz(name = 'WWW47', agreed out of the box with the
                 structure = 'P(4,
                                                                                                                    (3,4) + P(2,1)*Metric(1,3)*Metric(4,5)')
                                                         W construction!
VVVVV48 = Lorentz(name = 'VVVVV48'
                 spins = [ 3, 3, 3
                 structure = P(5,1)
                                                                                                          4)*Metric(3,5) + P(2,1)*Metric(1,3)*Metric(4,5)')
VVVVV49 = Lorentz(name = 'VVVVV49',
                 spins = [ 3, 3, 3, 3, 3 ],
                 structure = 'P(5,3)*Metric(1,3)*Metric(2,4) - P(5,3)*Metric(1,2)*Metric(3,4) + P(2,3)*Metric(1,5)*Metric(3,4) - P(2,3)*Metric(1,3)*Metric(4,5)')
VVVVV50 = Lorentz(name = 'VVVVV50',
                 spins = [ 3, 3, 3, 3, 3 ],
                 structure = 'P(4,3)*Metric(1,3)*Metric(2,5) - P(4,3)*Metric(1,2)*Metric(3,5) + P(2,3)*Metric(1,4)*Metric(3,5) - P(2,3)*Metric(1,3)*Metric(4,5)')
VVVVV51 = Lorentz(name = 'VVVVV51',
                 spins = [ 3, 3, 3, 3, 3 ],
                 structure = 'P(3,4)*Metric(1,4)*Metric(2,5) - P(2,4)*Metric(1,4)*Metric(3,5) - P(3,4)*Metric(1,2)*Metric(4,5) + P(2,4)*Metric(1,3)*Metric(4,5)')
```

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- We thus have a simulation chain that is complete and goes all the way from the Lagrangian to the events!



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